

# The **H****LMES** experiment

**The Electron Capture Decay of  $^{163}\text{Ho}$  to Measure the Electron Neutrino Mass with sub-eV sensitivity**

**ERC-Advanced Grant 2013**

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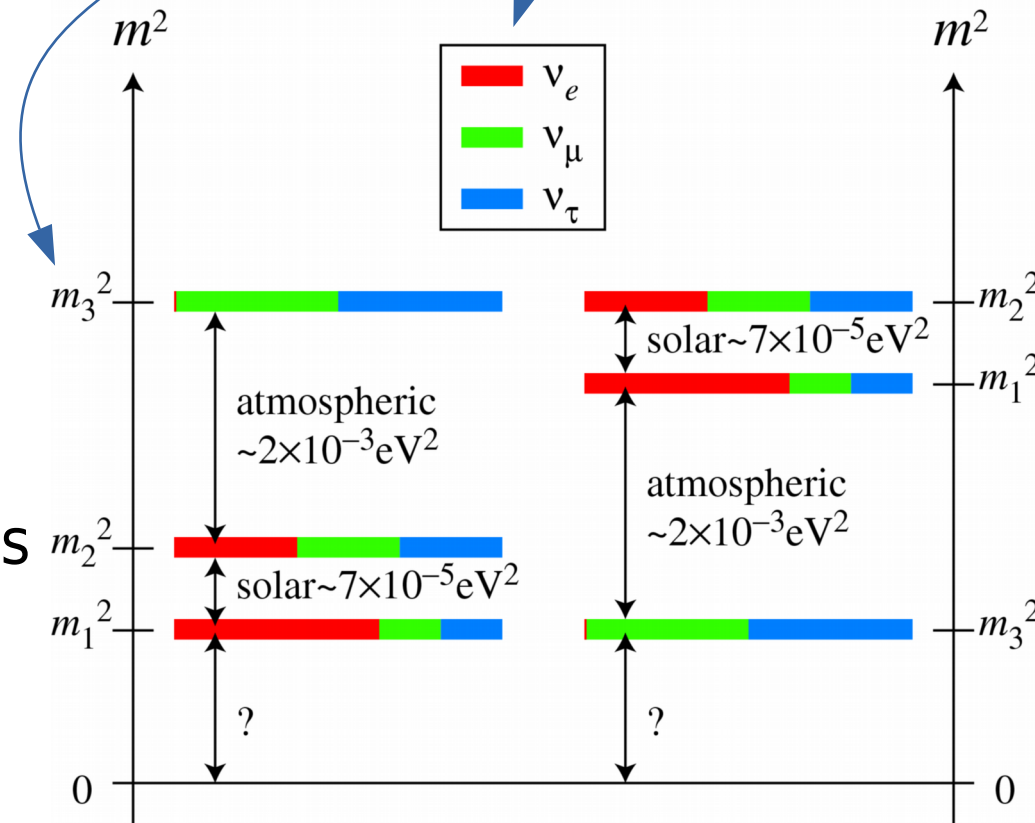
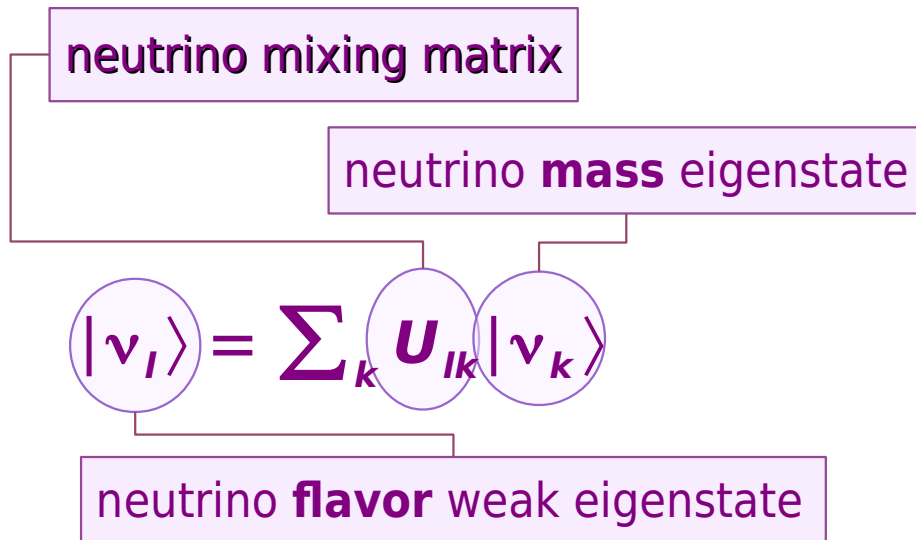


- absolute neutrino mass
- neutrino mass measurements
- low temperature detectors
- $^{163}\text{Ho}$  EC decay for direct neutrino mass measurements
- **HOLMES** experiment
  - sensitivity MC simulations
  - experiment design
  - task development status
- conclusions

# Neutrino properties



- neutrinos are massive fermions
- there are 3 active neutrino **flavors: e, μ, τ**
- neutrino flavor states are mixtures of 3 **mass states**



from neutrino oscillation experiments

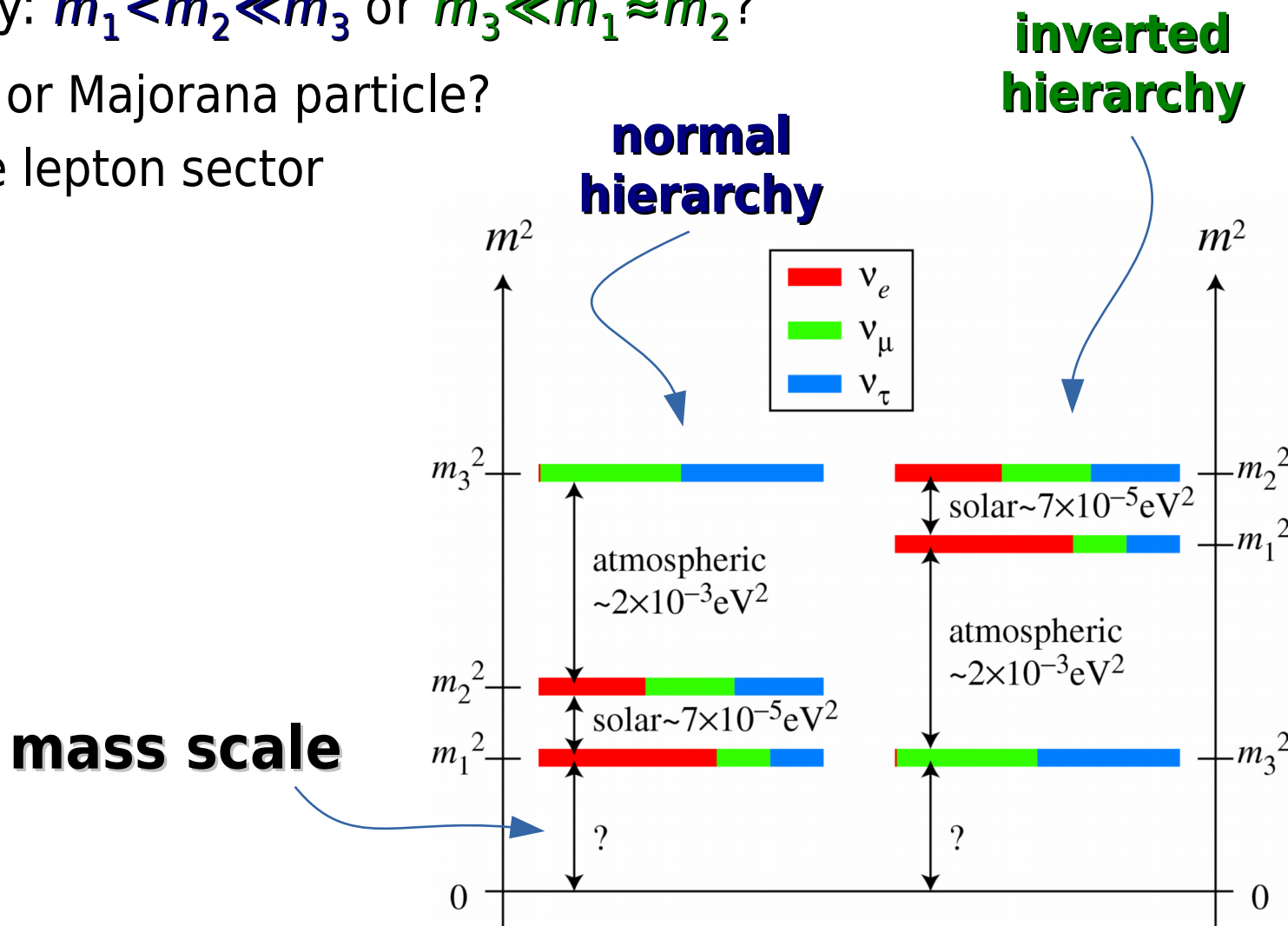
$$\Delta m_{ik}^2 = |m_i^2 - m_k^2|$$

$$\sin^2 2\theta_{ik} = f(|U_{ik}|^2)$$

# Neutrino open questions



- mass scale: i.e. mass of the lightest  $\nu$
- degenerate ( $m_1 \approx m_2 \approx m_3$ ) or hierarchical masses
  - ▶ mass hierarchy:  $m_1 < m_2 \ll m_3$  or  $m_3 \ll m_1 \approx m_2$ ?
- $\nu = \bar{\nu}$ ? i.e. Dirac or Majorana particle?
- CP violation in the lepton sector

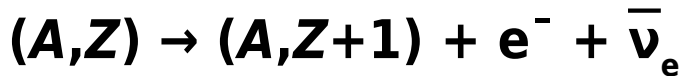


# Direct neutrino mass measurements



## ■ kinematics of weak decays with $\nu$ emission

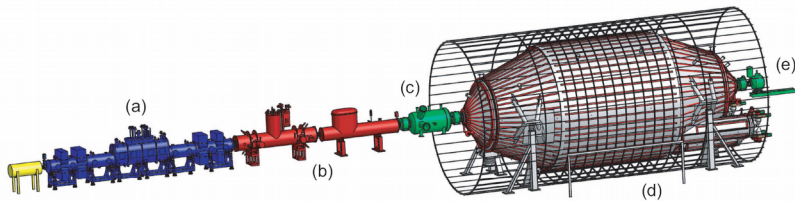
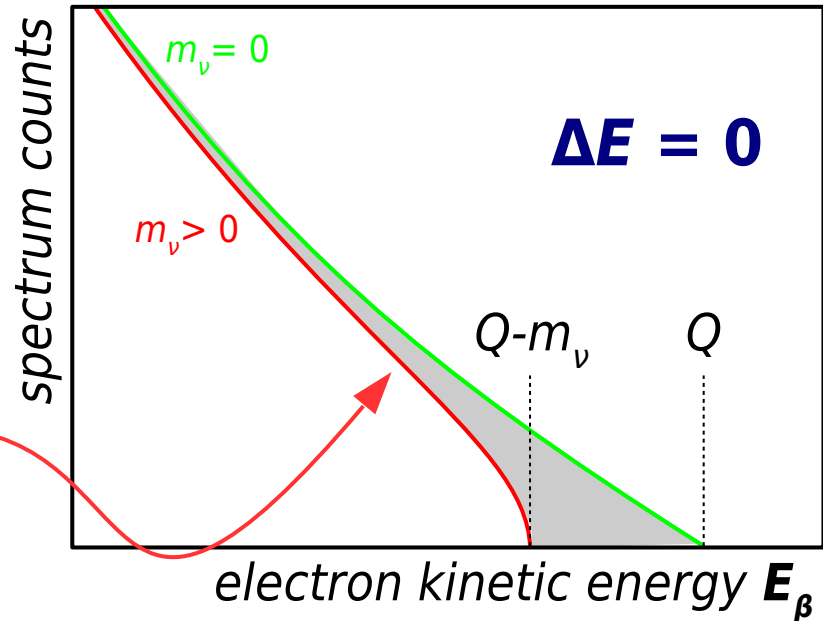
- ▶ low  $Q$  nuclear beta decays ( $^3\text{H}$ ,  $^{187}\text{Re}$ ...)
- ▶ only energy and momentum conservation
- ▶ no further assumptions



$$N(E_\beta) \propto p_\beta E_\beta (Q - E_\beta) \sqrt{((Q - E_\beta) - m_\nu^2)} F(z, E_\beta) S(E_\beta)$$

## ■ 2 approaches with different systematics:

- ▶ **spectrometry** with the  $\beta$  source outside
- ▶ **calorimetry** with the  $\beta$  source inside

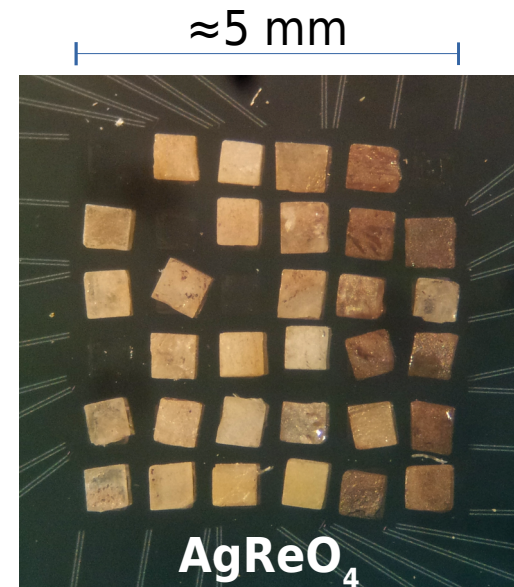


### KATRIN

large MAC-E filter spectrometer with  $^3\text{H}$



**MARE/ECHO/HOLMES**  
array of low temperature microcalorimeters with  $^{187}\text{Re}$  or  $^{163}\text{Ho}$





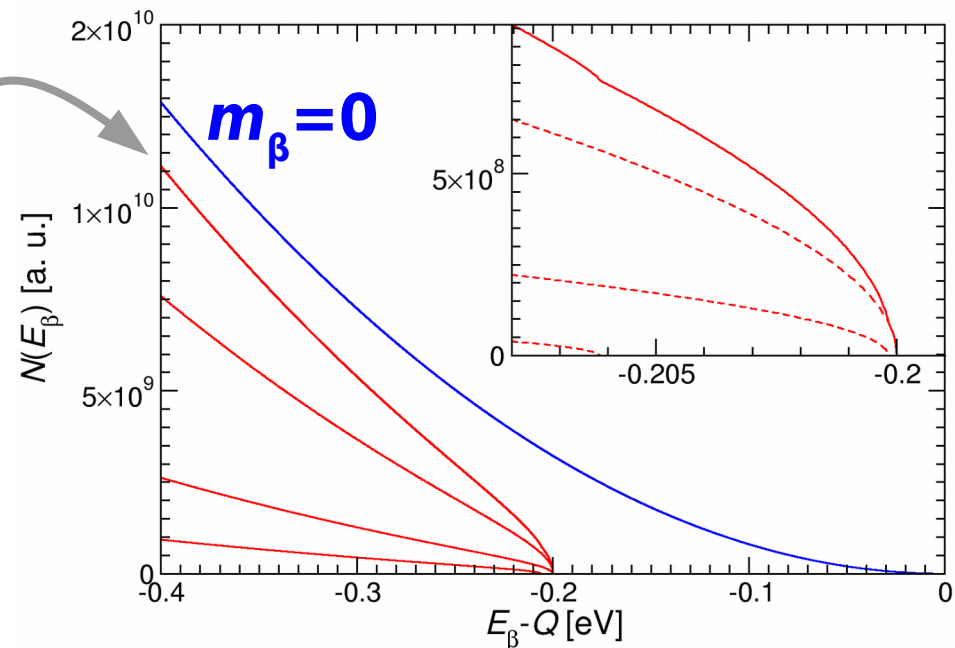
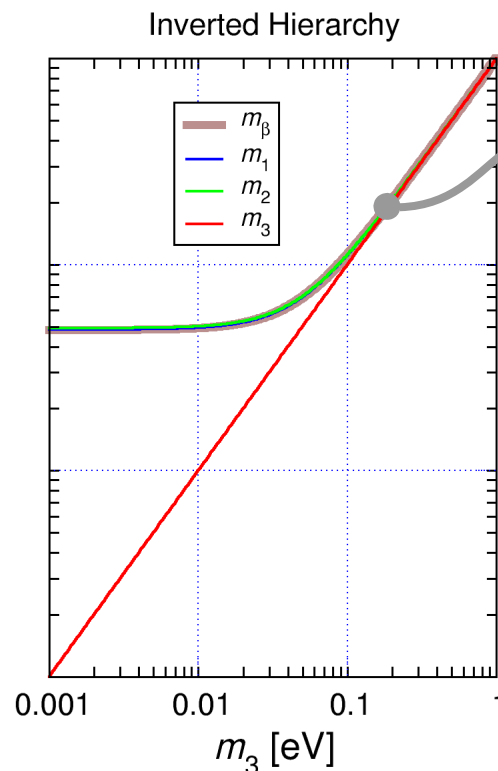
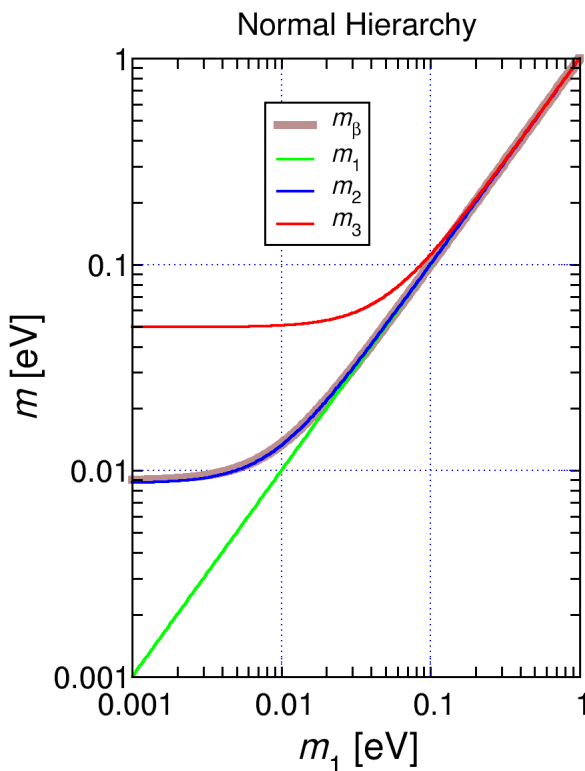
## kinematics of weak decays

- observable in nuclear beta decays with  $\bar{\nu}_e$  ( $\nu_e$ ) emission

$$|\nu_e\rangle = \sum_k U_{ek} |\nu_k\rangle \quad N(E) \propto p_\beta E_\beta (Q - E_\beta) \sum_k |U_{ek}|^2 \sqrt{(Q - E_\beta)^2 - m_{\nu_k}^2} F(Z, E_\beta) S(E_\beta)$$

$$m_\beta = \sqrt{\sum_k m_{\nu_k}^2 |U_{ek}|^2}$$

$$\rightarrow N(E) \approx p_\beta E_\beta (Q - E_\beta) \sqrt{(Q - E_\beta)^2 - m_\beta^2} F(Z, E_\beta) S(E_\beta)$$



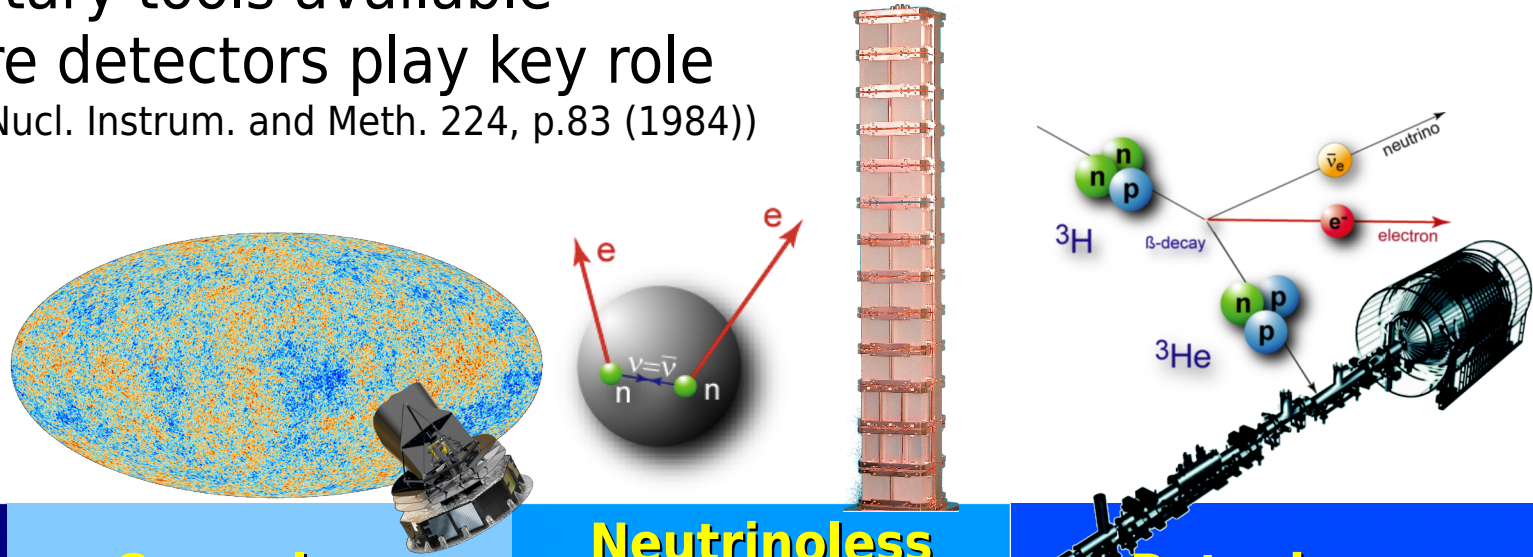
# Mass scale: experimental tools / 1



three complementary tools available

→ low temperature detectors play key role

(E. Fiorini and T. Niinikoski, Nucl. Instrum. and Meth. 224, p.83 (1984))



tool	Cosmology CMB+LSS+...	Neutrinoless Double Beta decay	Beta decay end-point
observable	$m_{\Sigma} = \sum_k m_{\nu_k}$	$m_{\beta\beta} =  \sum_k m_{\nu_k} U_{ek}^2 $	$m_{\beta} = (\sum_k m_{\nu_k}^2  U_{ek} ^2)^{1/2}$
present sensitivity	≈0.1 eV	≈0.1 eV	2 eV
future sensitivity	0.05 eV	0.05 eV	0.2 eV
model dependency	yes ☹️	yes ☹️	no 😊
systematics	large ☹️	yes 😊	large ☹️

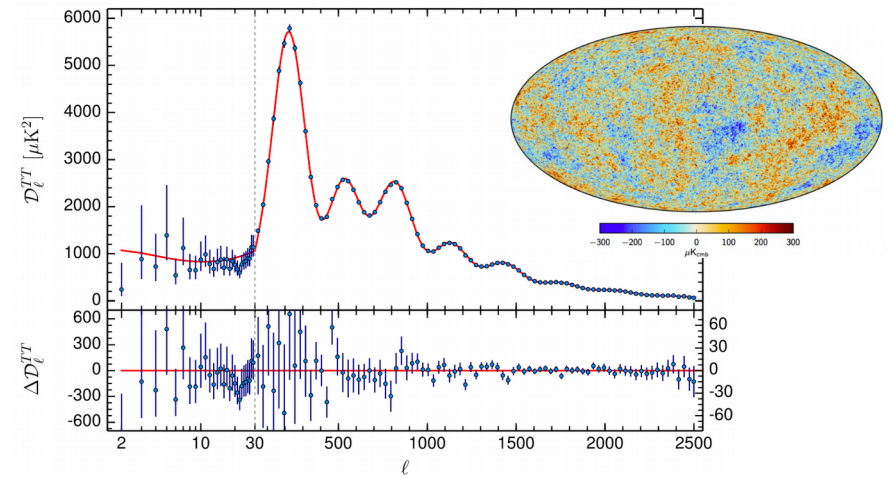
# Experimental status for neutrino mass / 1



## Cosmological measurements:

- ▶ Planck TT, TE, EE+lowP+BAO:  
 $m_\Sigma < 0.17 \text{ eV}$  (95%)

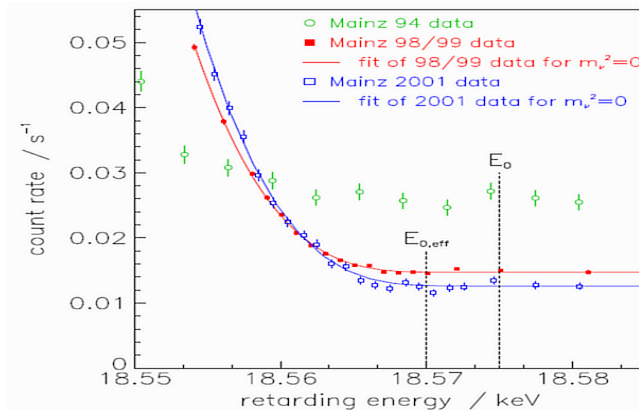
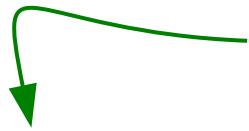
P. A. R. Ade et al., A&A 594, A13 (2016)



## Tritium beta decay end-point measurements:

- ▶ Troitsk + Mainz experiments:  $m_\beta < 2.2 \text{ eV}$  (95%)

Ch. Kraus et al., Eur. Phys. J. C 73, (2013) 2323;  
V. N. Aseev, Phys. Rev. D 84, (2011) 112003.

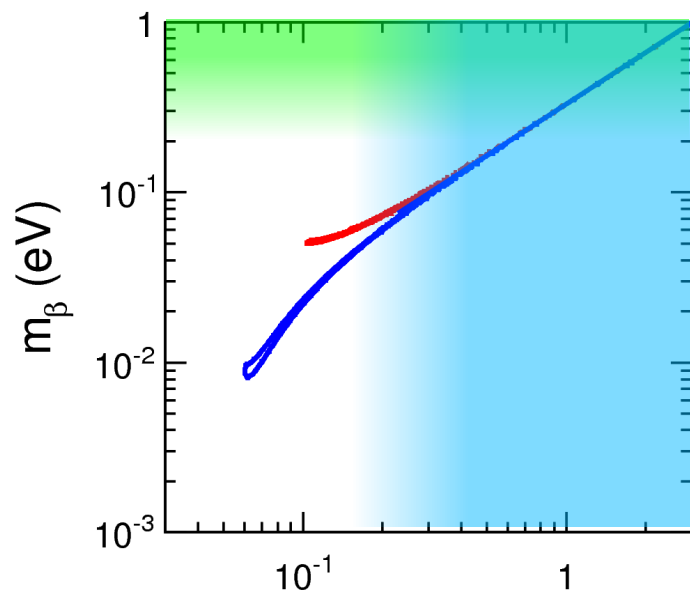


## Neutrinoless double-beta decay searches:

- ▶ GERDA ( $^{76}\text{Ge}$ ):  $m_{\beta\beta} < 0.15 \div 0.33 \text{ eV}$  (90%) Nature 544 (2017) 7648
- ▶ KamLAND-Zen ( $^{136}\text{Xe}$ ):  $m_{\beta\beta} < 0.06 \div 0.16 \text{ eV}$  (90%) Phys. Rev. Lett. 117 (2016) 082503
- ▶ CUORE-0 ( $^{130}\text{Te}$ ):  $m_{\beta\beta} < 0.27 \div 0.76 \text{ eV}$  (90%) Phys. Rev. Lett. 115 (2015) 102502



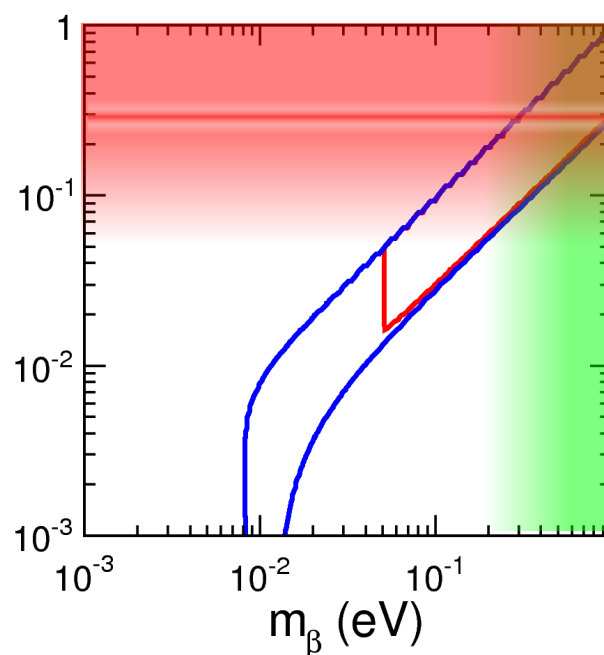
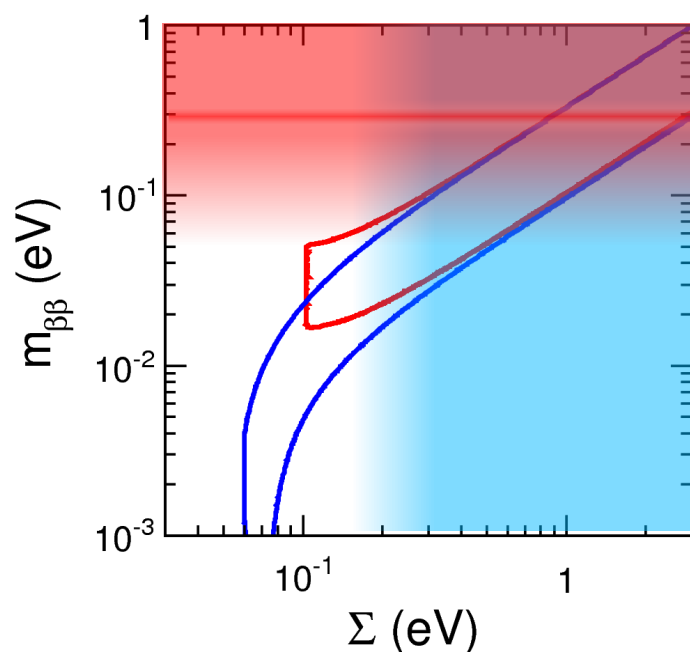
# Direct $\nu$ mass measurements: the status



situation about now

— 2  $\sigma$  (NH)  
— 2  $\sigma$  (IH)

claim for  $\beta\beta$ -0 $\nu$  observation in  $^{76}\text{Ge}$   
H.V. Klapdor-Kleingrothaus et al.  
Mod. Phys. Lett. A, 21 (2006) 1547

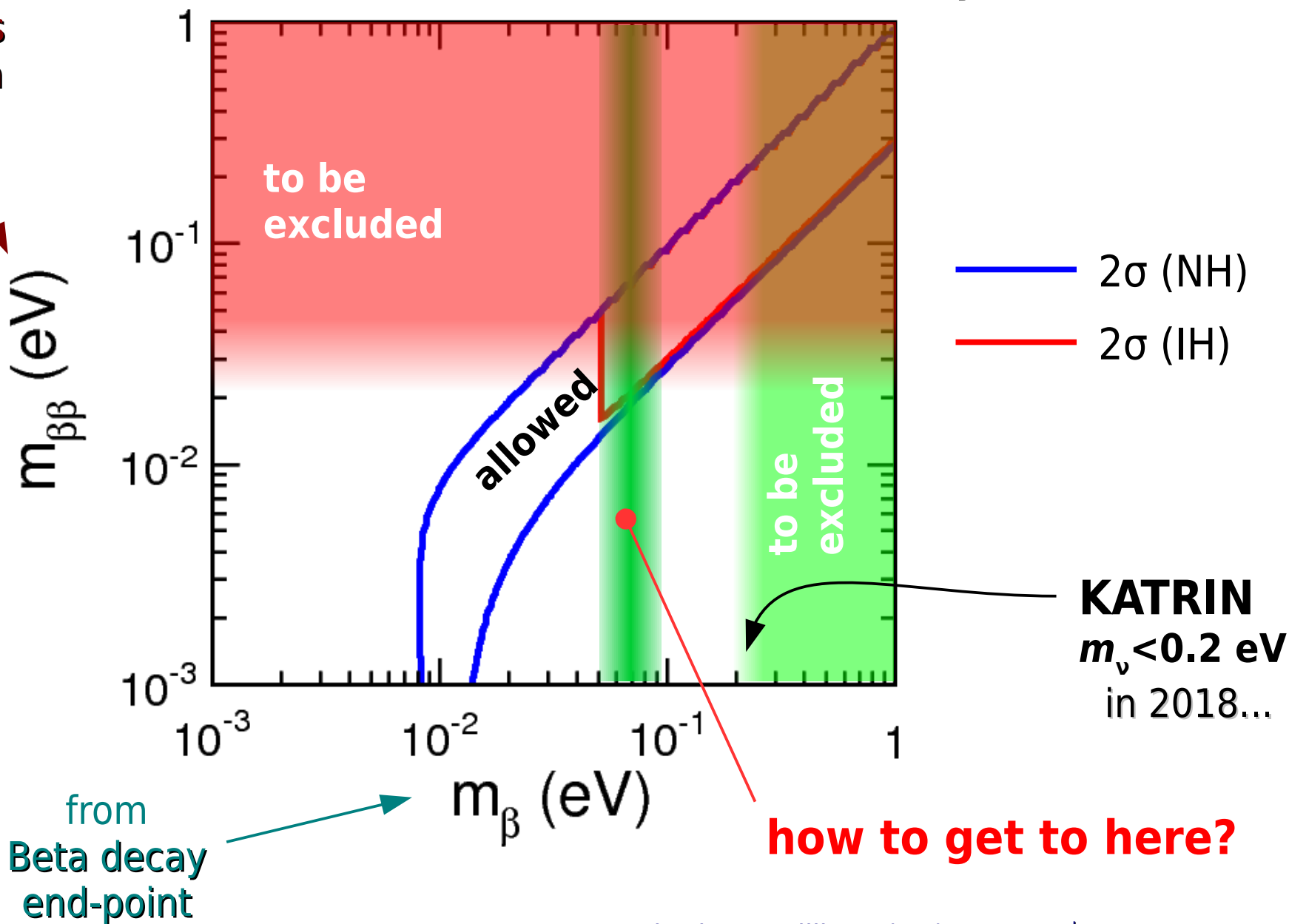


# Direct $\nu$ mass measurements: the challenge



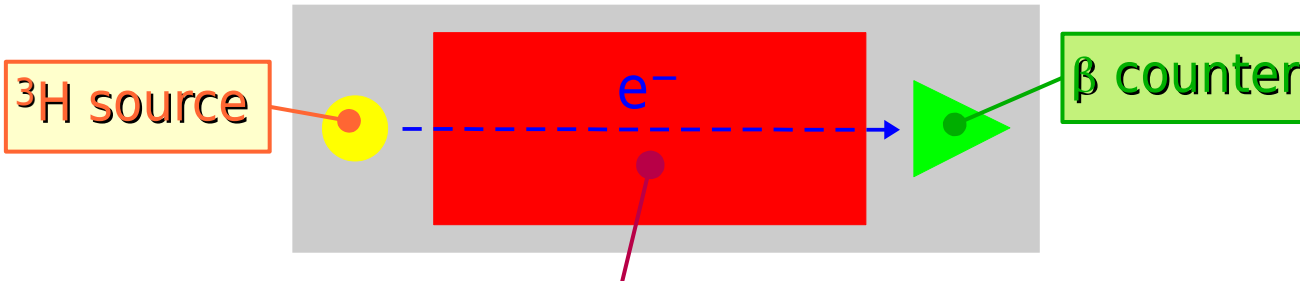
expected for the next few years  
how to explore the Inverse Hierarchy?

from  
Neutrinoless  
Double Beta  
decay





## Spectrometers: source $\neq$ detector

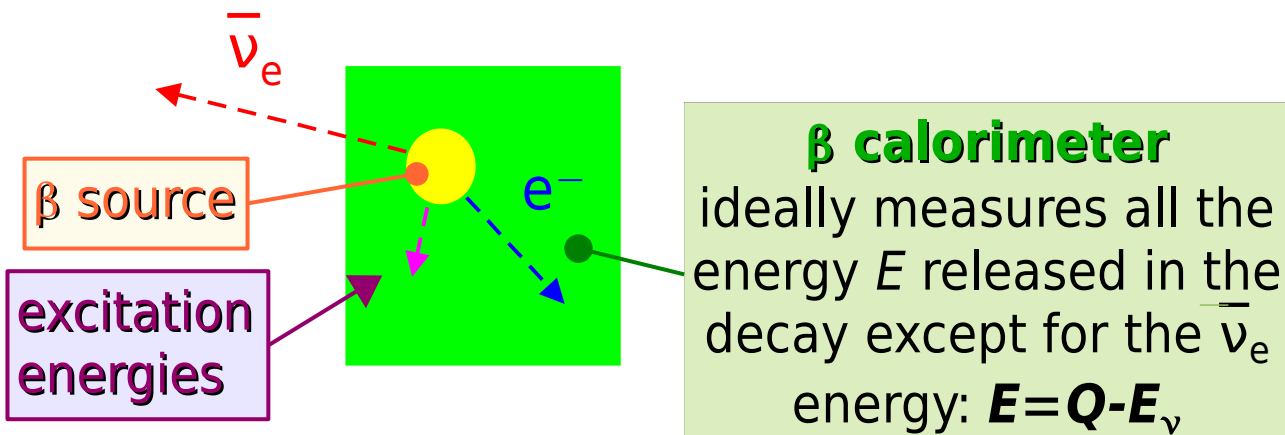


### $\beta$ differential or integral spectrometer

$\beta$ s from the  $^3\text{H}$  spectrum in  $\delta E$  are magnetically and/or electrostatically selected and transported to the counter

- ▲ high statistics
- ▲ high energy resolution
- ▼ large systematics
  - ▶ source effects
  - ▶ decays to excited states
- ▼ background

## Calorimeters: source $\subseteq$ detector

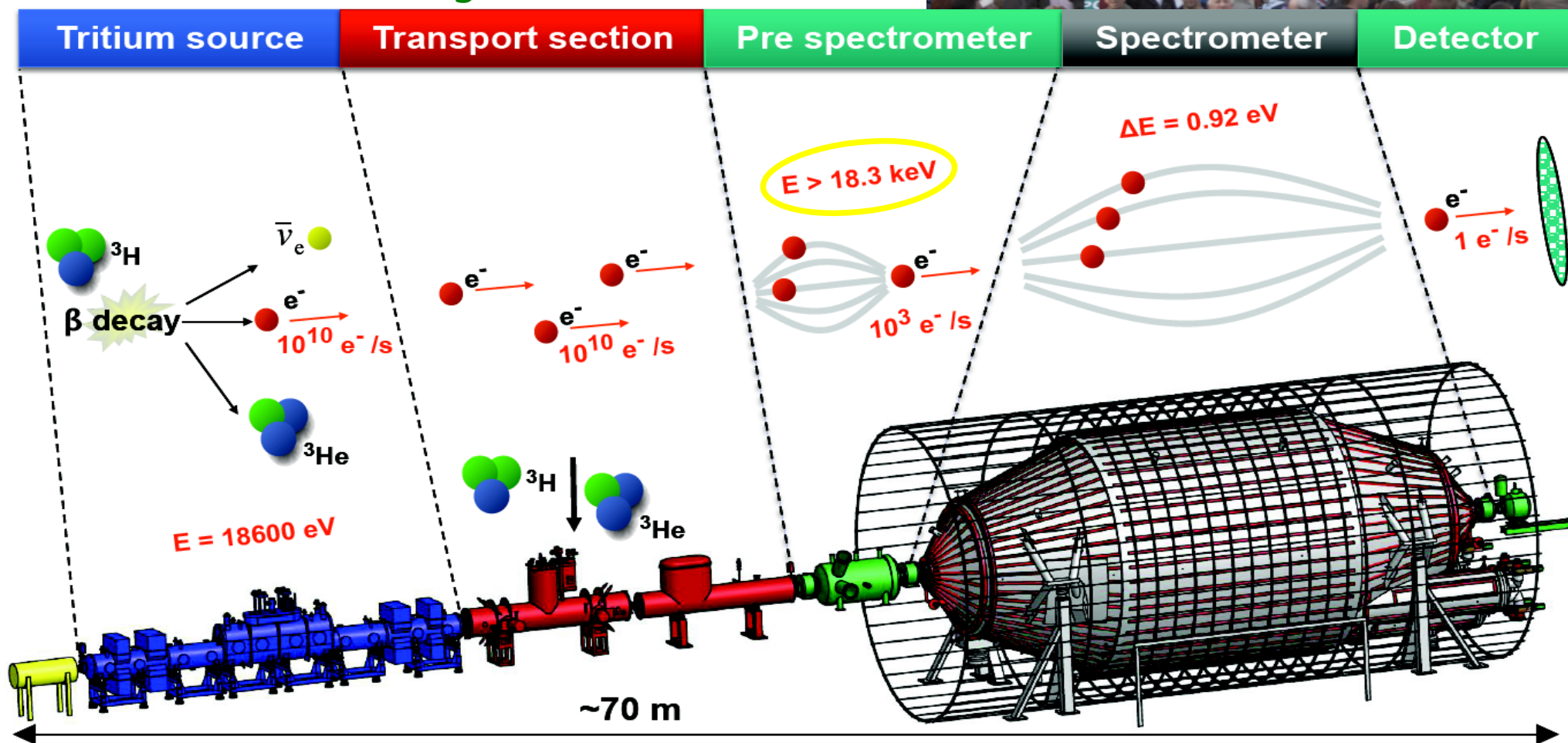


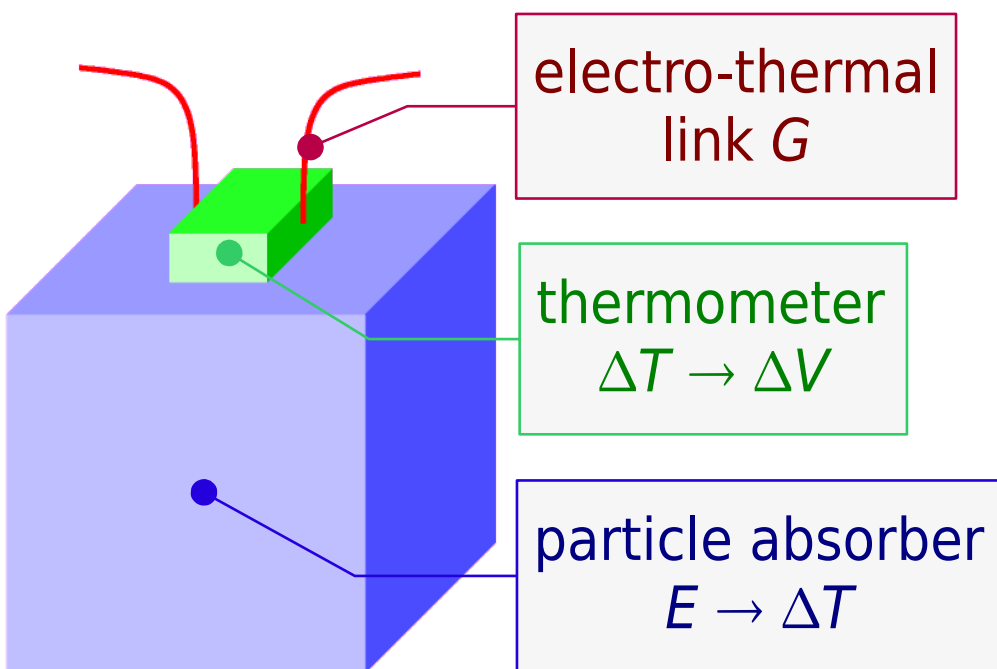
- ▲ no backscattering
- ▲ no energy losses in source
- ▲ no decay final state effects
- ▲ no solid state excitation
- ▼ limited statistics
- ▼ pile-up background
- ▼ spectrum related systematics

# Spectrometers: KATRIN

largest electrostatic spectrometer  
with gaseous  $^3\text{H}$  source ( $E_0 = 18.6\text{keV}$ )

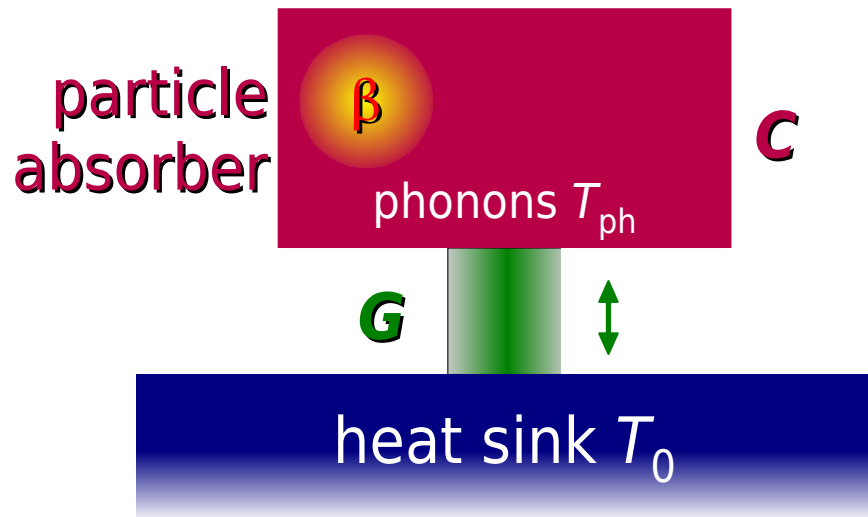
- ▶ expected statistical sensitivity  
 **$m_{\nu_e} < 0.2\text{ eV}$  90% CL**
- ▶ start data taking in 2017





- (quasi-)equilibrium thermal detector
- complete energy *thermalization*
  - ▶ **calorimetry**
- $\Delta T = E/C$  ( $C$  thermal capacity)
  - ▶ low  $C$ 
    - ▷ low  $T$  (i.e.  $T \ll 1\text{K}$ )
    - ▷ dielectrics, superconductors
- Pros and cons
  - ▲ high energy resolution
  - ▲ large choice of absorber materials
  - ▲ true calorimeters
  - ▼ only energy and time informations
  - ▼ slow time response

# Low temperature detector principles



$$C(T_{ph}) \frac{dT_{ph}}{dt} + G(T_{ph}, T_0) = P(t)$$

$$P(t) = \Delta E \delta(t) \rightarrow T_{ph}(t) = T_0 + \frac{\Delta E}{C} e^{-t/\tau}$$

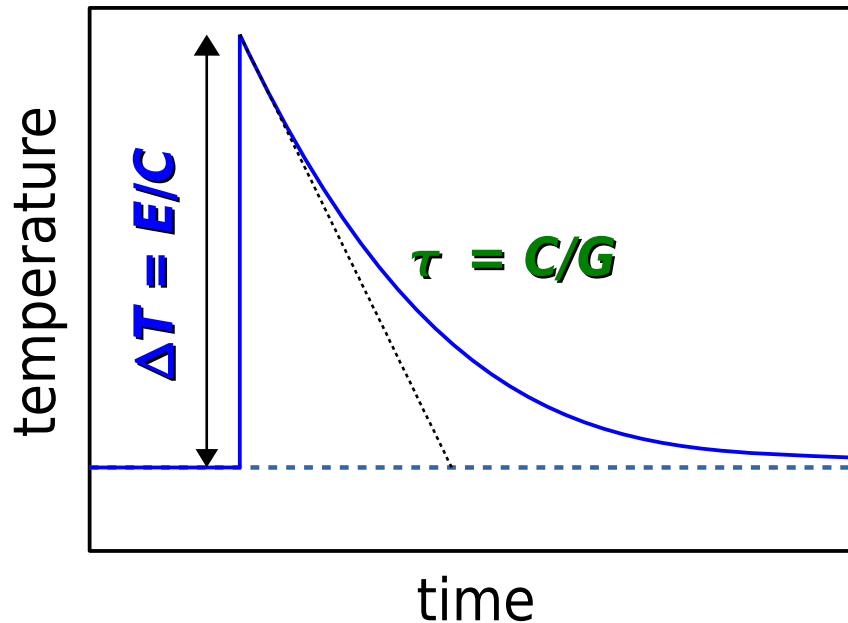
for  $t > 0$  and with  $\tau = C/G$

- ▶ resolution limit: random energy flow through **G**
- ▶ statistical fluctuations of internal energy **U**

$$U = \langle U \rangle \pm \Delta U_{rms}$$

$$N_{ph} = \frac{\langle U \rangle}{\langle E_{ph} \rangle} = \frac{CT}{k_B T}$$

$$\Delta U_{rms} = \sqrt{N_{ph}} (k_B T) = \sqrt{k_B T^2 C}$$



## 1 mg of Re @ 100 mK

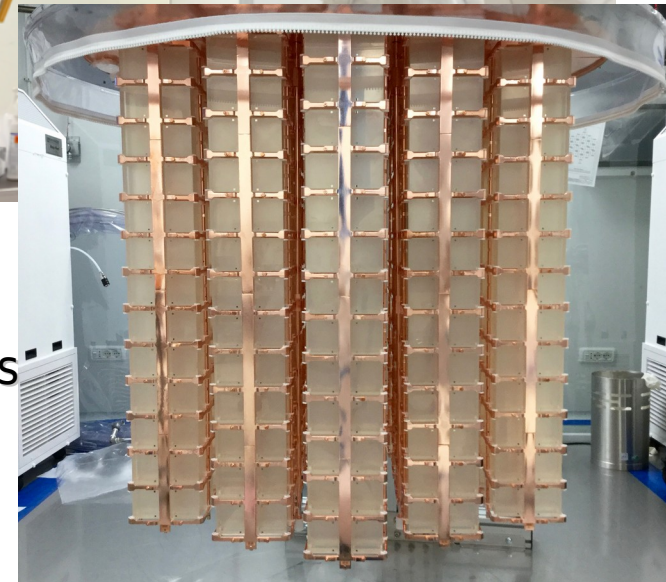
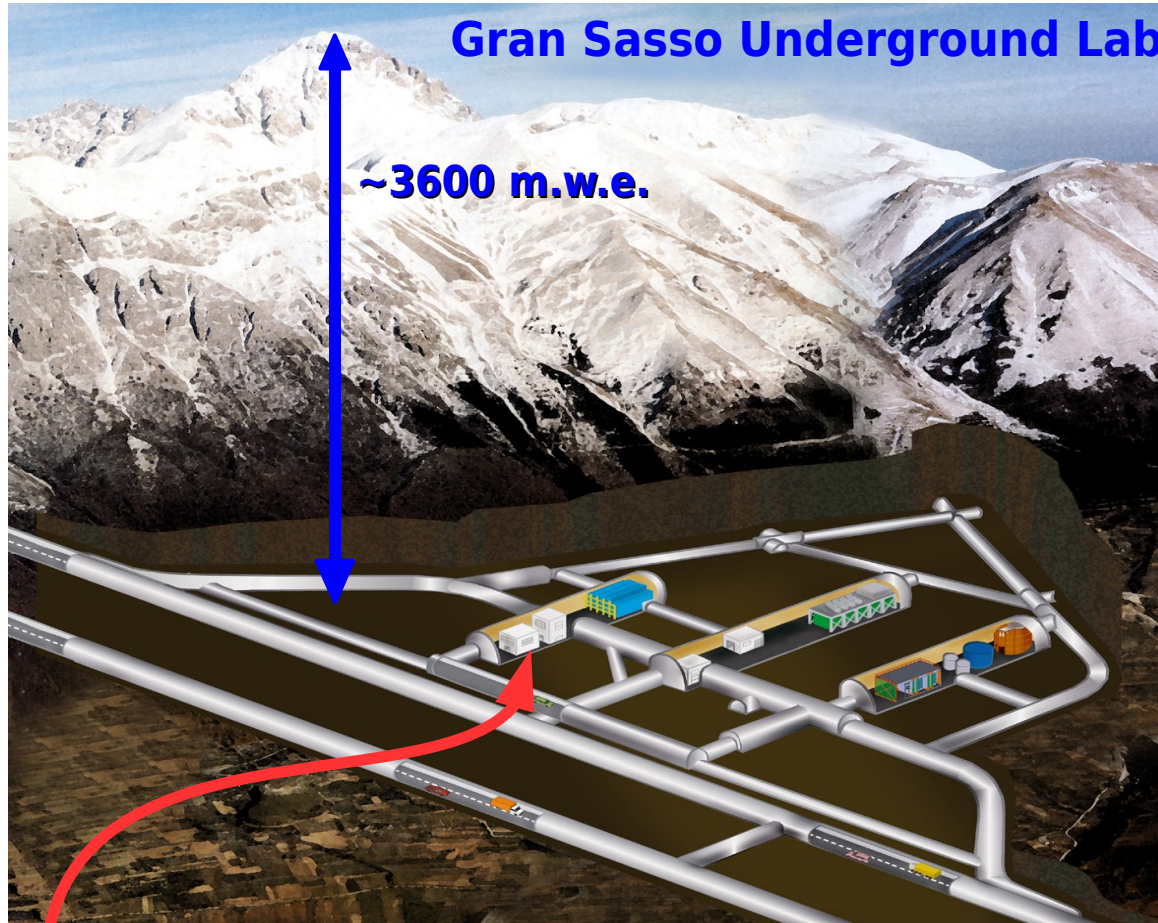
$$C \sim T^3 \text{ (Debye)} \Rightarrow C \sim 10^{-13} \text{ J/K}$$

$$6 \text{ keV X-ray} \Rightarrow \Delta T \sim 10 \text{ mK}$$

$$G \sim 10^{-11} \text{ W/K} \Rightarrow \tau = C/G \sim 10 \text{ ms}$$

$$\Delta U_{rms} \sim 1 \text{ eV}$$

# CUORE experiment



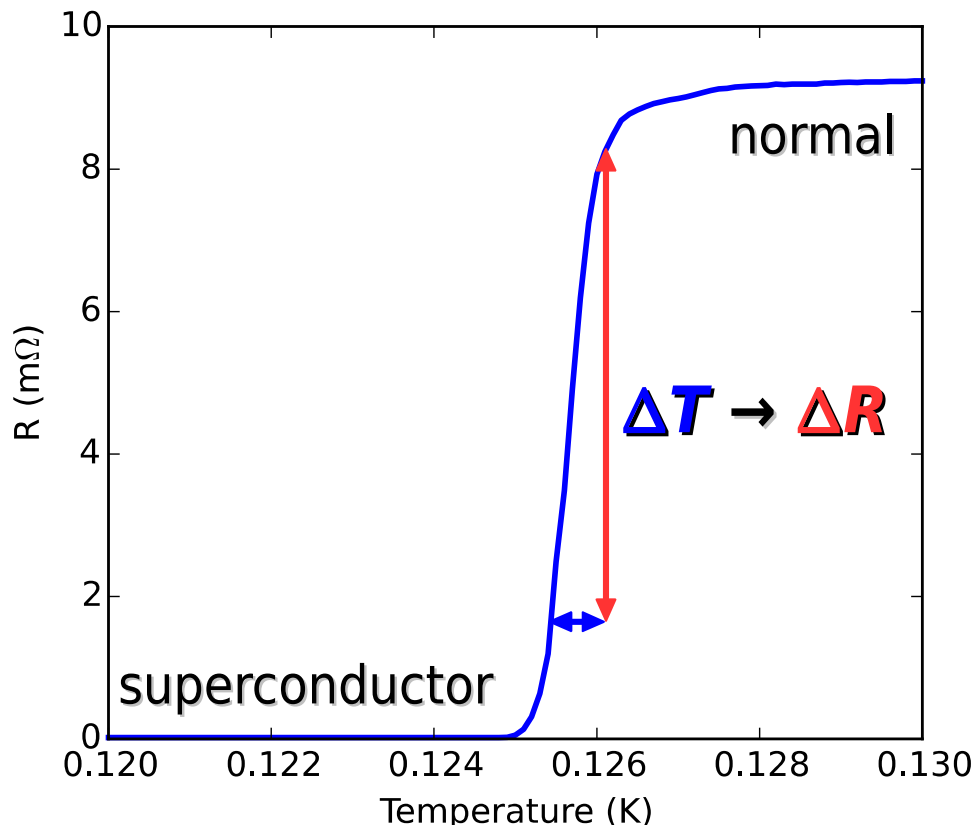
**CUORE: C**ryogenic **U**nderground **O**bservatory for **R**are **E**vents

- ▶ searches for  $^{130}\text{Te}$  **neutrinoless double-beta decay**
- ▶ 988 natural  $\text{TeO}_2$  750 g crystals as low temperature detectors
- ▶ total mass **740 kg  $\text{TeO}_2$**   $\Rightarrow$  206 kg of  $^{130}\text{Te}$
- ▶ **now cold at about 10 mK**

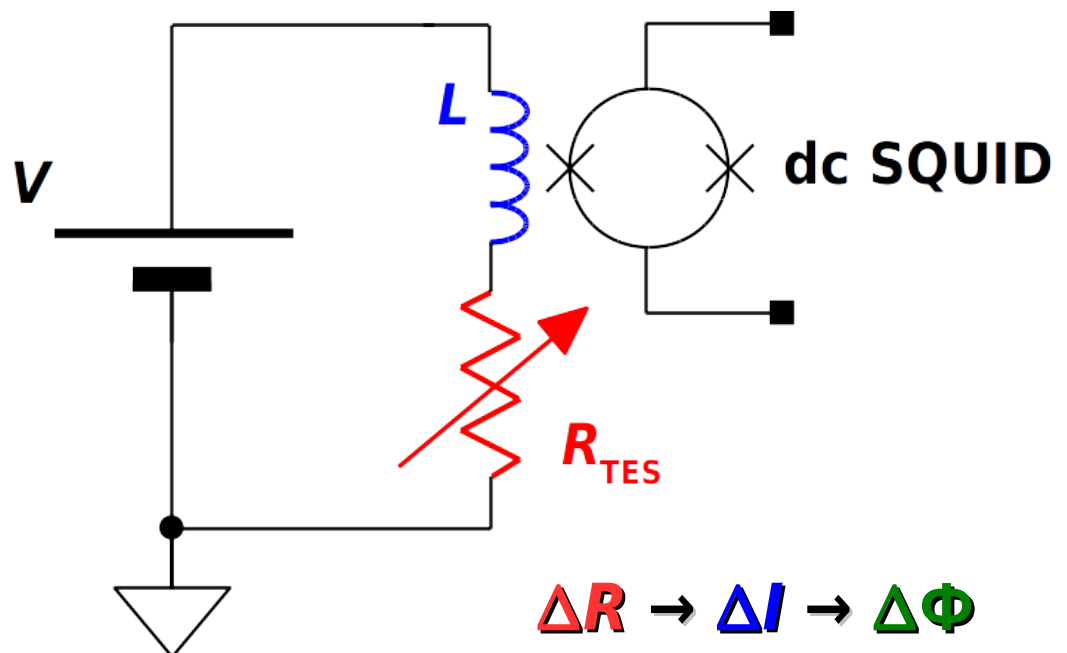
# Superconducting transition edge sensors (TES)



- superconductor thin films operated inside the phase transition at  $T_c$ 
  - ▶ elemental superconductors: Ir ( $T_c = 112$  mK), W ( $T_c = 15$  mK), ...
  - ▶ metal-superconductor bilayers  $\Rightarrow$  tunable  $T_c$  (20  $\div$  200 mK) : Mo/Cu, Ti/Au, Ir/Au, ...
- high sensitivity  $TdR/(RdT) \approx 100$   $\Rightarrow$  high energy resolution
  - ▶ as **thermal sensors**  $\rightarrow \sigma_E^2 \approx \xi^2 k_B T^2 C$
- strong electron-phonon coupling  $\Rightarrow$  high intrinsic speed
- low impedance  $\Rightarrow$  SQUID read-out  $\Rightarrow$  multiplexing for large arrays



## TES read-out: constant voltage bias





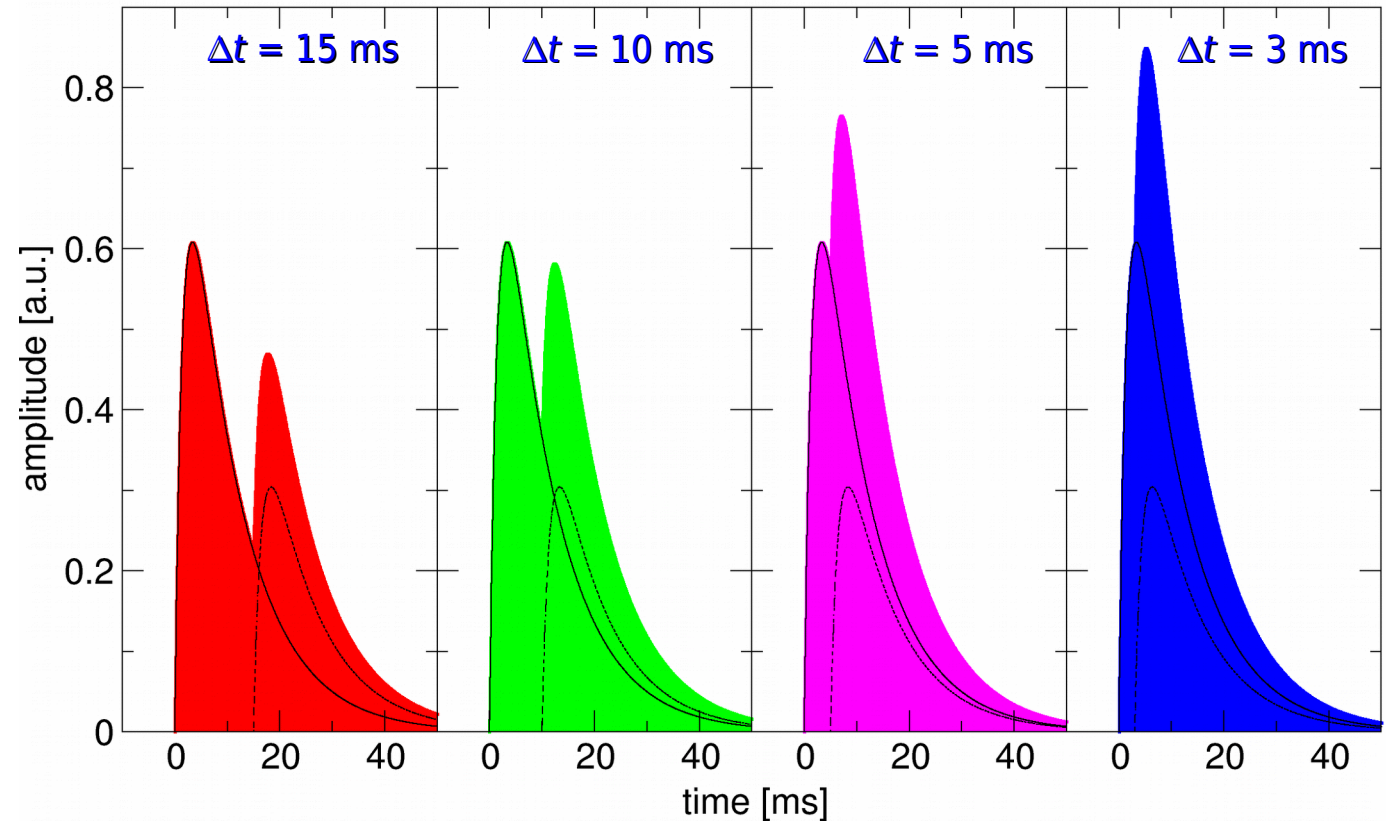


## simple pulse model

$$A(t) = A(e^{-t/\tau_{\text{decay}}} - e^{-t/\tau_{\text{rise}}})$$

### 2 pulses with:

- $\tau_{\text{rise}} = 1.5 \text{ ms}$
- $\tau_{\text{decay}} = 10 \text{ ms}$
- $A_2/A_1 = 0.5$



resolving time  $\tau_R \approx$  pulse rise time  $\tau_{\text{rise}}$

# Calorimetry of beta sources



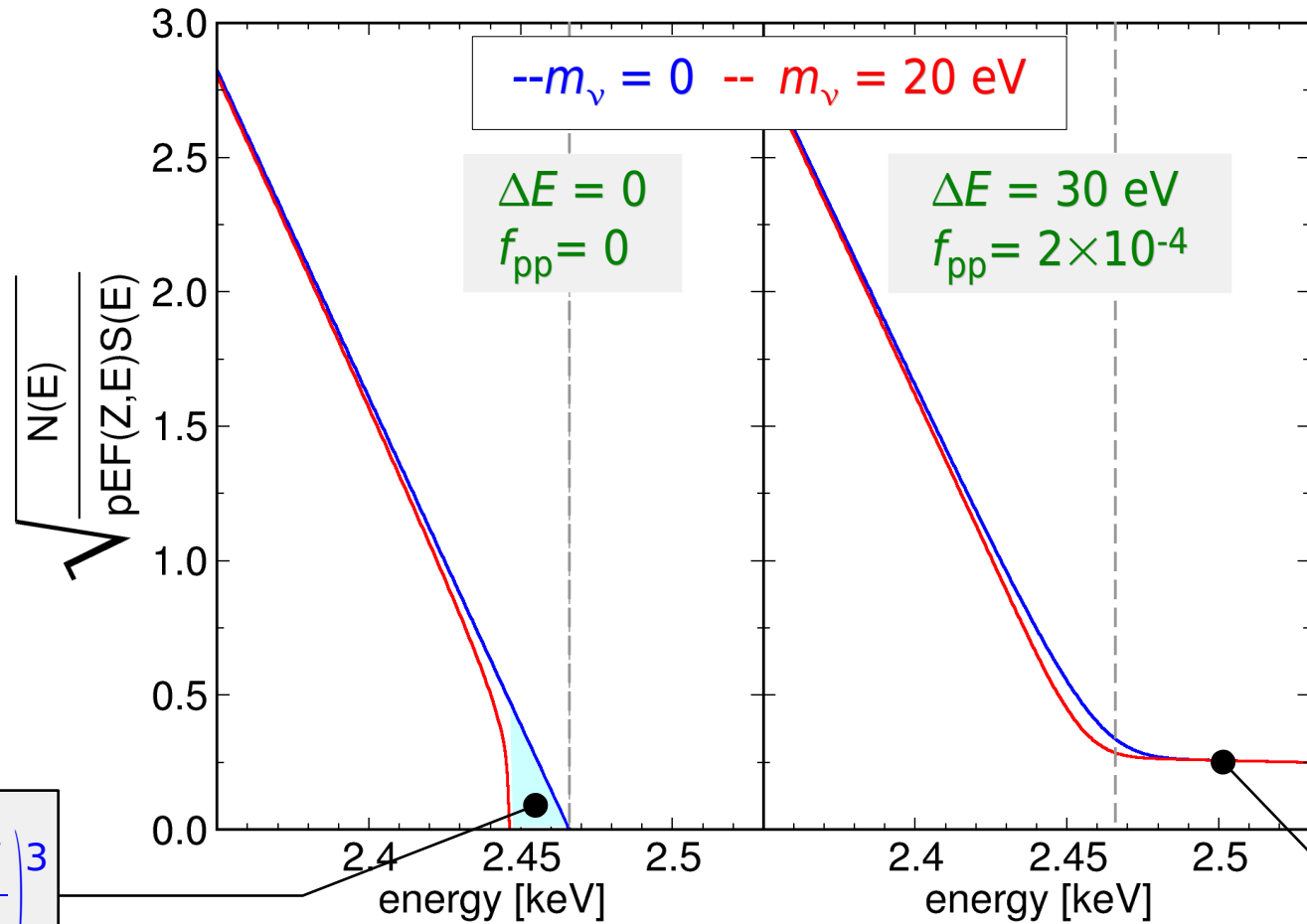
- calorimeters measure the **entire spectrum** at once
  - ▶ low  $E_0$   $\beta$  decaying isotopes for more statistics near the end-point
  - ▶ best choice  $^{187}\text{Re}$ :  $Q = 2.5 \text{ keV}$ ,  $\tau_{1/2} \approx 4 \times 10^{10} \text{ y} \Rightarrow F(\Delta E = 10 \text{ eV}) \approx (\Delta E/Q)^3 = 7 \times 10^{-8}$
  - ▶ other option  $^{163}\text{Ho}$  electron capture:  $Q \approx 2.6 \text{ keV}$ ,  $\tau_{1/2} \approx 4600 \text{ y}$

## advantages

- ▲ no back-scattering
- ▲ no energy losses in the source
- ▲ no atomic/molecular final state effects
- ▲ no solid state excitation

## drawbacks

- ▼ limited statistics
- ▼ pile-up background
- ▼ spectrum related systematics



$$F(\Delta E) \approx \left( \frac{\Delta E}{Q} \right)^3$$

$$\text{pile-up fraction: } f_{\text{pp}} = \tau_R A_\beta$$

# $\beta$ decay calorimetry statistical sensitivity



resolving time  $\tau_R$

analysis interval  $\Delta E$

source activity  $A_\beta$

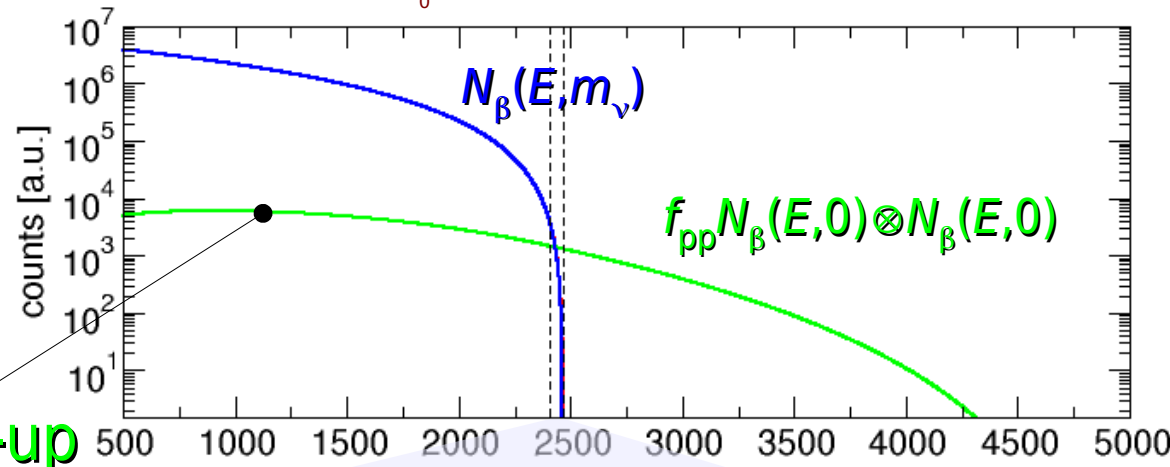
number of detectors  $N_{\text{det}}$

pile-up fraction  $f_{pp} = \tau_R A_\beta$

experimental exposure  $t_M = T \times N_{\text{det}}$

$$N_\beta(E, m_\nu) \approx \frac{3}{Q^3} (Q-E)^2 \sqrt{1 - \frac{m_\nu^2}{(Q-E)^2}}$$

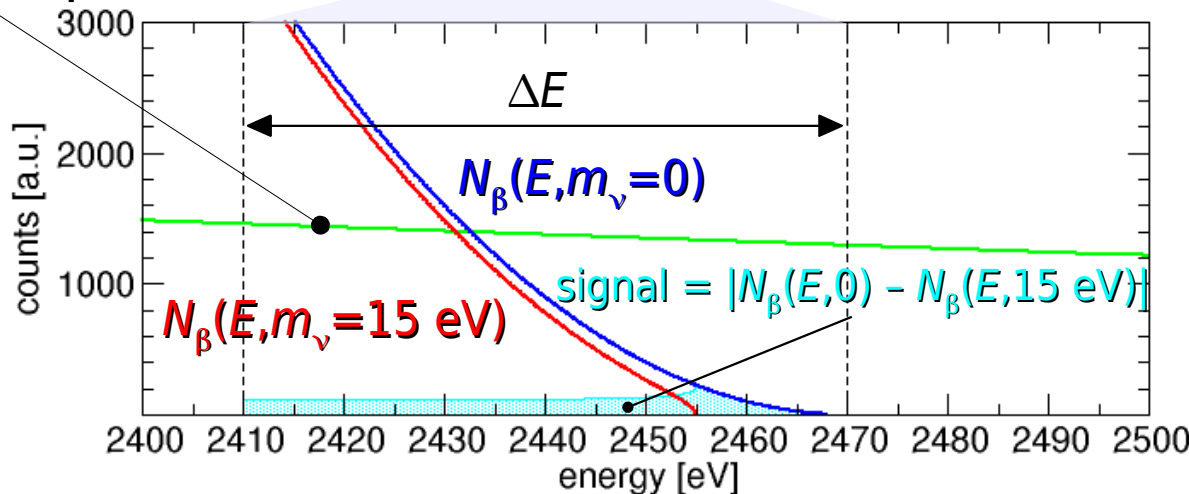
$$F_{\Delta E}(m_\nu) = A_\beta N_{\text{det}} \int_{E_0 - \Delta E}^{E_0} N_\beta(E, m_\nu) dE \quad F_{\Delta E}(0) \approx A_\beta N_{\text{det}} \frac{\Delta E^3}{Q^3} \rightarrow {}^{187}\text{Re } Q = 2.5 \text{ keV}$$



$$f_{pp} = \tau_R A_\beta \ll \frac{\Delta E^2}{E_0^2} \quad \text{negligible pile-up}$$

$$\Sigma_{90}(m_\nu) \approx 0.89^4 \sqrt{\frac{Q^3 \Delta E}{A_\beta t_M}}$$

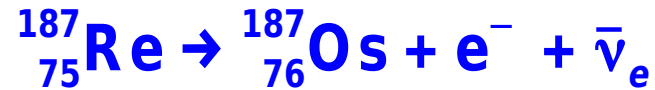
pile-up



- experimental challenges
- ▶ energy resolution  $\Delta E$
  - ▶ time resolution  $\tau_R$
  - ▶ exposure  $t_M = N_{\text{det}} \times T$
  - ▶ detector activity  $A_\beta$



## $^{187}\text{Re}$ $\beta$ decay



- $5/2^+ \rightarrow 1/2^-$  unique first forbidden transition  $\Rightarrow S(E)$
- end point  $Q = 2.47$  keV
- half-life time  $\tau_{1/2} = 43.2$  Gy
- natural abundance a.i. = 63%
  - ▶ 1 mg metallic Rhenium  $\Rightarrow \approx 1.0$  decay/s

### ■ **metallic rhenium** single crystals

▶ superconductor with  $T_c = 1.6$  K

▶ NTD thermistors

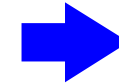
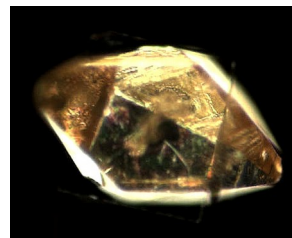
▶ **MANU experiment (Genova)**



### ■ **dielectric rhenium compound** ( $\text{AgReO}_4$ ) crystals

▶ Silicon implanted thermistors

▶ **MIBETA experiment (Milano)**

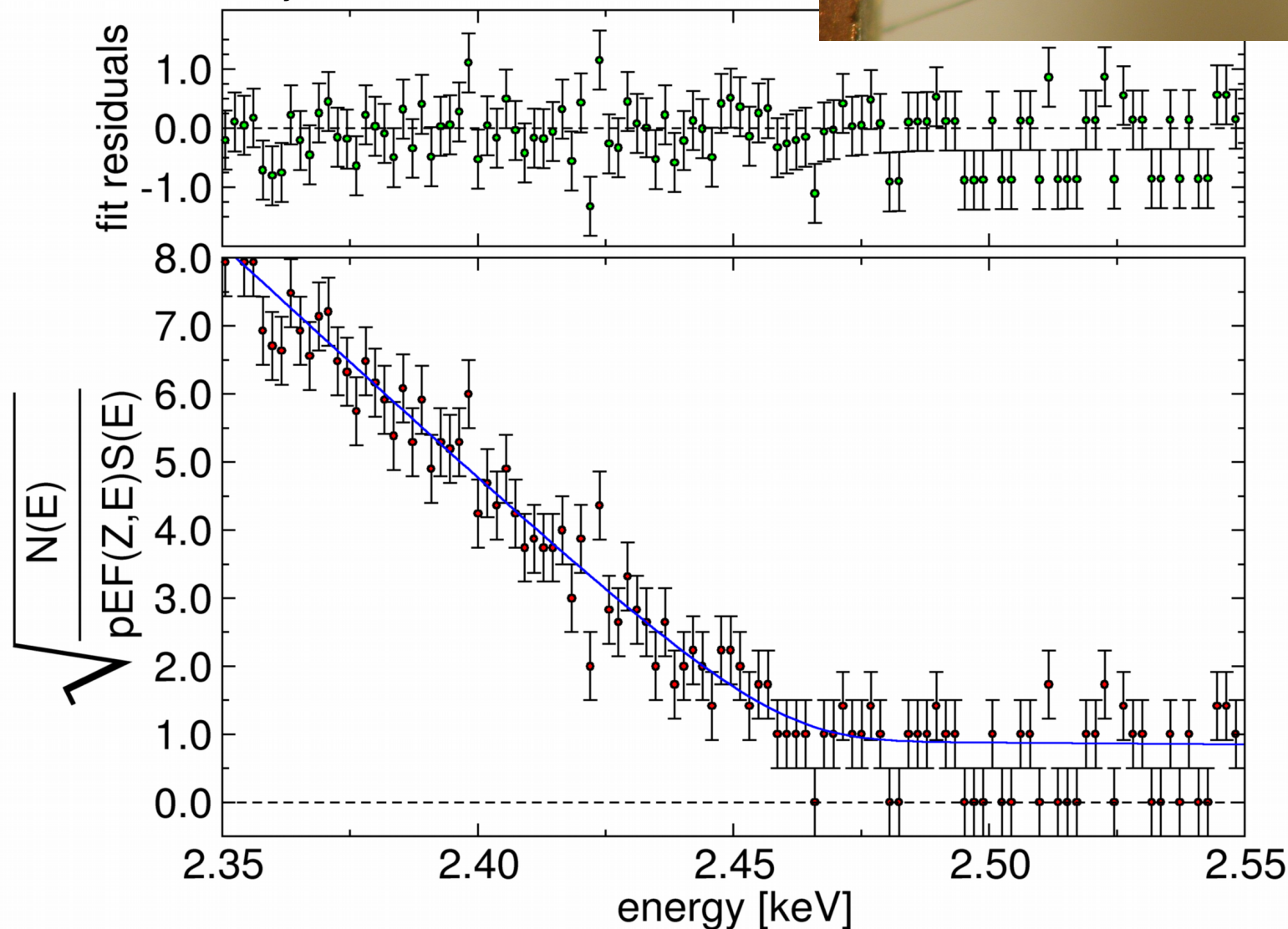
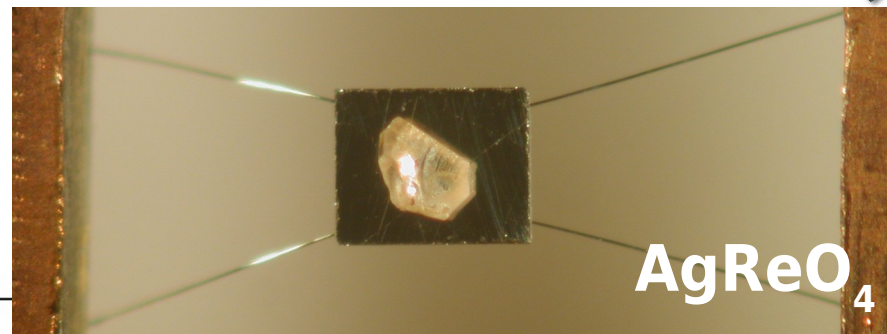


$$m_{\nu} < \approx 15 \text{ eV}$$

# MIBETA experiment results



- 0.6 years live time (0.45 years only  $\beta$ )
- $6.2 \times 10^6$   $^{187}\text{Re}$  decays above 700 eV
- $m_\nu^2 = -96 \pm 189_{\text{stat}} \pm 63_{\text{sys}} \text{ eV}^2$
- ▶  **$m_\nu < 15.2 \pm 2.0_{\text{sys}} \text{ eV}$  (90 % C.L.)**



# Electron capture calorimetric experiments

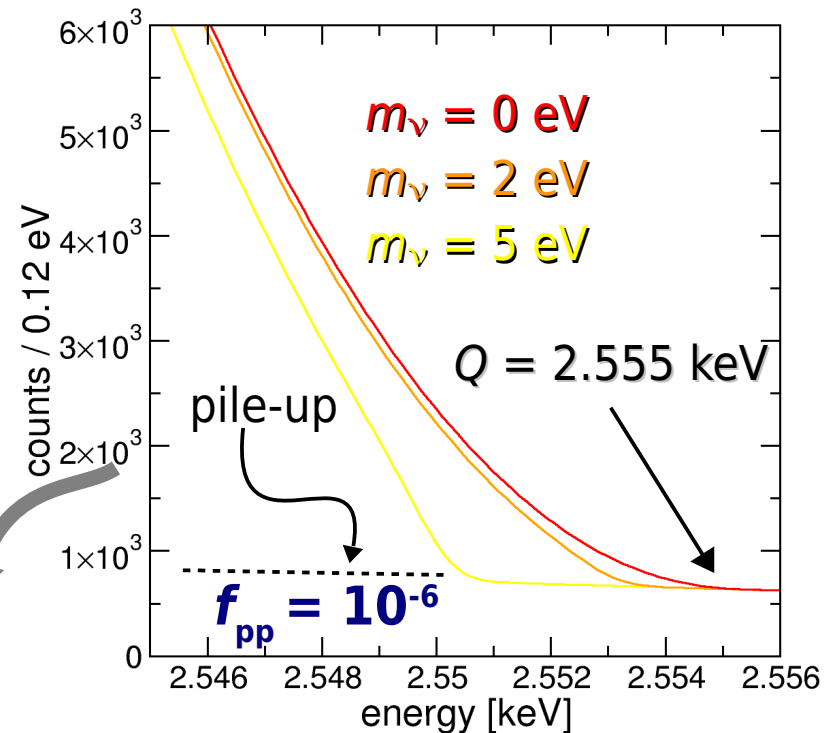
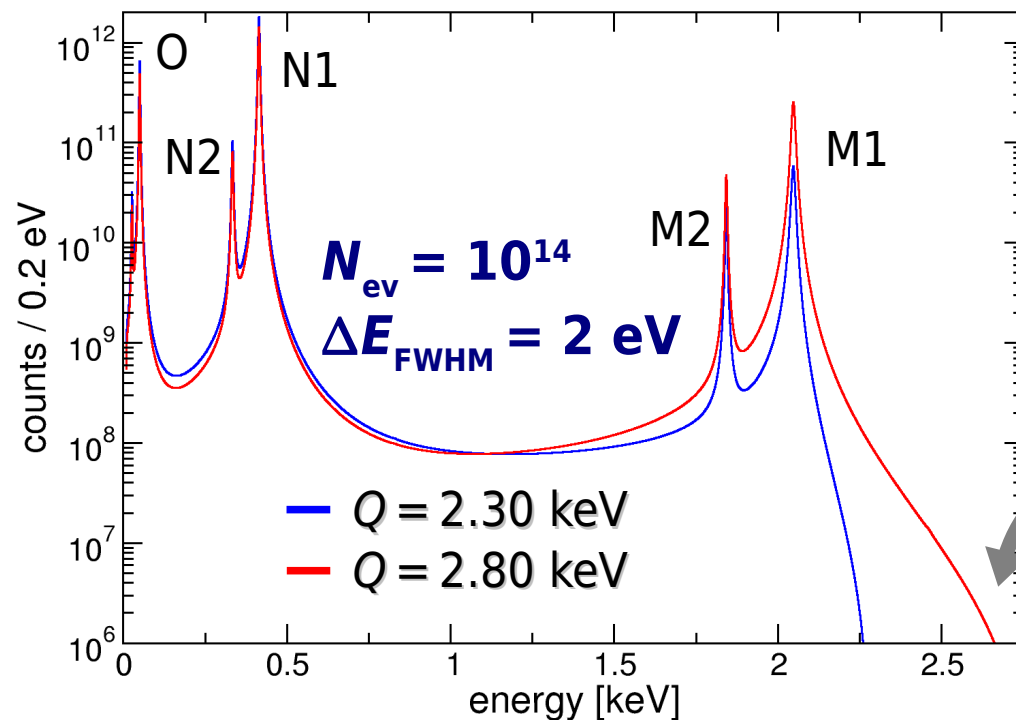


## electron capture from shell $\geq M1$

A. De Rújula and M. Lusignoli, Phys. Lett. B 118 (1982) 429

- calorimetric measurement of Dy atomic de-excitations (mostly non-radiative)
- **$Q = 2.8 \text{ keV}$**  (recently measured with Penning trap)
  - ▶ end-point rate and  $\nu$  mass sensitivity depend on  **$Q - E_{M1}$**
- **$\tau_{1/2} \approx 4570 \text{ years}$**   $\rightarrow$  few active nuclei are needed ( $2 \times 10^{11}$   $^{163}\text{Ho}$  nuclei  $\leftrightarrow$  1Bq)

$$N(E_c) = \frac{G_\beta^2}{4\pi^2} (Q - E_c) \sqrt{(Q - E_c)^2 - m_\nu^2} \times \sum_i n_i C_i \beta_i^2 B_i \frac{\Gamma_i}{2\pi} \frac{1}{(E_c - E_i)^2 + \Gamma_i^2/4}$$



# From $^{187}\text{Re}$ to $^{163}\text{Ho}$ calorimetric experiments



- **scaling up  $^{187}\text{Re}$  experiments for sub-eV sensitivity**
  - **MARE** (**M**icrocalorimeter **A**rray for a **R**henium **E**xperiment)
  - ▶ no clear understanding Re absorber physics in spite of 20 years of R&D
  - ▶ low  $^{187}\text{Re}$  specific activity → “large” masses → fabrication issues
  - ▶ possible large systematics → Beta Environmental Fine Structure (BEFS)
- **$^{163}\text{Ho}$  seems to be better than  $^{187}\text{Re}$** 
  - ▶ higher specific activity → *Holmium detector* not needed
  - ▶ *self calibrating* → better control of systematics
  - ▶ **but**
    - higher  $Q$  → maybe less sensitive
    - pile-up spectrum
    - chemical effects on  $Q$
- **two active projects** presently
  - ▶ **ECHo** (Heidelberg)
  - ▶ **MARE** (→ now **HOLMES**)
  - ▶ Los Alamos National Lab., Stanford University ?, ...

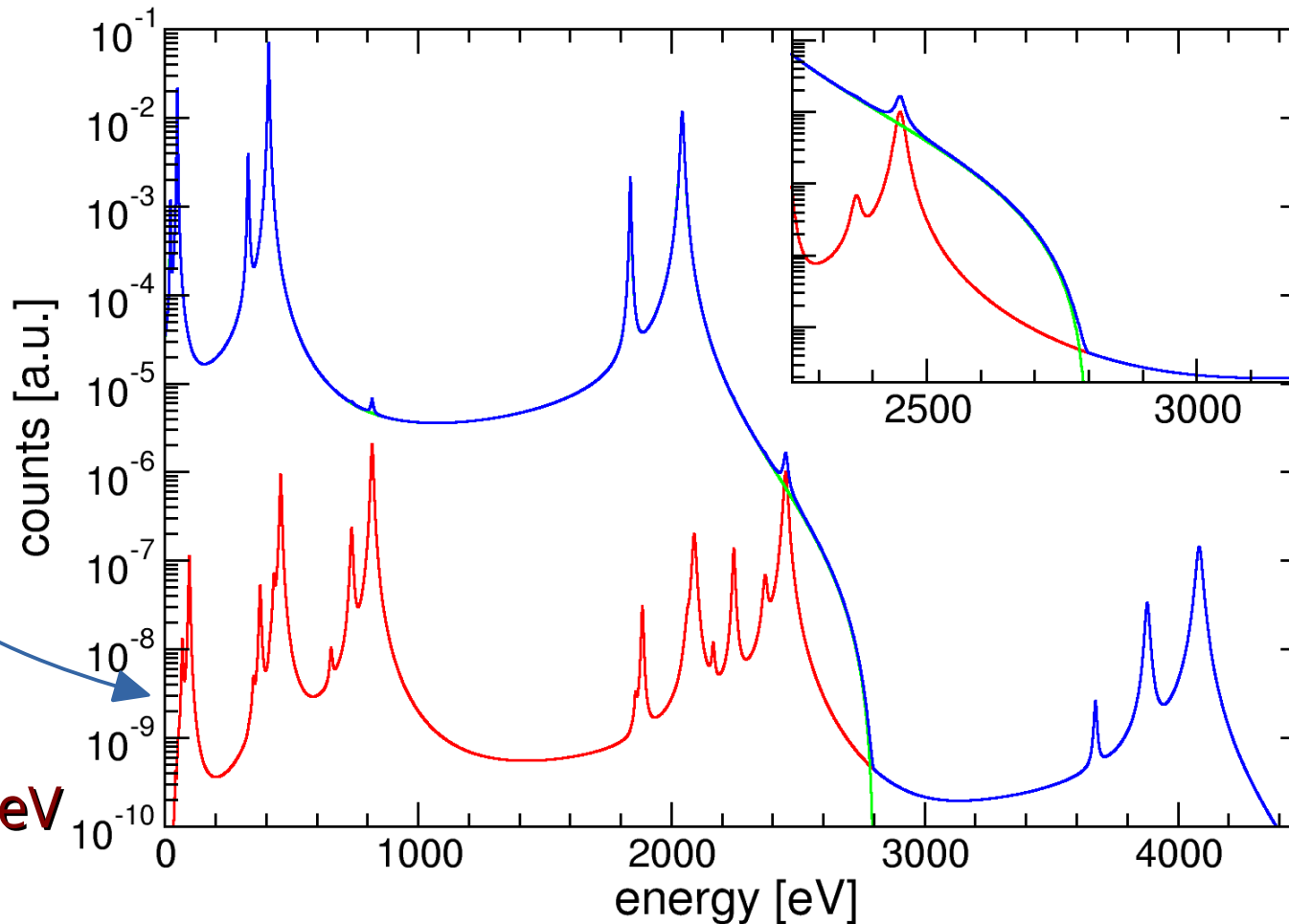
# Electron capture end-point experiment



- no direct calorimetric measurement of  $Q$  (end-point) so far
- complex pile-up spectrum

►  $N_{pp}(E) = f_{pp} N_{EC}(E) \otimes N_{EC}(E)$  with  $f_{pp} \approx A_{EC} \tau_R$

$A_{EC}$  EC activity per detector  
 $\tau_R$  time resolution ( $\approx$  rise time)



$Q = 2800 \text{ eV}$

$f_{pp} = 10^{-4}$



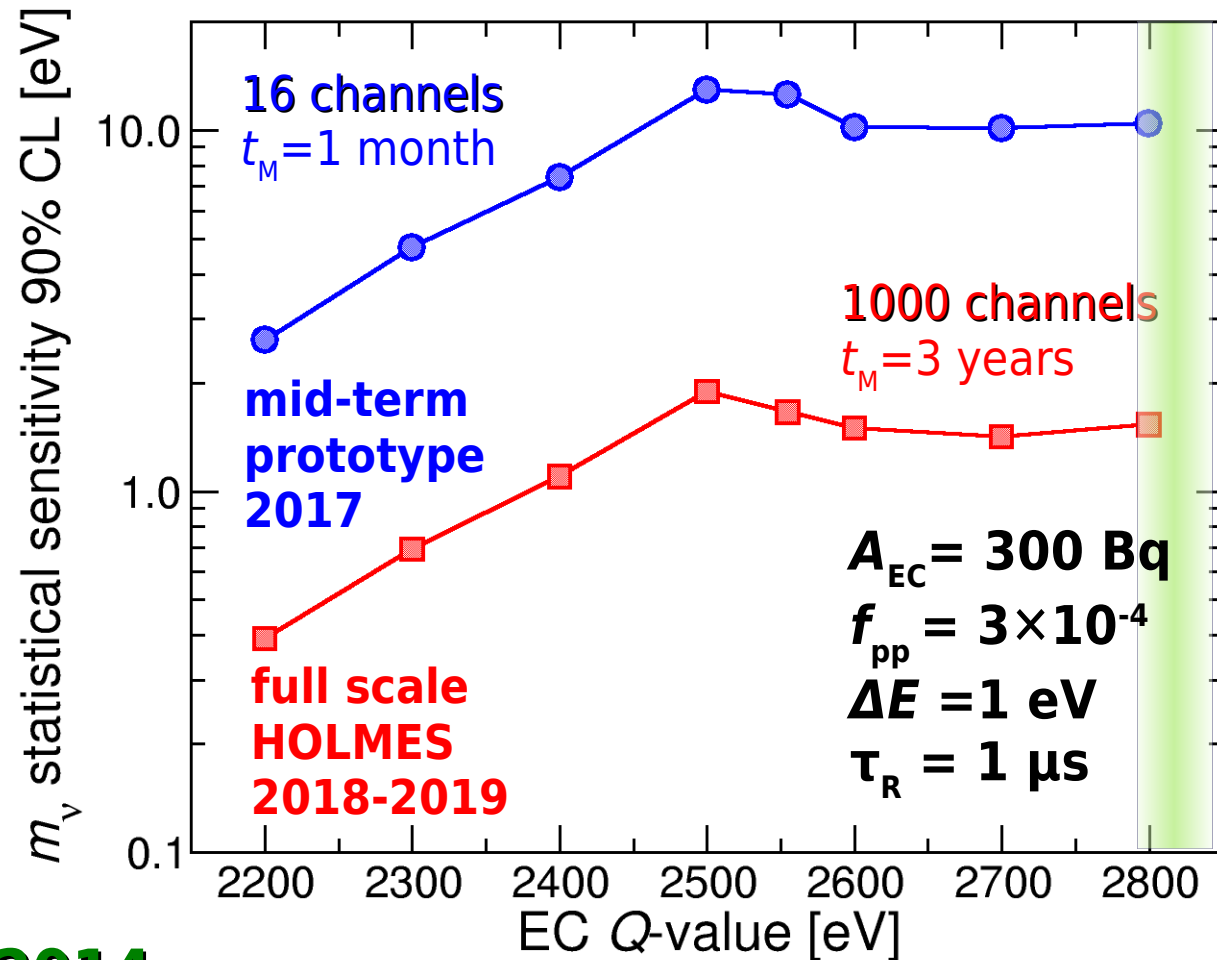
**goal**

- neutrino mass measurement:  $m_\nu$  statistical sensitivity as low as 0.4 eV
- prove technique potential and scalability:
  - ▶ assess EC spectral shape
  - ▶ assess systematic errors

**baseline**

- **TES microcalorimeters** with **implanted  $^{163}\text{Ho}$** 
  - ▶  $6.5 \times 10^{13}$  nuclei per pixel
  - $A_{\text{EC}} = 300 \text{ dec/sec}$
  - ▶  $\Delta E \approx 1 \text{ eV}$  and  $\tau_R \approx 1 \mu\text{s}$
- **1000 channel array**
  - ▶  $6.5 \times 10^{16}$   $^{163}\text{Ho}$  nuclei
  - $\approx 18 \mu\text{g}$
  - ▶  $3 \times 10^{13}$  events in **3 years**

→ **started on February 1<sup>st</sup> 2014**





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J.Fowler  
J.Gard  
J.Hays-Wehle  
G.Hilton  
J.Mates  
C.Reintsema  
D.Schmidt  
D.Swetz  
J.Ullom  
L.Vale

**PSI**

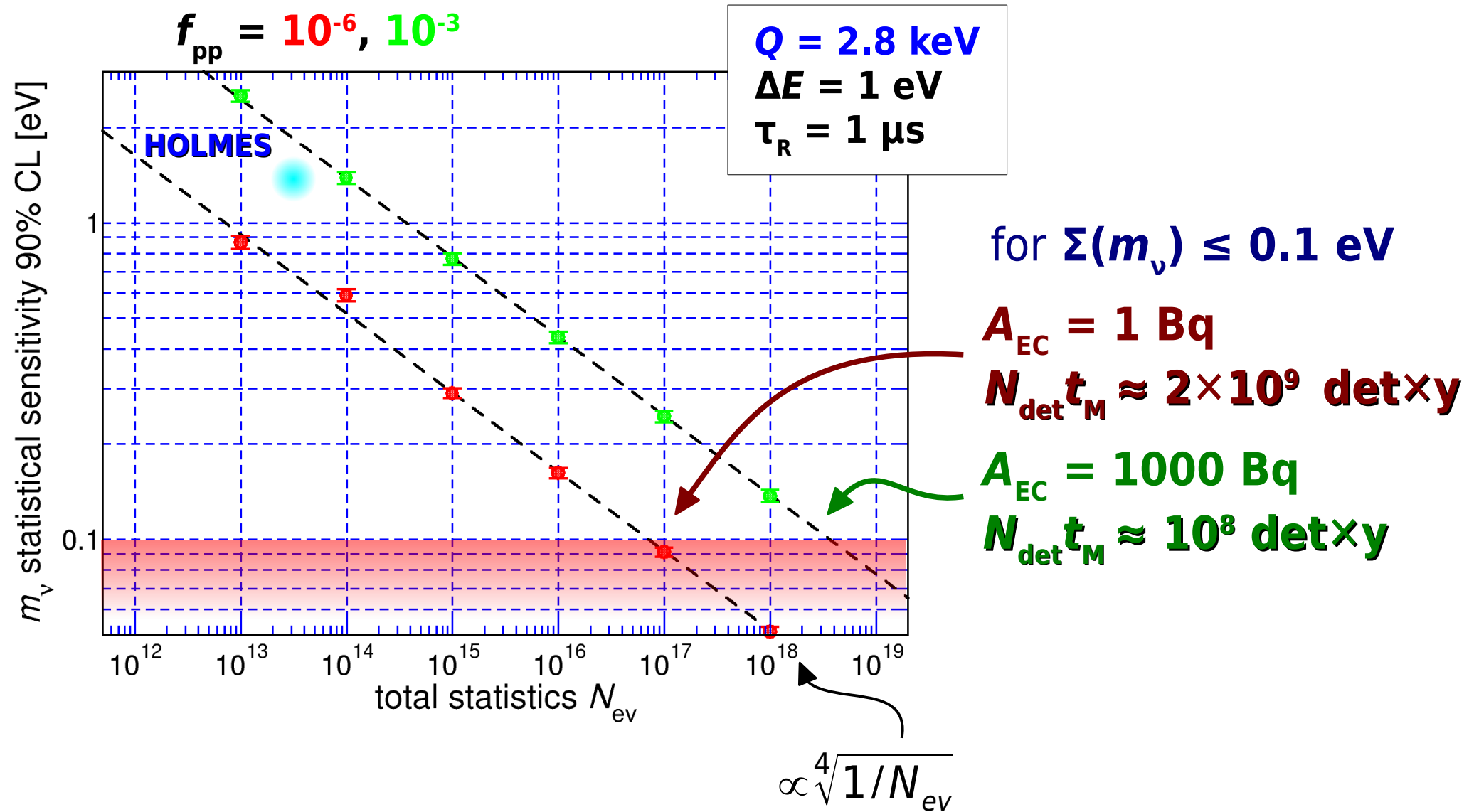
R.Dressler  
S.Heinitz  
D.Schumann

**CENTRA-IST**  
M.Ribeiro-Gomes

**ILL**

U.Koester

# Potential sensitivity: Montecarlo simulations

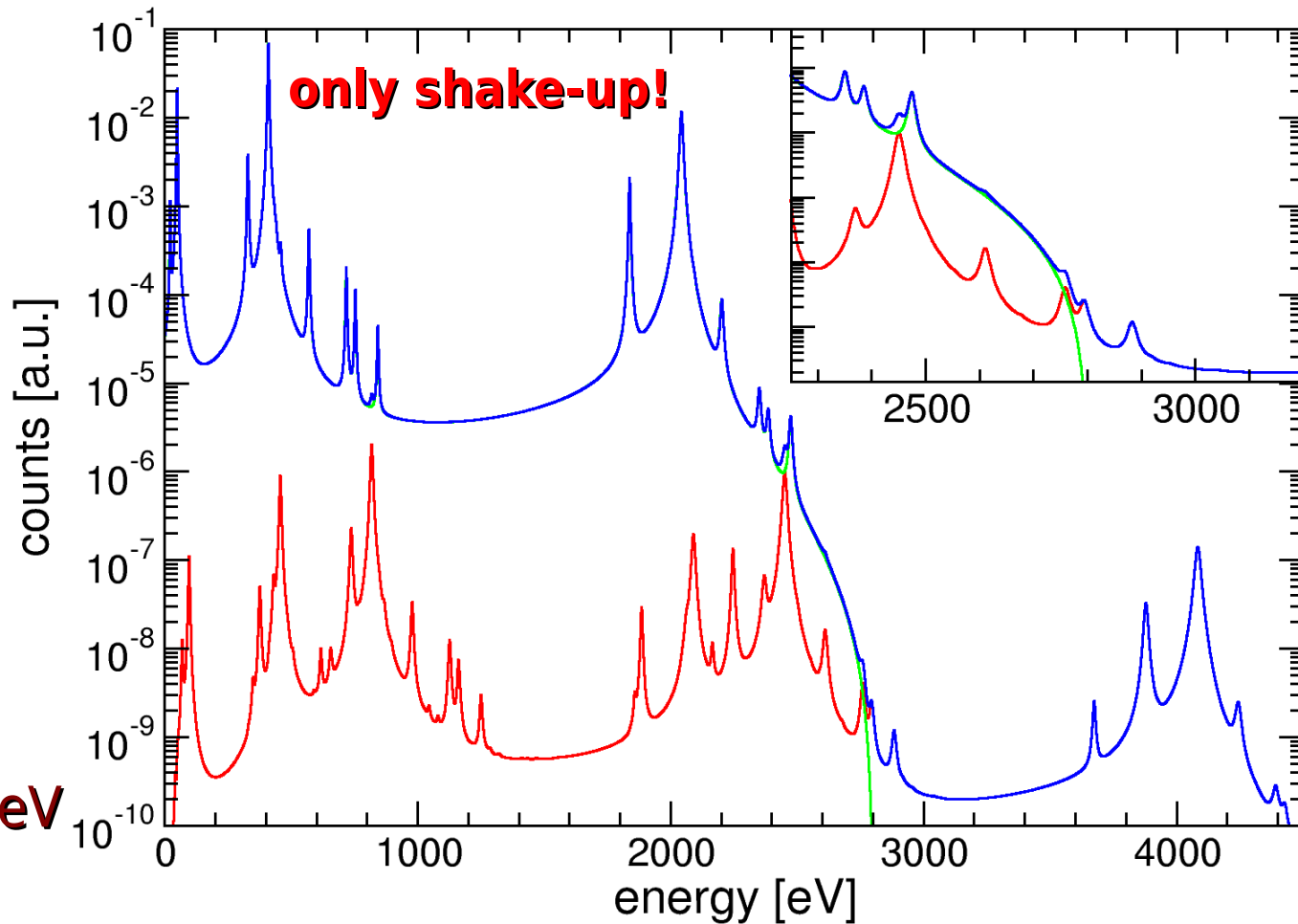


# More on EC end-point experiments / 1



- **shake-up/shake-off** → double hole excitations
  - ▶  $n$ -hole excitations possible but less probable
  - ▶ authors do not fully agree on energies and probabilities
- even more complex pile-up spectrum
  - ▶ it may be worth keeping  $f_{pp}$  smaller than  $10^{-4}$

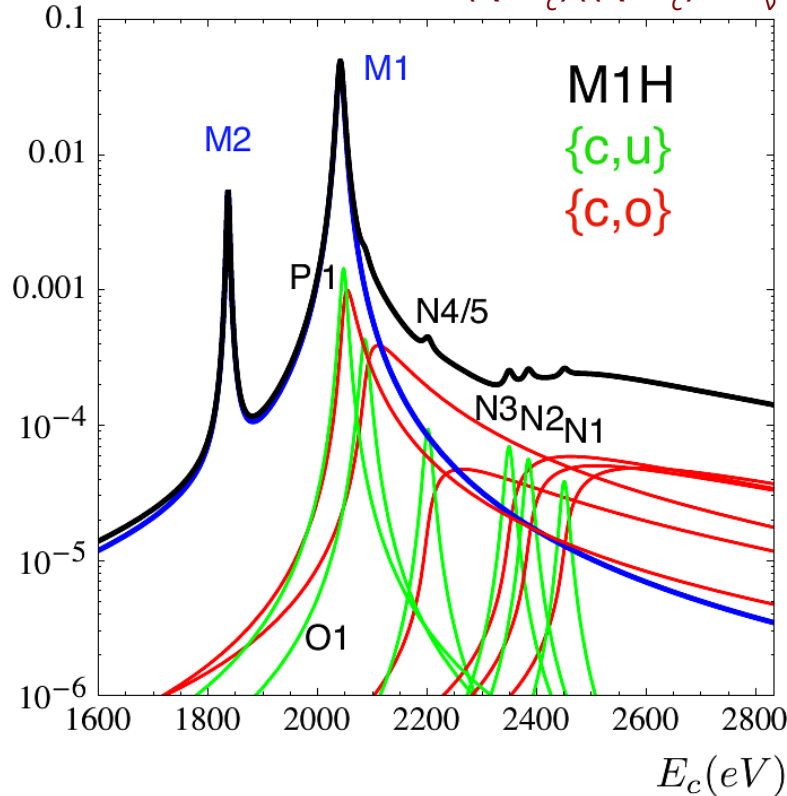
A.De Rújula, arXiv:1305.4857  
R.G.H.Robertson, arXiv:1411.2906  
A.Faessler et al., PRC 91 (2015) 45505



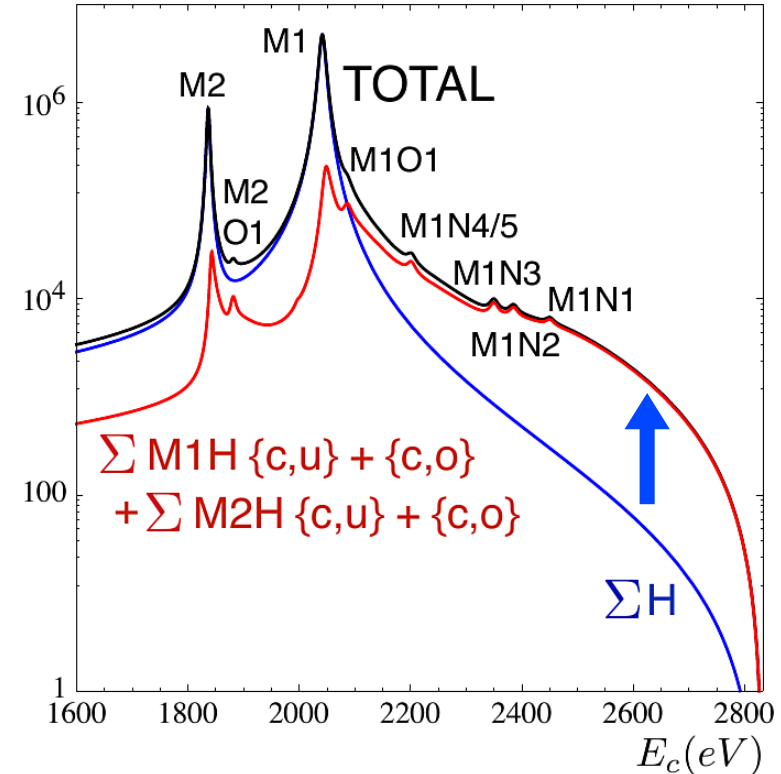
# More on EC end-point experiments / 2



without kinematic factor  $(Q-E_c)((Q-E_c)^2-m_\nu^2)^{1/2}$

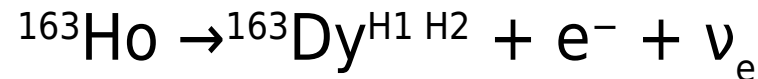


with kinematic factor  $(Q-E_c)((Q-E_c)^2-m_\nu^2)^{1/2}$



A.De Rújula & M. Lusignoli, J. High Energ. Phys. (2016) 2016: 15

- including **2-hole shake-off processes**



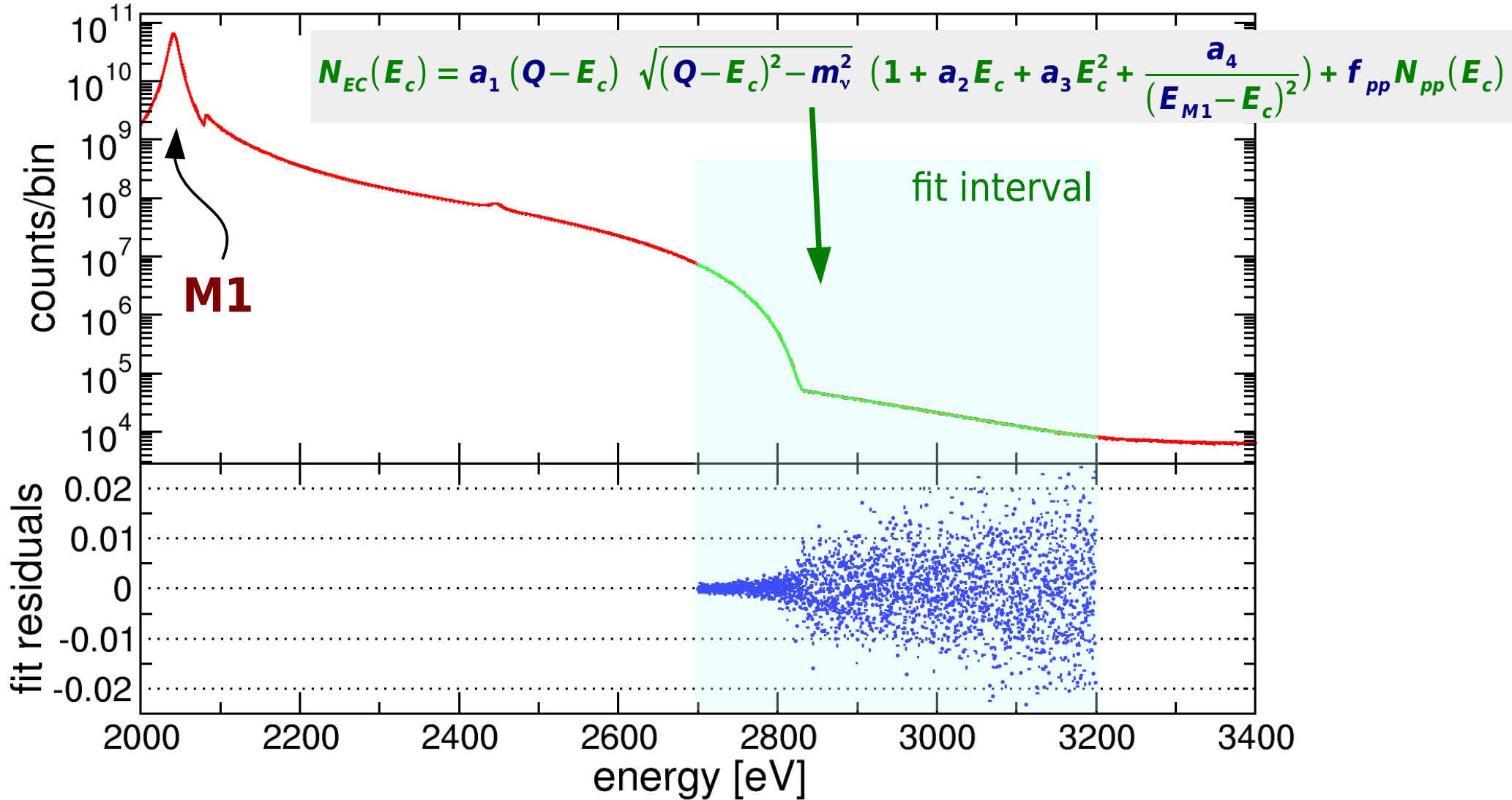
- dominate rate at end-point
  - ▶ **optimistic:** factor **~40** increase
  - ▶ no analytic description of spectral shape at end-point
- make pile-up less important

# Statistical sensitivity: shake-off processes



**HOLMES simulation** with the *optimistic* spectrum from A.De Rújula & M. Lusignoli

$$Q = 2833 \text{ eV}, N_{\text{ev}} = 3 \times 10^{13}, f_{\text{pp}} = 3.0 \times 10^{-4}, \Delta E = 1.0 \text{ eV}$$



statistical sensitivity  $\Sigma(m_\nu) \approx 0.64 \pm 0.03 \text{ eV}$

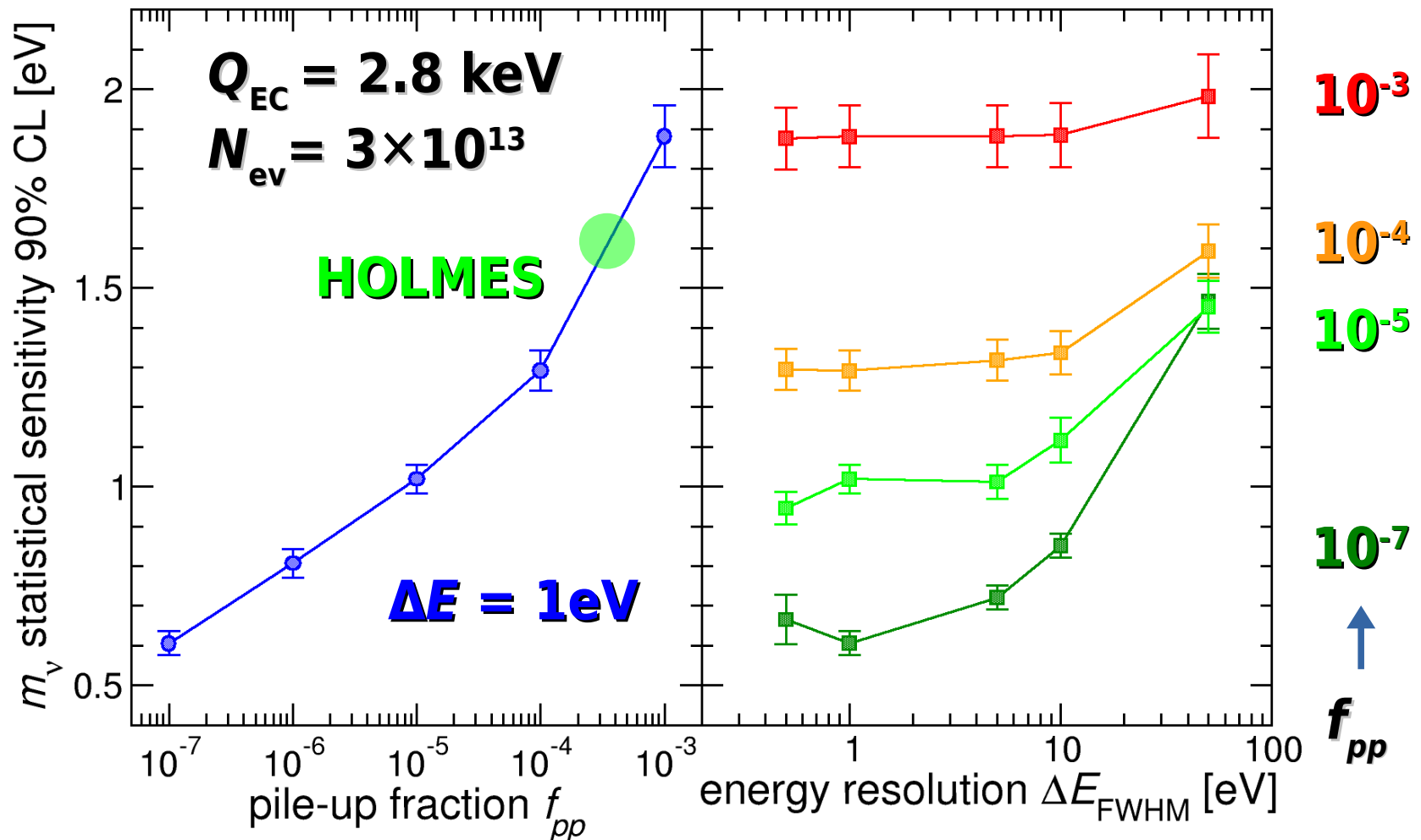
# HOLMES design: more MC simulations...



## Statistical sensitivity $\Sigma(m_\nu)$ dependencies from MC simulations

- **strong** on statistics  $N_{ev} = A_{EC} N_{det} t_M$ :  $\Sigma(m_\nu) \propto N_{ev}^{-1/4}$
- **strong** on rise time pile-up (probability  $f_{pp} \approx A_{EC} \tau_R$ )
- **weak** on energy resolution  $\Delta E$

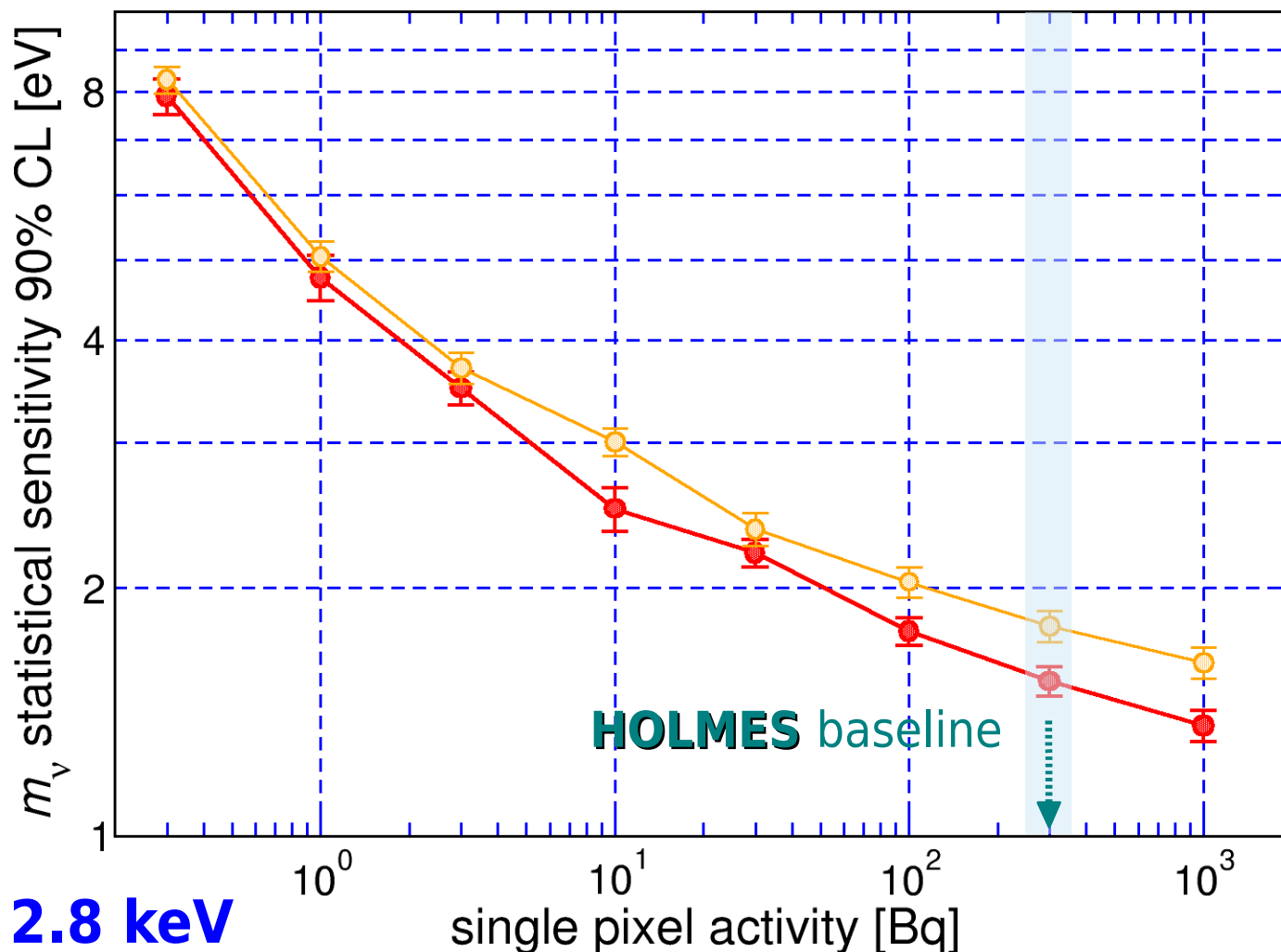
$t_M$  measuring time  
 $N_{det}$  number of detectors  
 $A_{EC}$  EC activity per detector  
 $\tau_R$  time resolution ( $\approx$  rise time)



# Statistical sensitivity and single pixel activity



fixed exposure  $N_{\text{det}} t_M$



1000 channels  
 $t_M = 3$  years

$\Delta E = 1$  eV  
 $\tau_R = 1$   $\mu$ s

$\Delta E = 3$  eV  
 $\tau_R = 3$   $\mu$ s

$Q = 2.8$  keV

high activity  $\rightarrow$  robustness against (flat) background  
 $A_{\text{EC}} = 300$  Bq  $\rightarrow$   $bkg < \approx 0.1$  counts/eV/day/det



# Effect of background on sensitivity

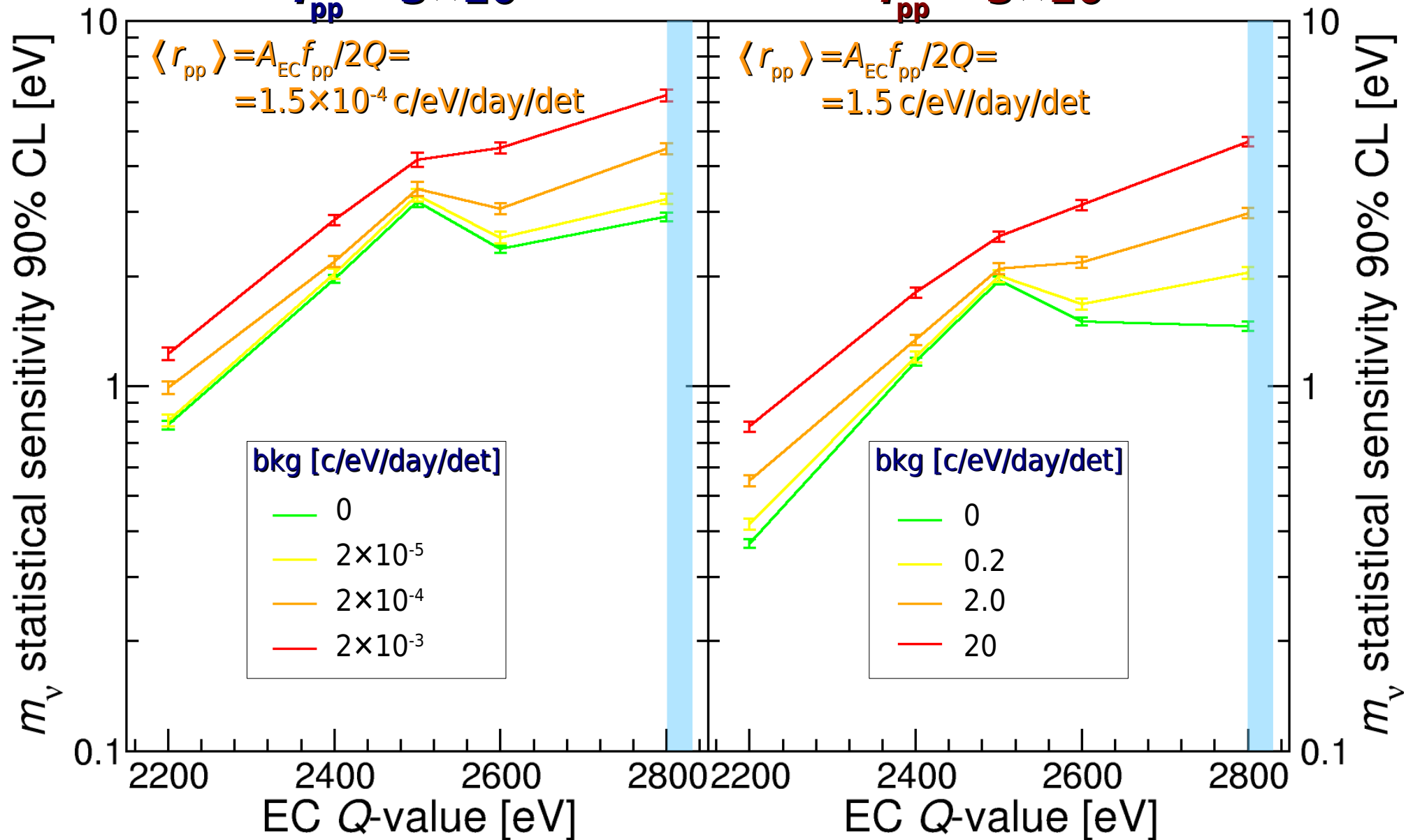


$A_{EC} = 3 \text{ Bq/det}$

$f_{pp} = 3 \times 10^{-6}$

$A_{EC} = 300 \text{ Bq/det}$

$f_{pp} = 3 \times 10^{-4}$





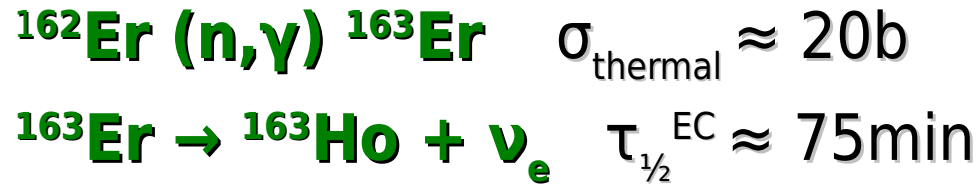
- environmental  $\gamma$  radiation
- $\gamma$ , X and  $\beta$  from close surroundings
- **cosmic rays**
  - ▷ GEANT4 simulation for CR at sea level (only **muons**)
  - ▷ **Au pixel  $200 \times 200 \times 2 \mu\text{m}^3 \rightarrow \text{bkg} \approx 5 \times 10^{-5} \text{ c/eV/day/det (0 - 4 keV)}$**
- **internal radionuclides**
  - ▷  **$^{166\text{m}}\text{Ho}$  ( $\beta^-$ ,  $\tau_{1/2} = 1200 \text{ y}$ , produced along with  $^{163}\text{Ho}$ )**
  - ▷ **Au pixel  $200 \times 200 \times 2 \mu\text{m}^3$** 
    - GEANT4 simulation  $\rightarrow$   **$\text{bkg} \approx 0.5 \text{ c/eV/day/det/Bq}(^{166\text{m}}\text{Ho})$**
  - ▷  **$A(^{163}\text{Ho}) = 300 \text{ Bq/det}$  ( $\leftrightarrow \approx 6.5 \times 10^{13}$  nuclei/det)**
    - $\text{bkg}(^{166\text{m}}\text{Ho}) < 0.1 \text{ c/eV/day/det} \rightarrow A(^{163}\text{Ho})/A(^{166\text{m}}\text{Ho}) > 1500$**
    - $\rightarrow N(^{163}\text{Ho})/N(^{166\text{m}}\text{Ho}) > 6000$

**MIBETA** experiment with  $300 \times 300 \times 150 \mu\text{m}^3$   $\text{AgReO}_4$  crystals  
 **$\text{bkg}(2..5\text{keV}) \approx 1.5 \times 10^{-4} \text{ c/eV/day/det}$**



- **$^{163}\text{Ho}$  isotope production**
- **$^{163}\text{Ho}$  embedding system**
- **TES pixel R&D**
- **TES array design and fabrication**
- **TES array multiplexed read-out**
- **Data Acquisition System**

# $^{163}\text{Ho}$ production by neutron activation



Tm 163 1.81 h $\epsilon$ $\beta^+$ ... $\gamma$ 104; 69; 241; 1434; 1397...	Tm 164 5.1 m 2.0 m $\epsilon$ $\beta^+$ 2.9... $\gamma$ 91; 208; 1155; 315... 769...	Tm 165 30.06 h $\epsilon$ $\beta^+$ ... $\gamma$ 243; 47; 297; 807...	Tm 166 7.70 h $\epsilon$ $\beta^+$ 1.9... $\gamma$ 779; 2052; 184; 1274...	Tm 167 9.25 d $\epsilon$ $\gamma$ 532... m	Tm 168 93.1 d $\epsilon$ ; $\beta^+$ ... $\beta^+$ ... $\gamma$ 198; 816; 447...
Er 162 0.139 $\sigma$ 19 $\sigma_n, \alpha < 0.011$	Er 163 75 m $\epsilon$ $\beta^+$ ... $\gamma$ (1114...) g	Er 164 1.601 $\sigma$ 13 $\sigma_n, \alpha < 0.0012$	Er 165 10.3 h $\epsilon$ no $\gamma$	Er 166 33.503 $\sigma$ 3 + 14 $\sigma_n, \alpha < 7\text{E-}5$	Er 167 2.3 s 22.869 $\epsilon$ $\beta^-$ 208 $\sigma$ 650 $\sigma_n, \alpha < 3\text{E-}6$
Ho 161 6.7 s 2.5 h $\epsilon$ $\gamma$ 26; 78... $\epsilon^-$ $\gamma$ 211	Ho 162 68 m 15 m $\epsilon$ $\beta^-$ 1.1... $\gamma$ 185; 1220; 283; 937... $\epsilon^-$	Ho 163 1.1 4570 a $\epsilon$ no $\gamma$	Ho 164 37 m 29 m $\epsilon$ $\beta^-$ 1.0... $\gamma$ 91; 73... $\epsilon^-$	Ho 165 100 $\sigma$ 3.1 + 58 $\sigma_n, \alpha < 2\text{E-}5$	Ho 166 1200 a 26.80 h 0.07... $\beta^-$ $\gamma$ 184; 810; 712 $\gamma$ 81... $\sigma$ 3100 $\epsilon^-$
Dy 160 2.329 $\sigma$ 60 $\sigma_n, \alpha < 0.0003$	Dy 161 18.889 $\sigma$ 600 $\sigma_n, \alpha < 1\text{E-}6$	Dy 162 25.475 $\sigma$ 170	Dy 163 24.896 $\sigma$ 120 $\sigma_n, \alpha < 2\text{E-}5$	Dy 164 28.260 $\sigma$ 1610 + 1040	Dy 165 1.3 m 2.35 h $\epsilon$ $\beta^-$ $\beta^-$ 0.9; 1.3... 1.0... $\gamma$ 95; $\gamma$ 515... (362...) $\sigma$ 2000 $\sigma$ 3500

- $^{162}\text{Er}$  irradiation at **ILL nuclear reactor** (Grenoble, France)
  - ▶ thermal neutron flux at **ILL**:  $1.3 \times 10^{15}$  n/cm<sup>2</sup>/s
  - ▶ **burn up**  $^{163}\text{Ho}(n,\gamma)^{164}\text{Ho}$ :  $\sigma_{\text{burn-up}} \approx 200\text{b}$  (preliminary result from **PSI** analysis)
  - ▶  $^{165}\text{Ho}(n,\gamma)$  (mostly from  $^{164}\text{Er}(n,\gamma)$ )  $\rightarrow$   $^{166\text{m}}\text{Ho}$  ( $\beta$ ,  $\tau_{1/2} = 1200\text{y}$ )  $\rightarrow A(^{163}\text{Ho})/A(^{166\text{m}}\text{Ho}) = 100 \sim 1000$
- chemical pre-purification and post-separation at **PSI** (Villigen, CH)
- **HOLMES needs  $\approx 200$  MBq of  $^{163}\text{Ho}$**   
with reasonable assumptions on the (unknown) global embedding process efficiency...

# HOLMES source production



- **enriched  $\text{Er}_2\text{O}_3$**  samples\* irradiated at **ILL** and pre-/post-processed at **PSI**
  - ▶ 25 mg irradiated for 55 days (2014) →  $A(^{163}\text{Ho}) \approx 5 \text{ MBq}$  ( $A(^{166\text{m}}\text{Ho}) \approx 10 \text{ kBq}$ )
  - ▶ 150 mg irradiated for 50 days (2015) →  $A(^{163}\text{Ho}) \approx 38 \text{ MBq}$  ( $A(^{166\text{m}}\text{Ho}) \approx 37 \text{ kBq}$ )
- **Ho chemical separation** with ion-exchange resins in hot-cell at **PSI**
  - ▶ **efficiency  $\geq 79\%$**  (preliminary)
- **540 mg of 25% enriched  $\text{Er}_2\text{O}_3$**  irradiated 50 days at **ILL** early in 2017
  - ▶  $A(^{163}\text{Ho})_{\text{theo}} \approx 130 \text{ MBq}$  (enough for R&D and 500 pixels) ( $A(^{166\text{m}}\text{Ho}) \approx 180 \text{ kBq}$ )

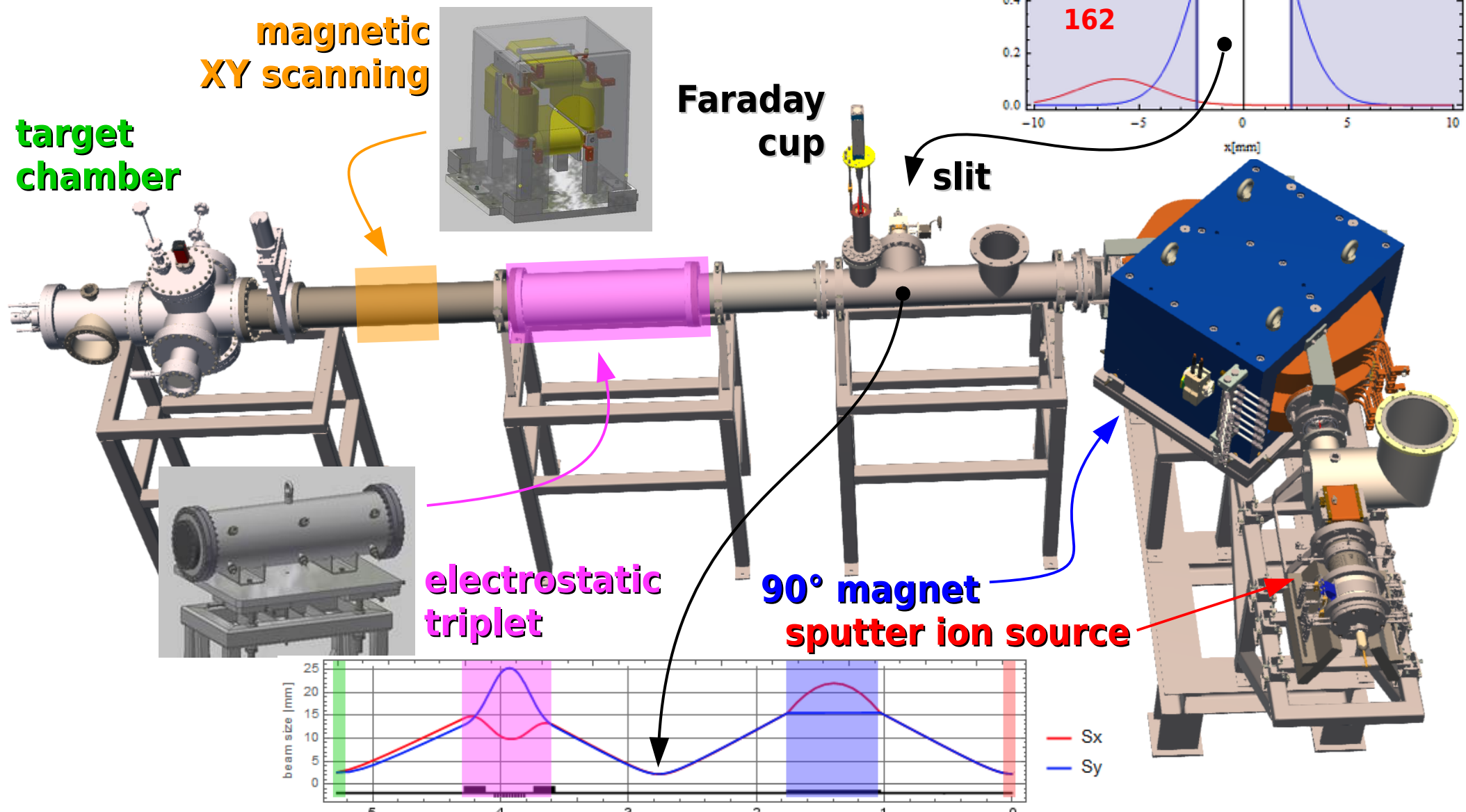
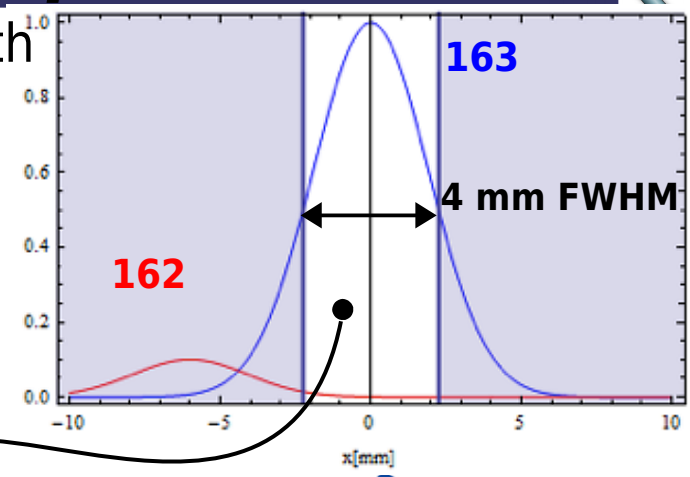


\* from INFN and CENTRA (Lisbon)

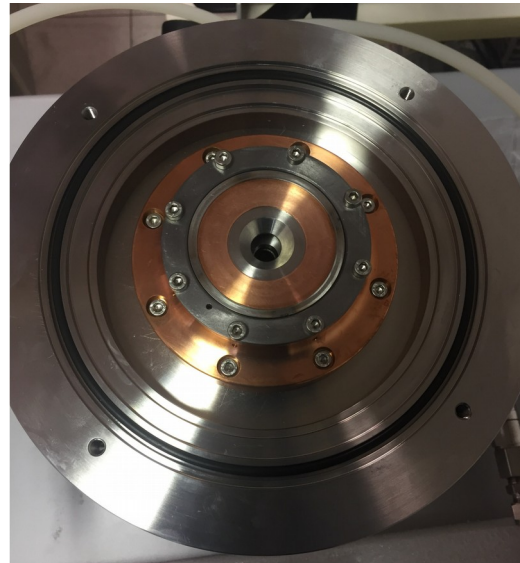
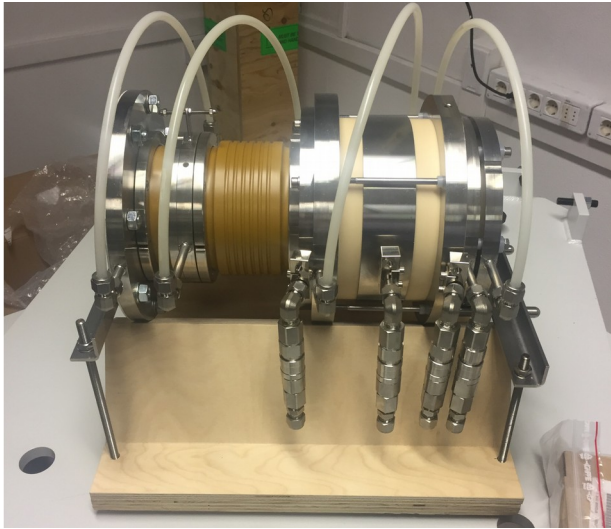
# HOLMES mass separation and ion implantation



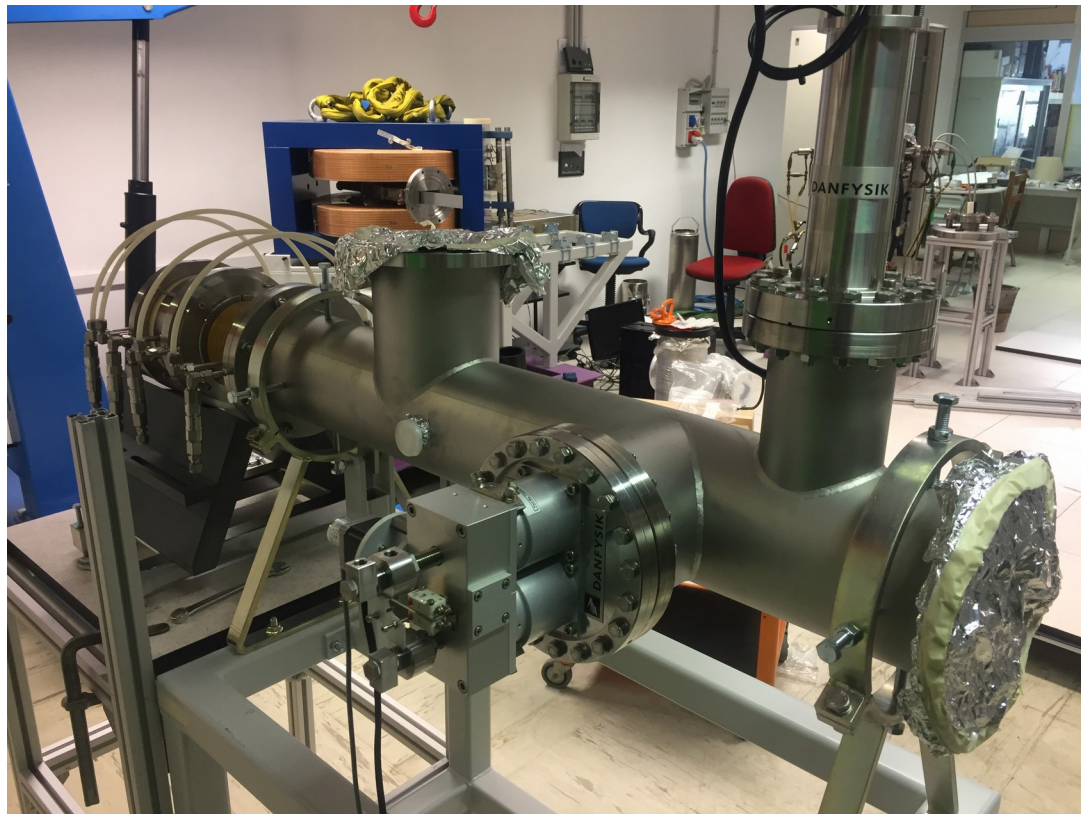
- extraction voltage 30-50 kV → 10-100 nm implant depth
- $^{163}\text{Ho}$  /  $^{166\text{m}}\text{Ho}$  separation better than  $10^5$
- **ion source, magnet and slit** delivered end **2016**



# HOLMES ion implantation system / 2



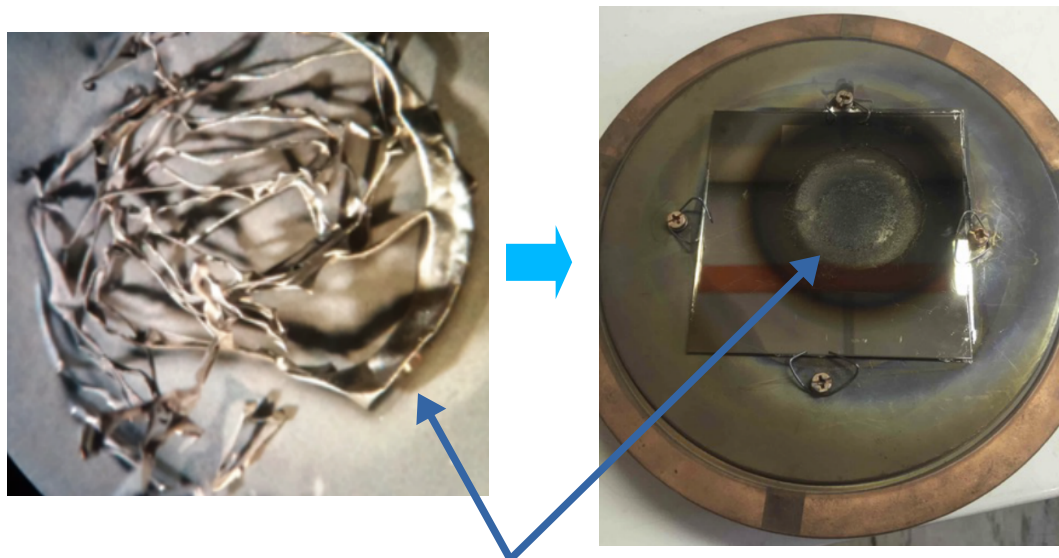
testing the ion source



# Ion source sputter target production / 1



- **Metallic holmium sputter target** for implanter ion source
- 30% enriched  $\text{Er}_2\text{O}_3 \rightarrow \text{Ho}_2\text{O}_3$
- thermoreduction/distillation in furnace
  - ▶  **$\text{Ho}_2\text{O}_3 + 2\text{Y}(\text{met}) \rightarrow 2\text{Ho}(\text{met}) + \text{Y}_2\text{O}_3$  at  $T > 1600^\circ\text{C}$**
- new furnace set-up in 2016
- work in progress to
  - ▶ optimize the process
  - ▶ measure efficiency ( $\approx 70\%$ , preliminary)



evaporated metallic holmium

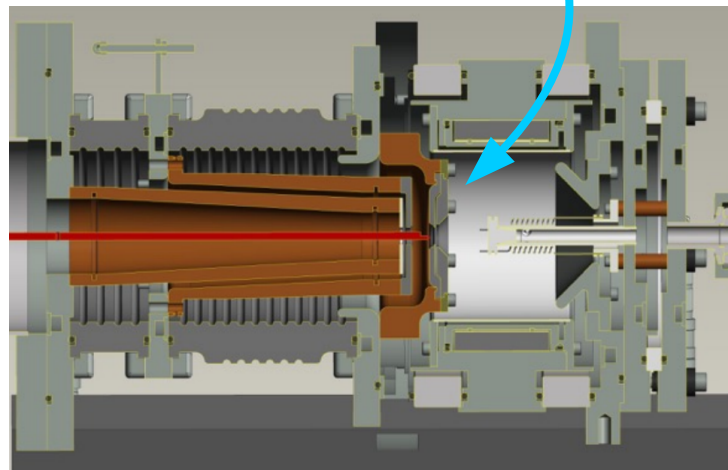
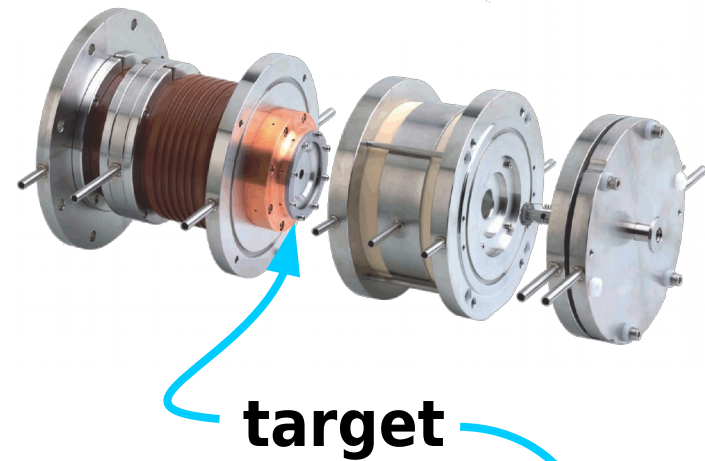




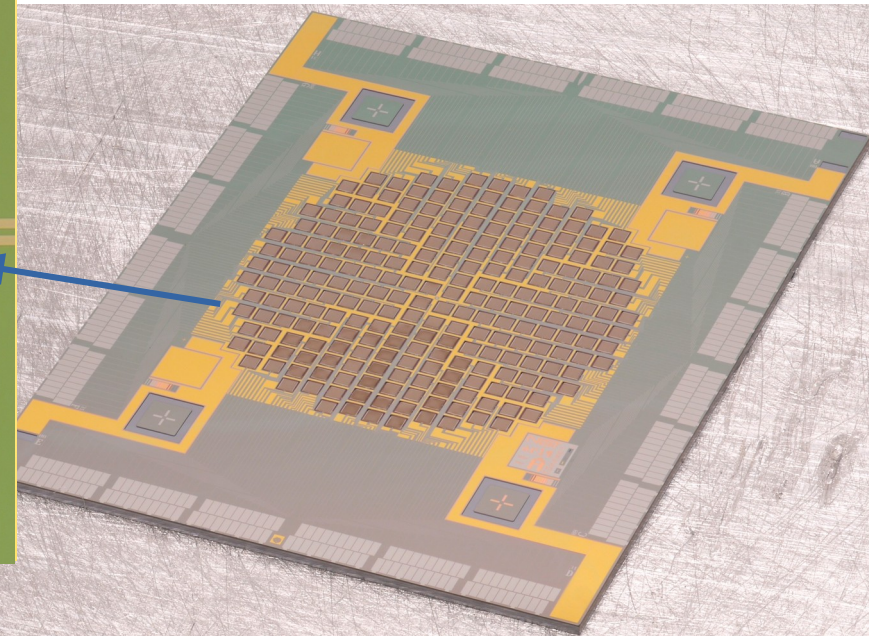
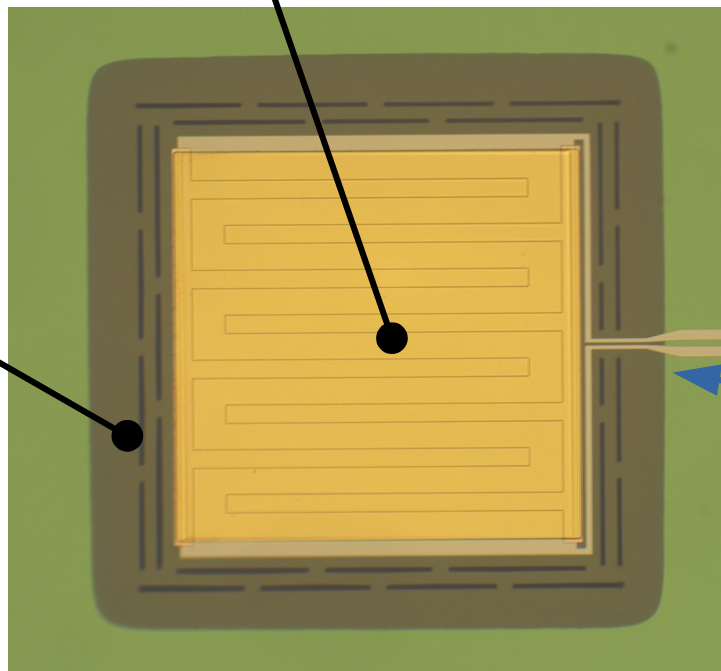
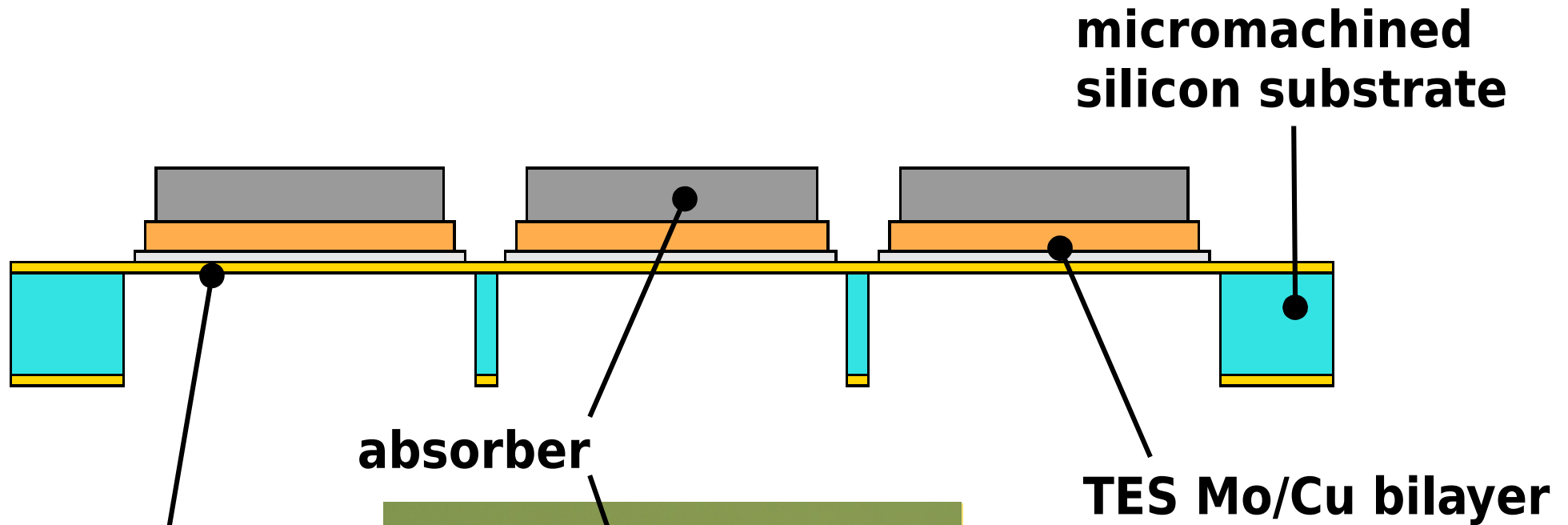
# ***Ion source sputter target production / 2***



- **Metallic holmium sputter target** for implanter ion source
  - ▶ work is in progress to produce the sputter target
  - ▶ sintering Ho with other metals



# TES microcalorimeters

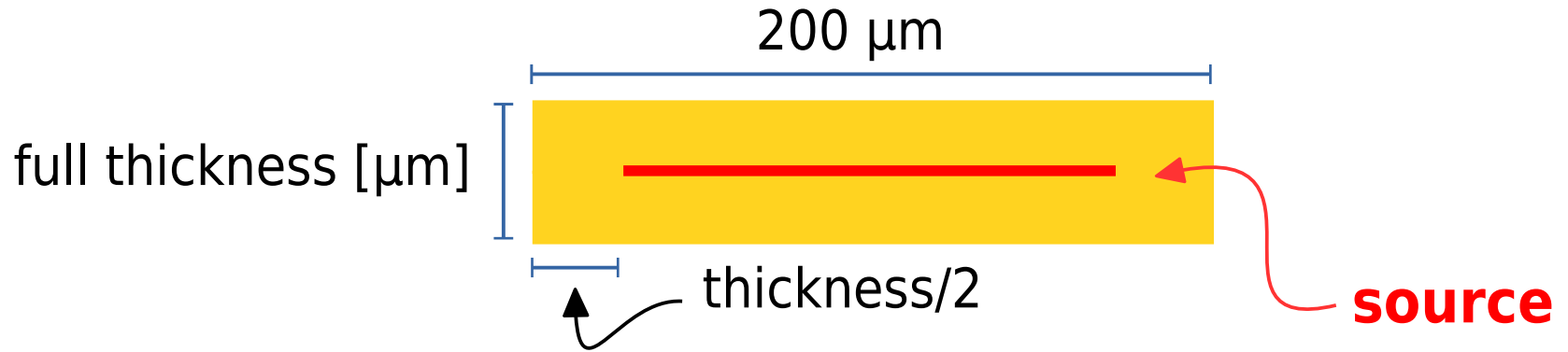


NIST TES array for X-ray spectroscopy

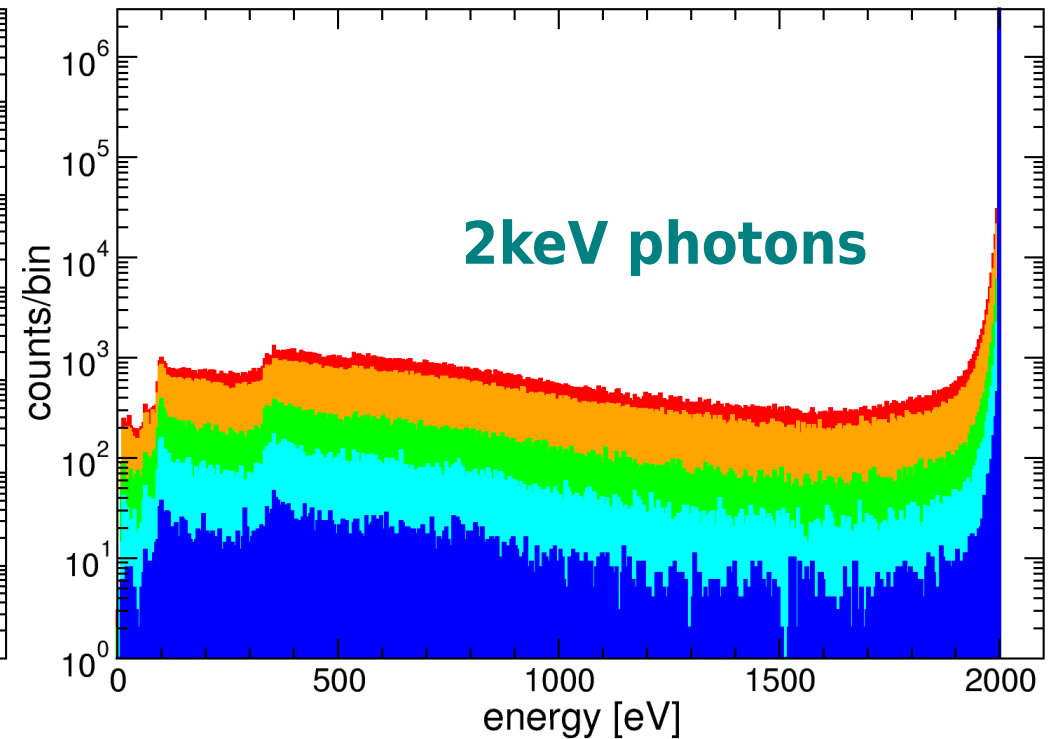
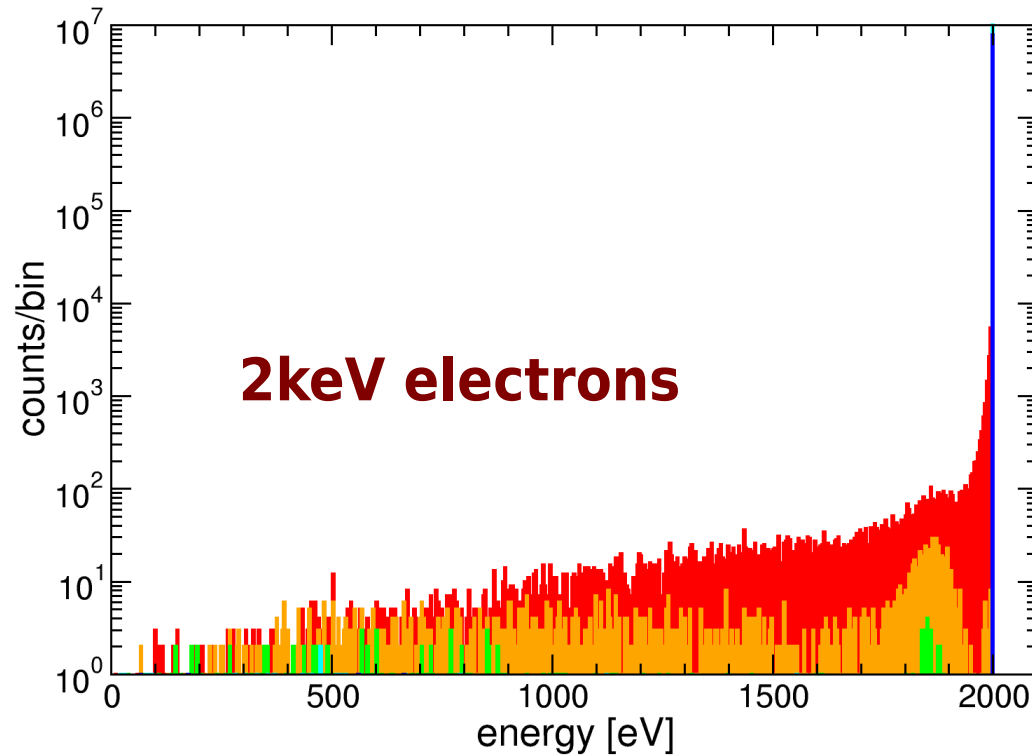
# TES absorber design: stopping EC radiation / 1



Geant4 + LowEnergyEM MC simulation



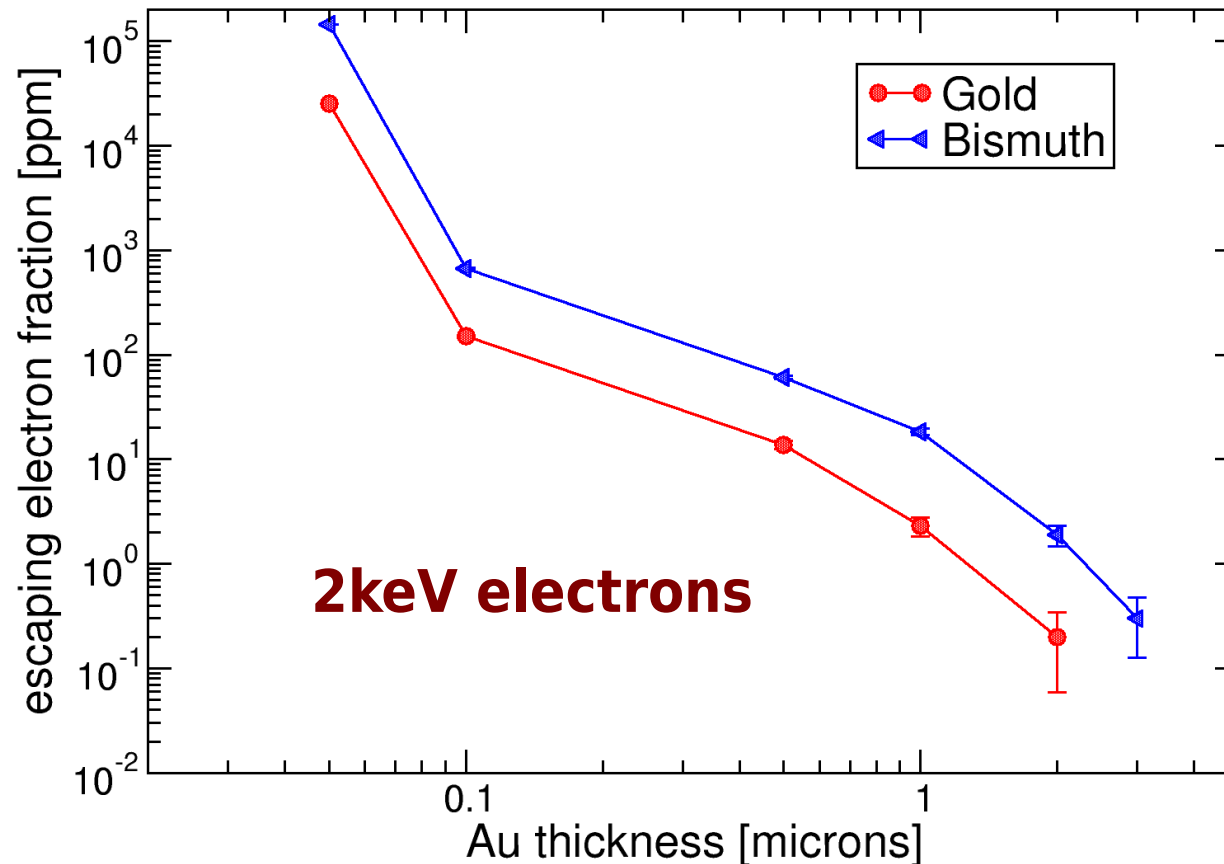
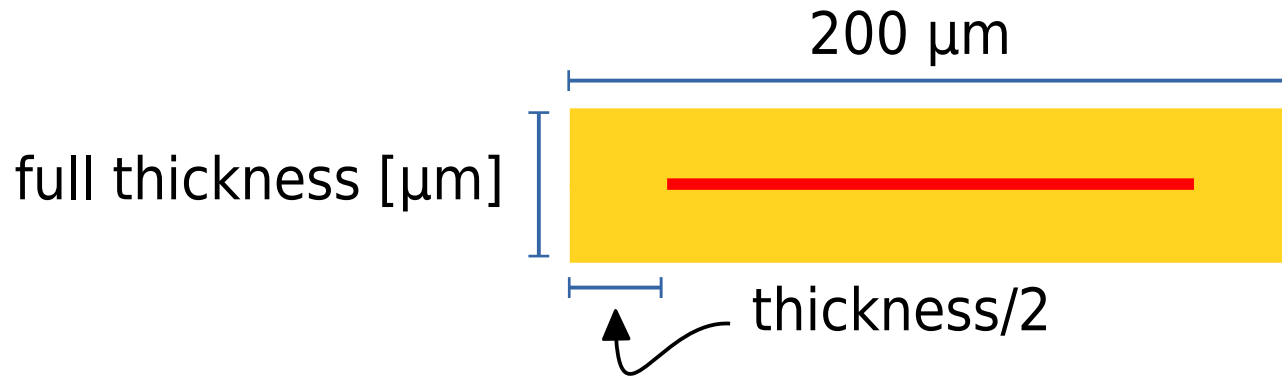
full thickness: 0.05, 0.1, 0.5, 1, 2 μm



# TES absorber design: stopping EC radiation / 2



## Geant4 + LowEnergyEM MC simulation



# Multiplexed TES array read-out



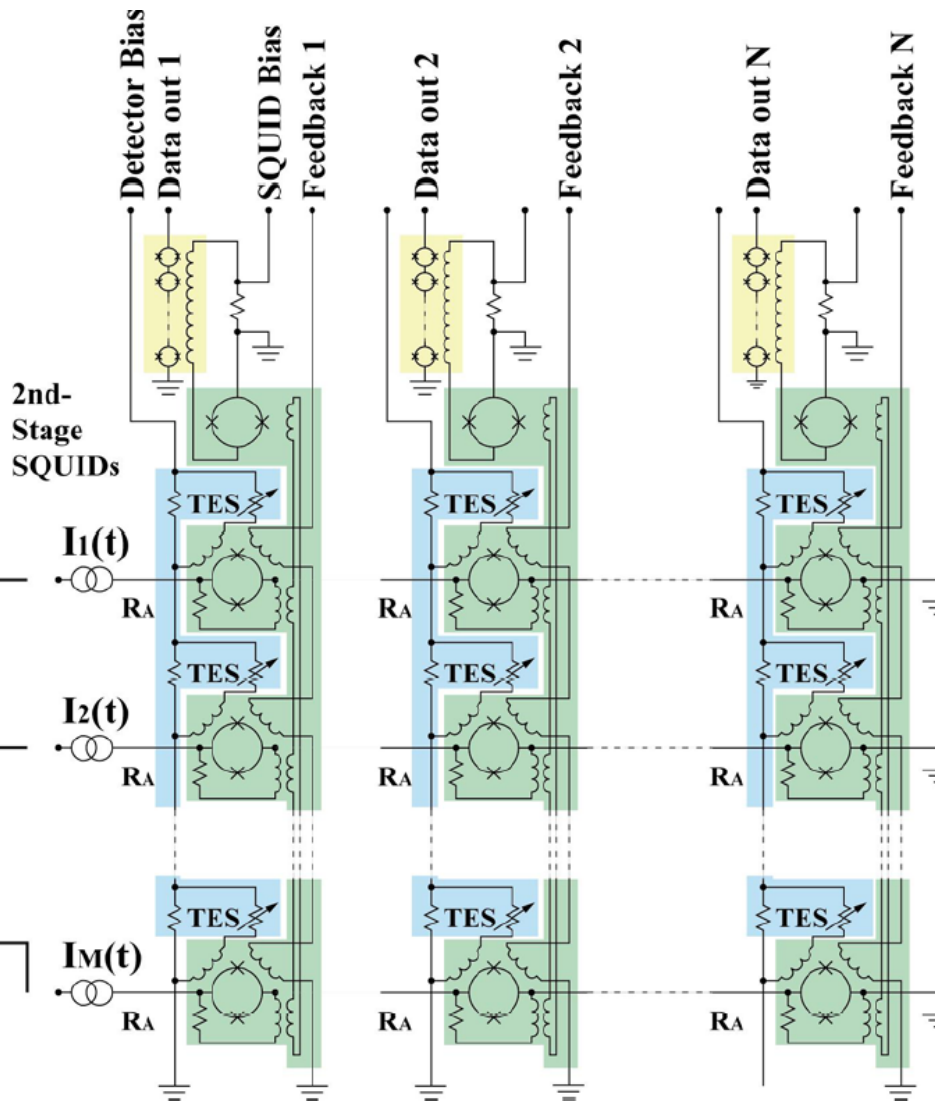
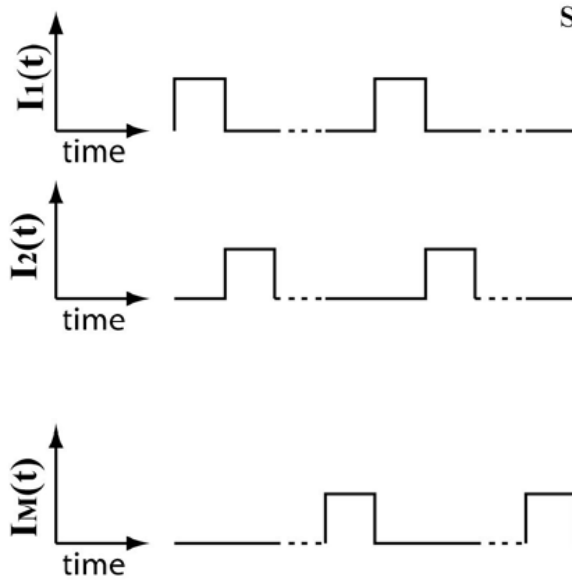
## TDM Time Division Multiplexing

### $N \times N$ TES array

without *mux*  $\rightarrow N \times N$  readout channels

with *mux*  $\rightarrow N$  addresses +  $N$  outputs

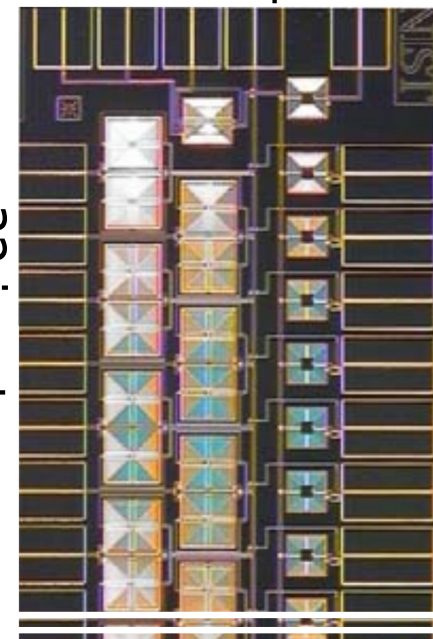
### Boxcar Modulation Functions



column output + ...

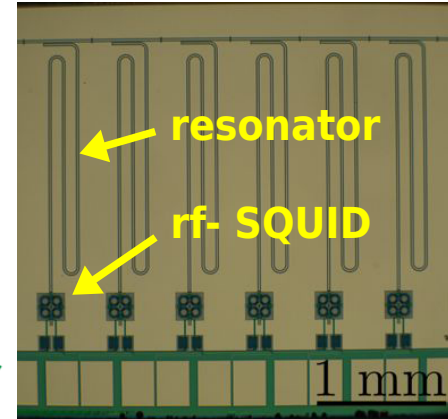
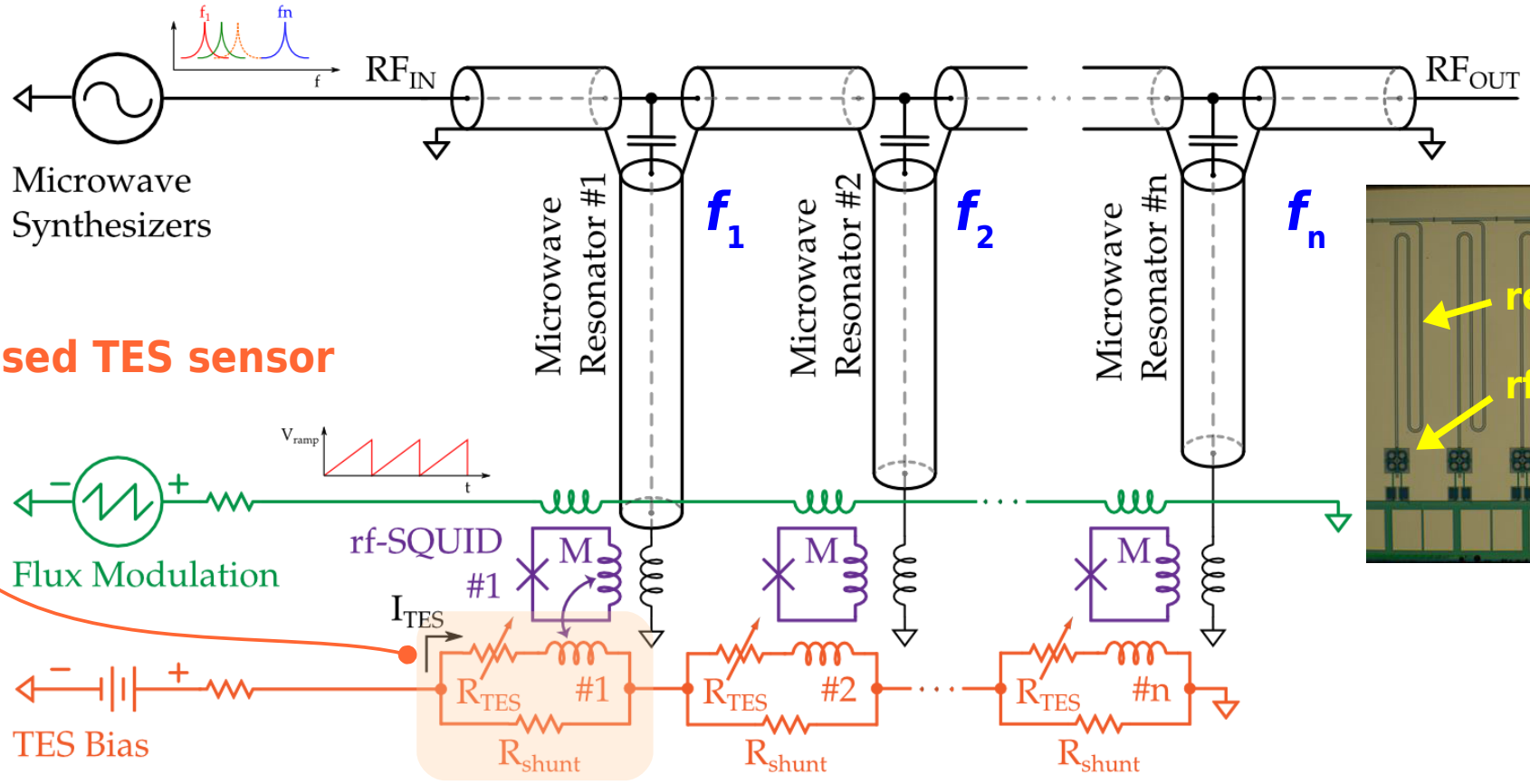
32 inputs

32 addresses

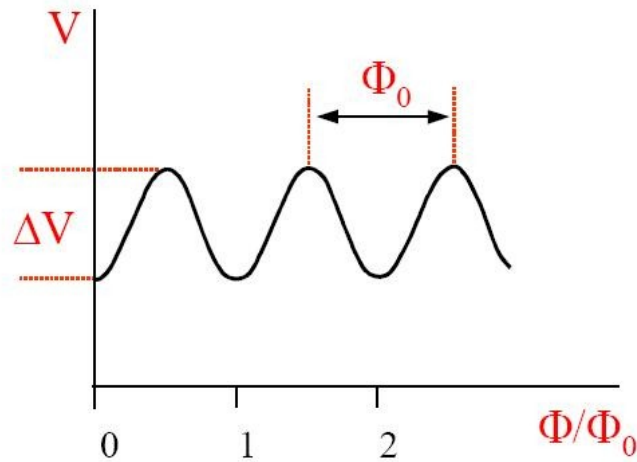


- Series Array SQUID (4K)
- Multiplexer chip(s)
- Detector chip(s)

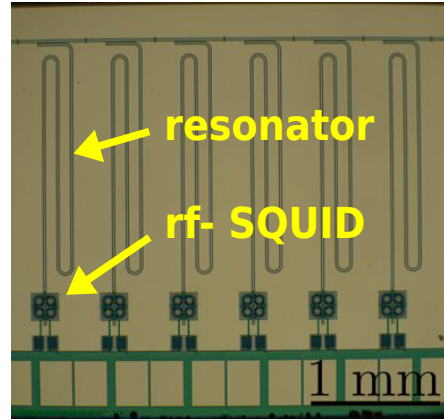
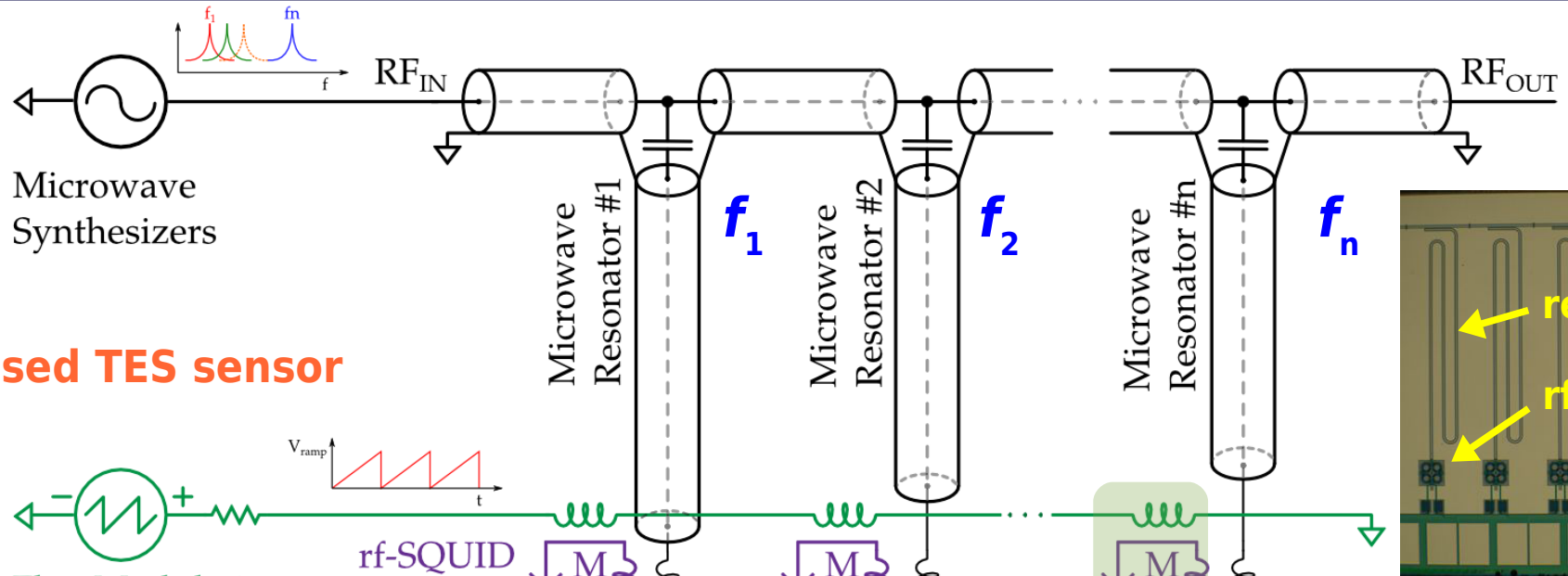
# HOLMES array read-out: rf-SQUID $\mu$ wave mux



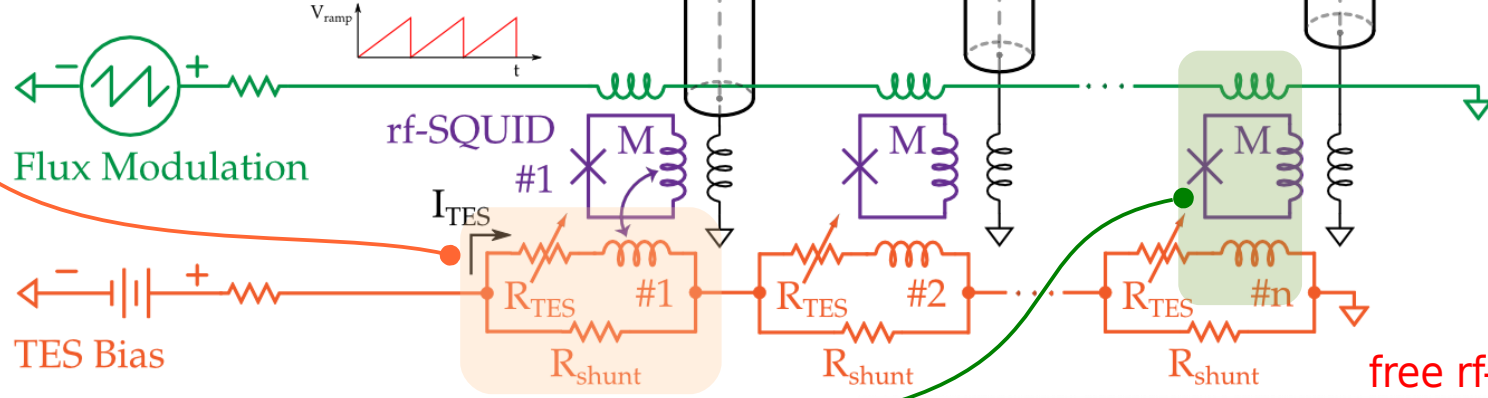
periodic  
SQUID  
response



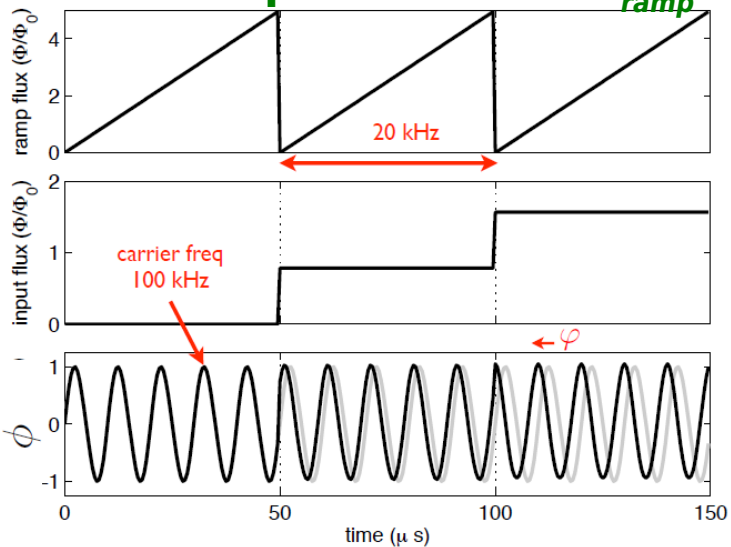
# HOLMES array read-out: rf-SQUID $\mu$ wave mux



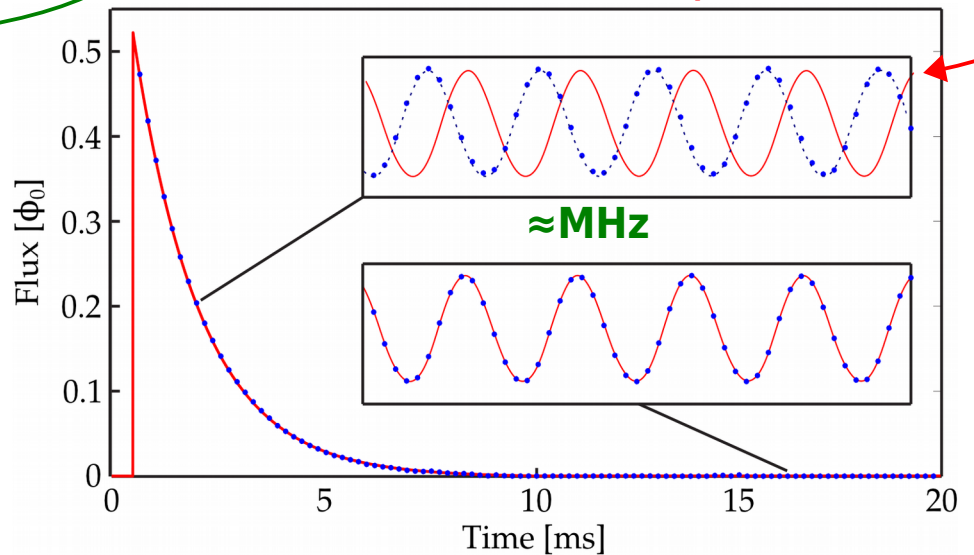
dc biased TES sensor



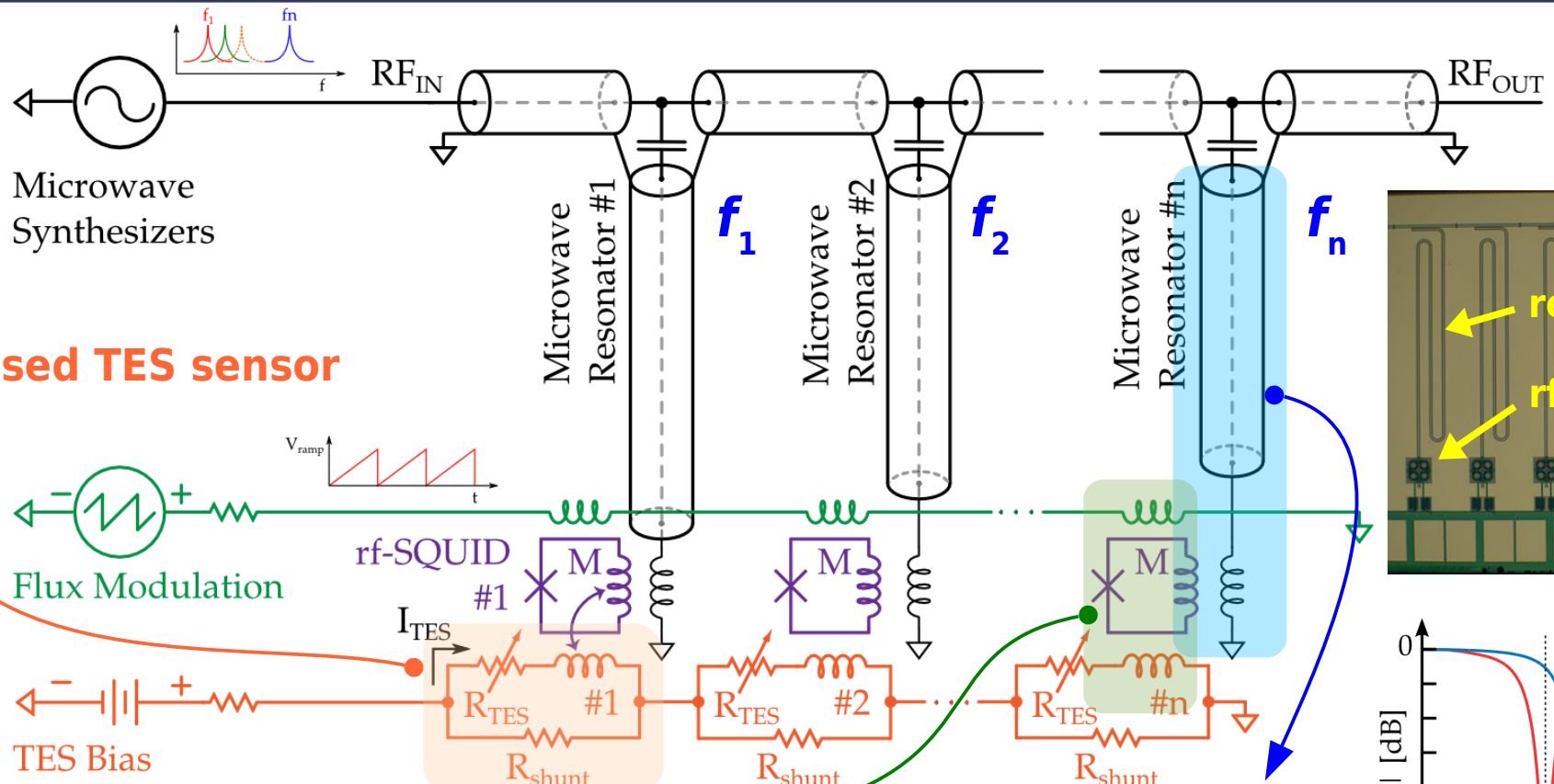
MHz flux ramp modulation  $f_{ramp} \rightarrow f_{sampl}$



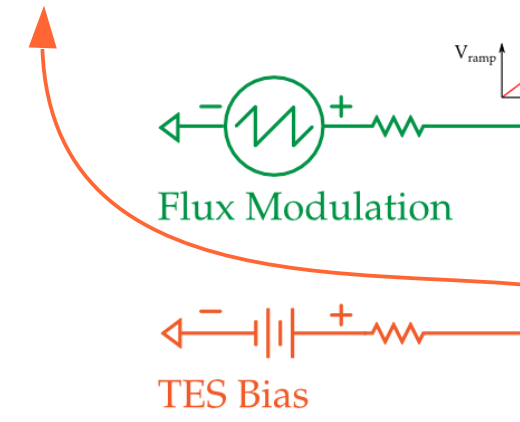
free rf-SQUID oscillation



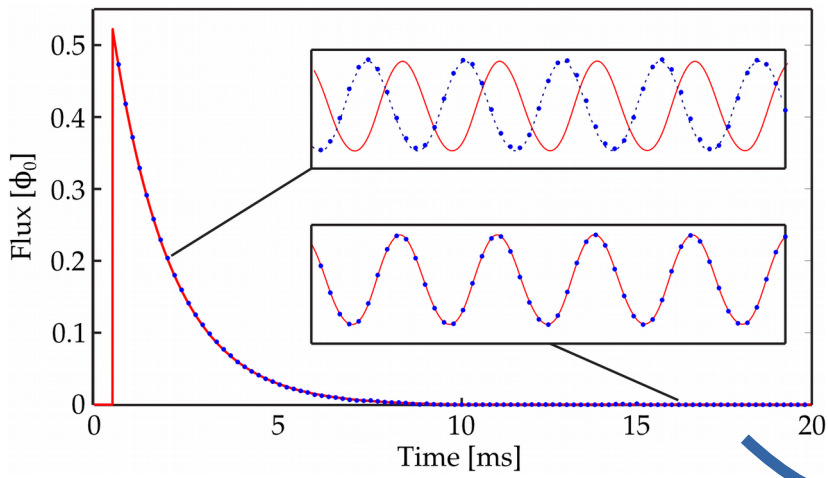
# HOLMES array read-out: rf-SQUID $\mu$ wave mux



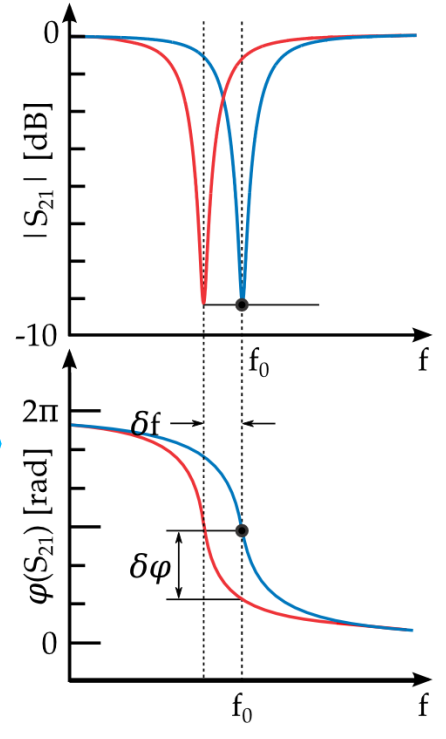
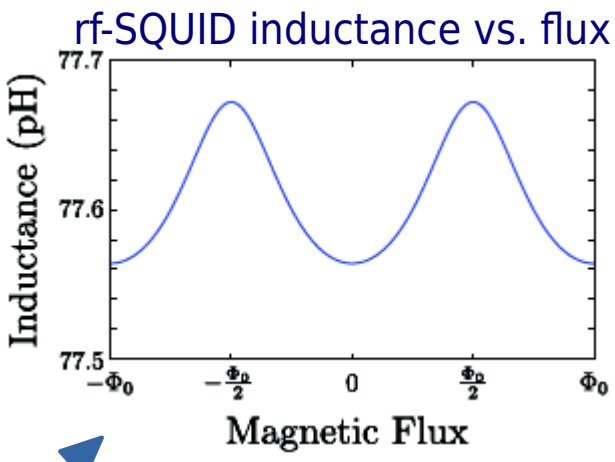
dc biased TES sensor



MHz flux ramp modulation  $f_{ramp} \rightarrow f_{sampl}$

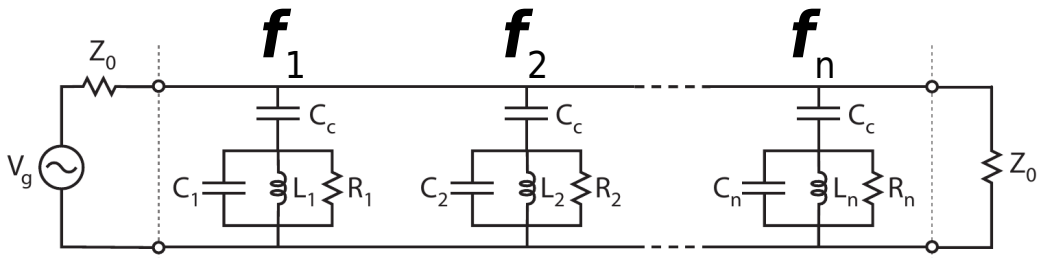
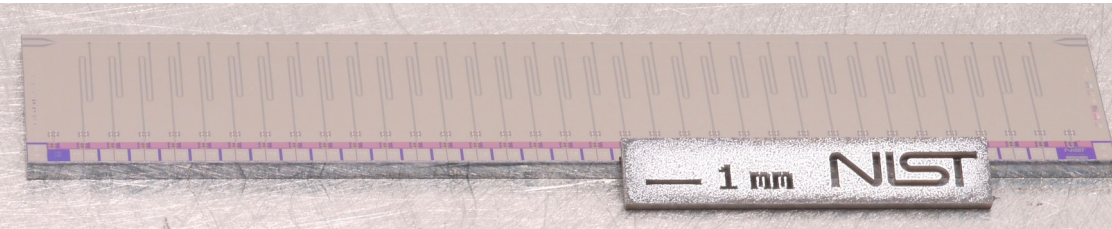


GHz LC resonator  $f_i$

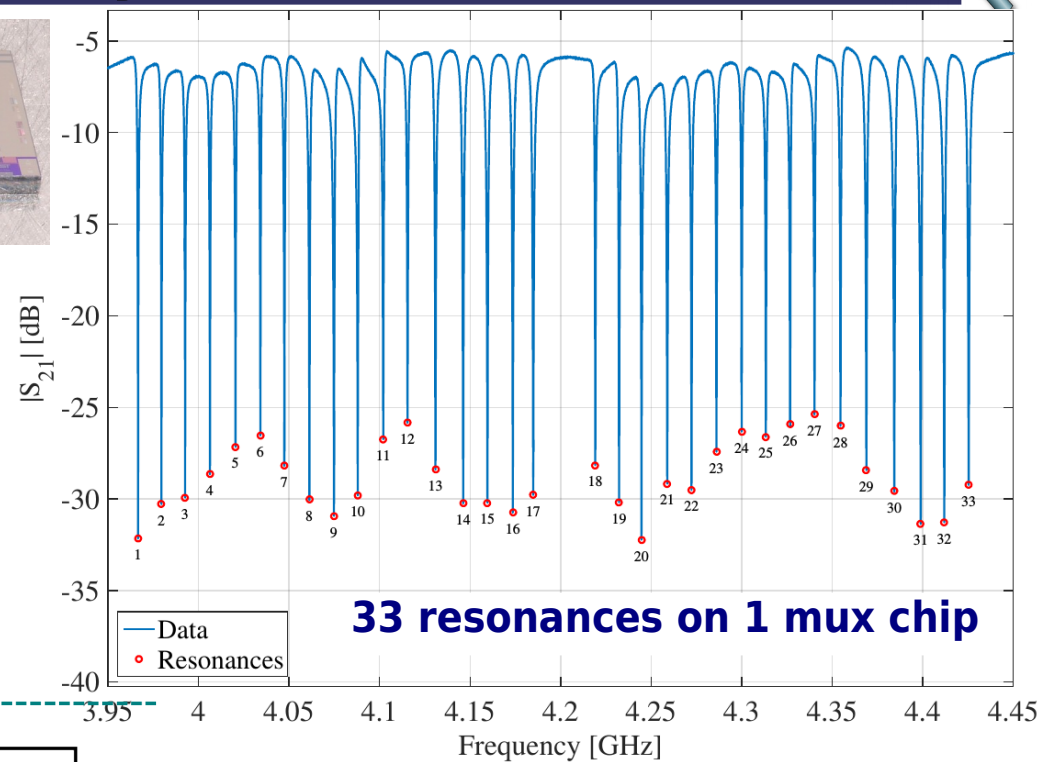




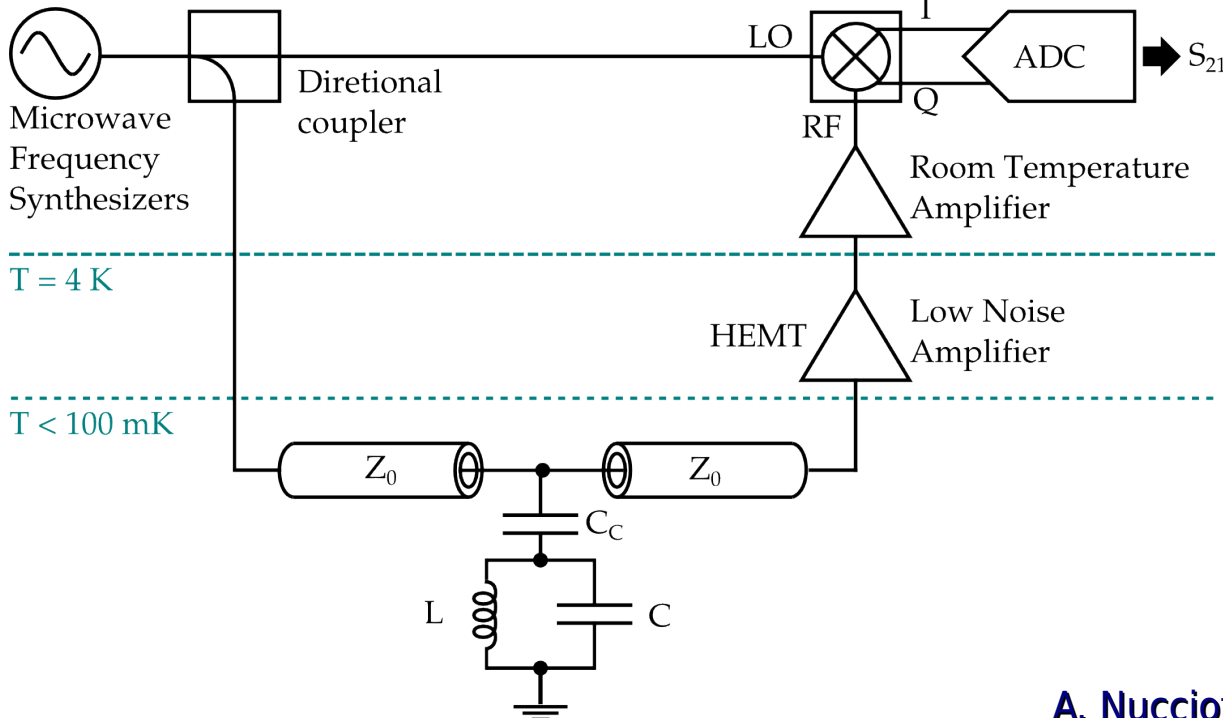
# $\mu$ wave with RF carrier homodyne read-out



device  $i$  is read out tuning the RF carrier to  $f_i$



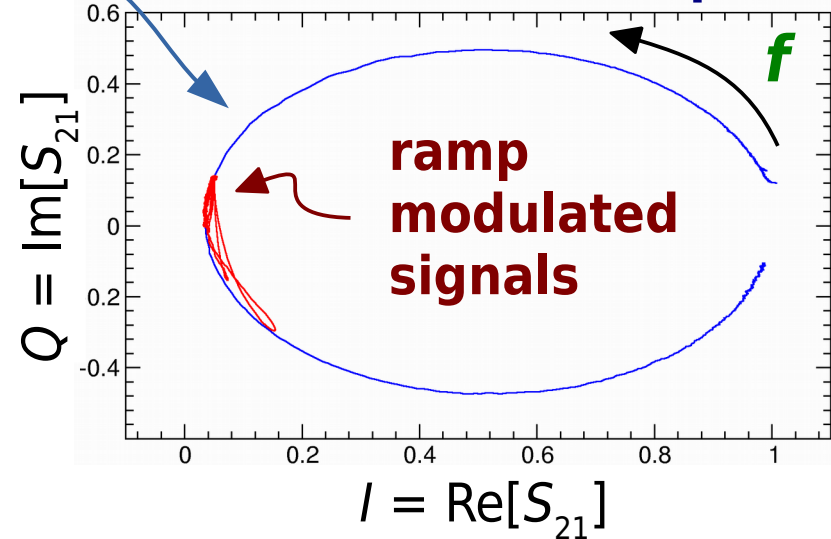
$T = 300 \text{ K}$



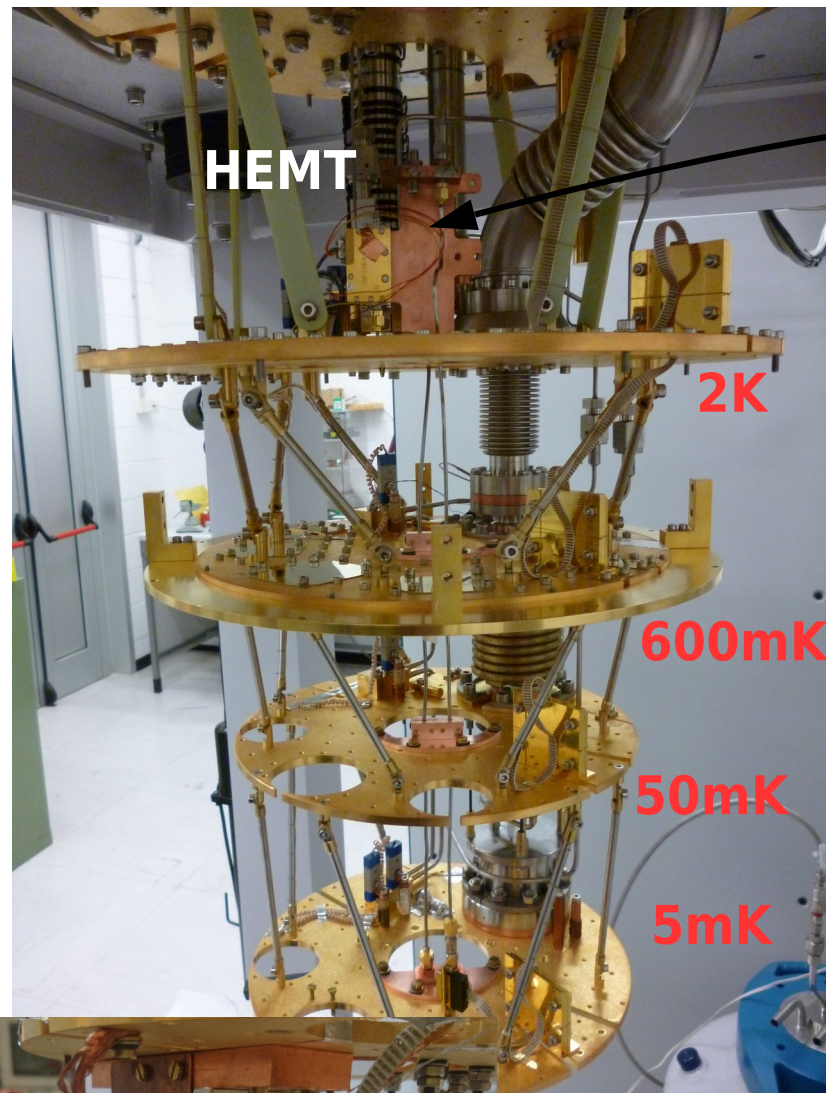
$T = 4 \text{ K}$

$T < 100 \text{ mK}$

**resonance IQ loop**



# Cryogenic set-up



HEMT

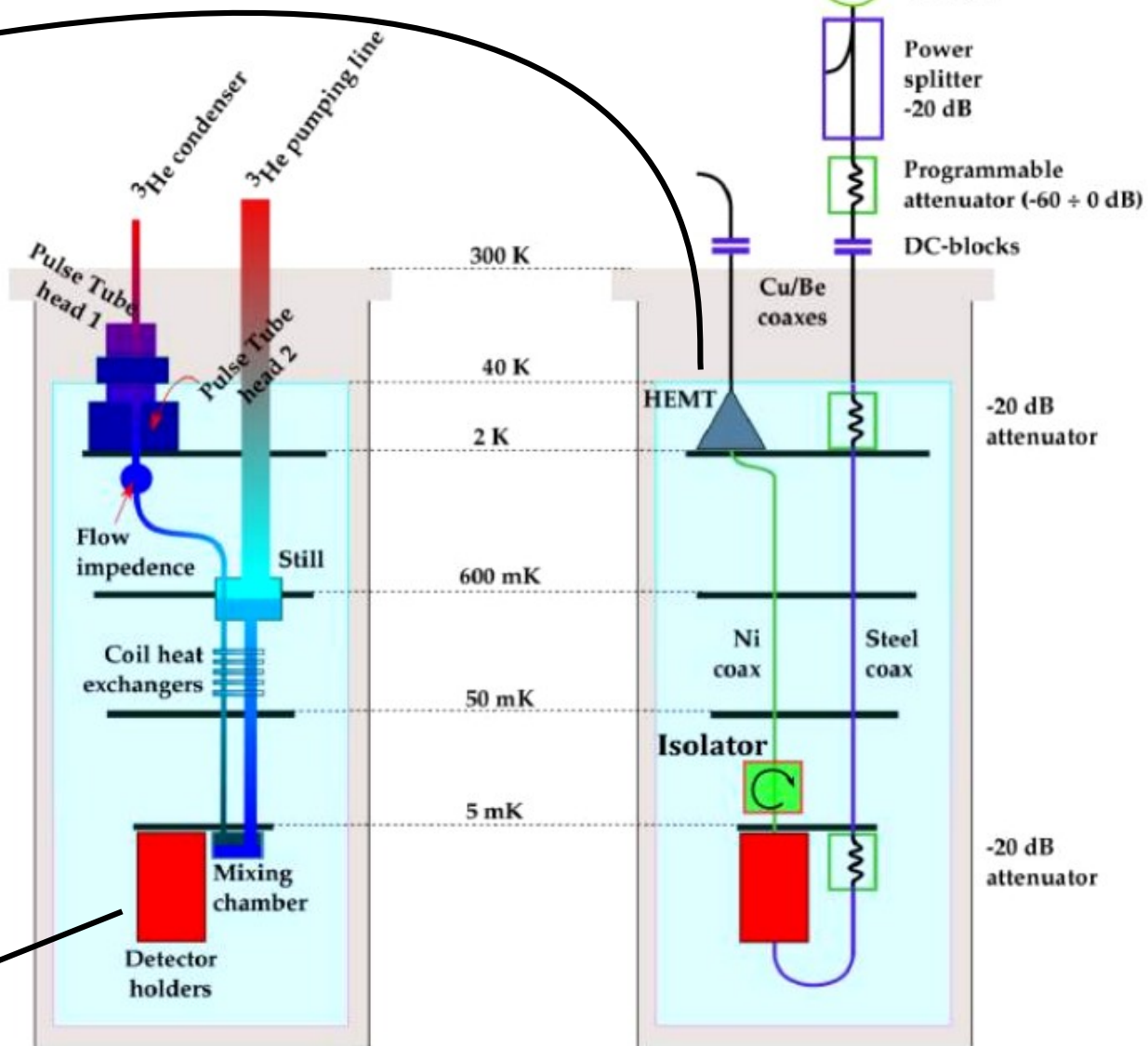
2K

600mK

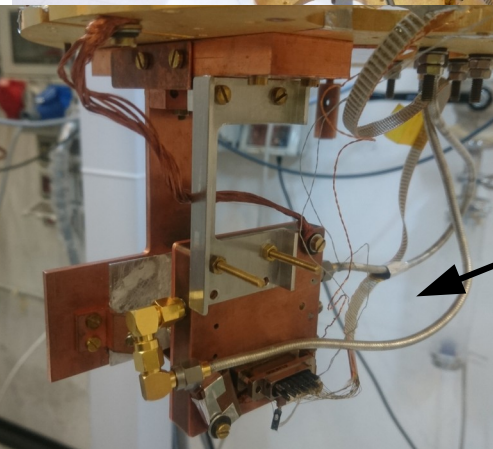
50mK

5mK

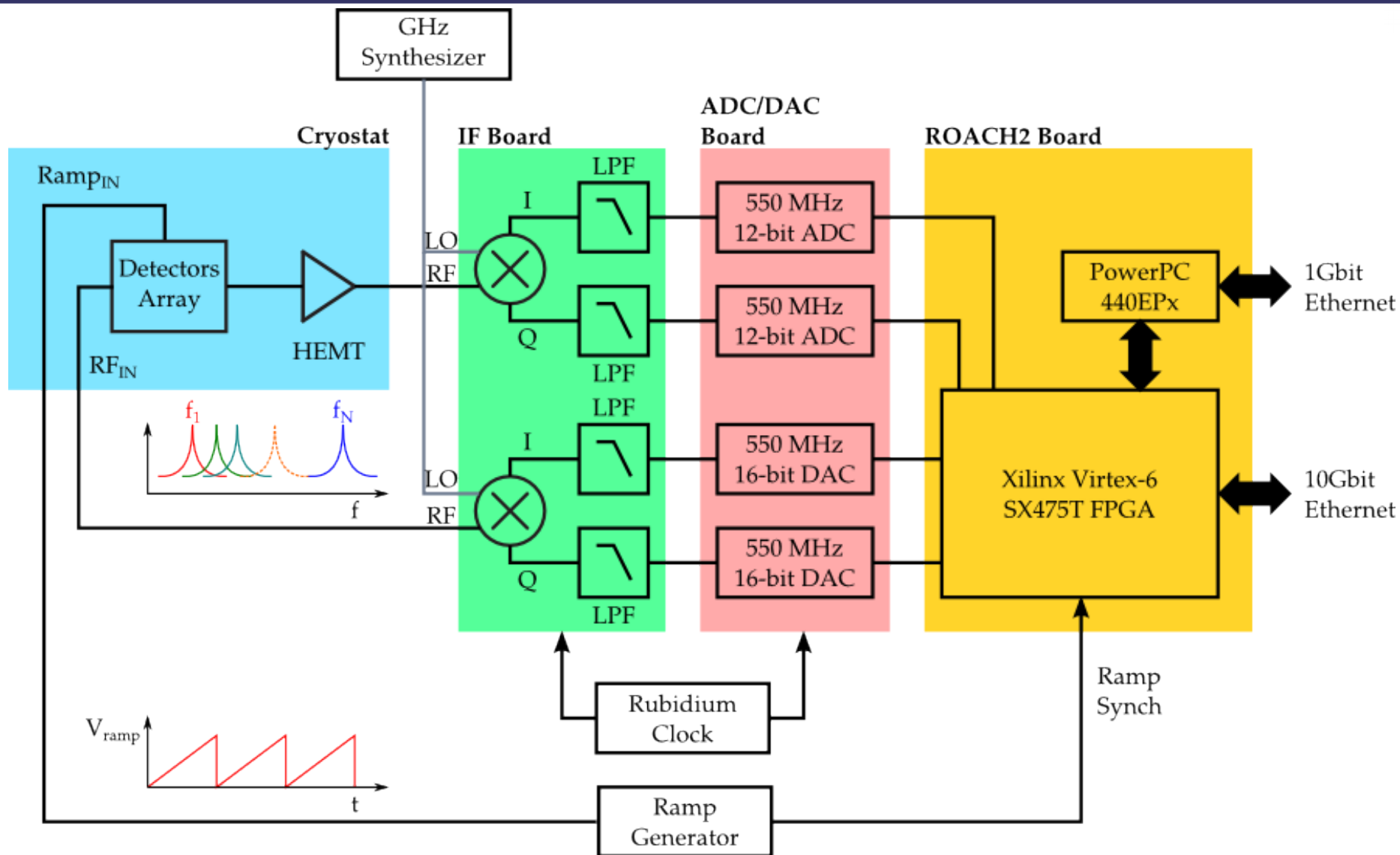
## LHe-free dilution refrigerator



detector holder



# HOLMES DAQ: Software Defined Radio



**multiplexing factor  $n_{TES}$**

$f_{\text{BW}}$  required bandwidth per channel  $\approx 1/\tau_{\text{rise}} \rightarrow n_{TES} \approx \frac{f_{\text{ADC}}}{10 f_{\text{BW}}}$

# Detector time resolution



- for subsequent ( $\Delta t$ ) events with energy  $E_1$  and  $E_2$ : time resolution  $\tau_R = \tau_R(E_1, E_2)$

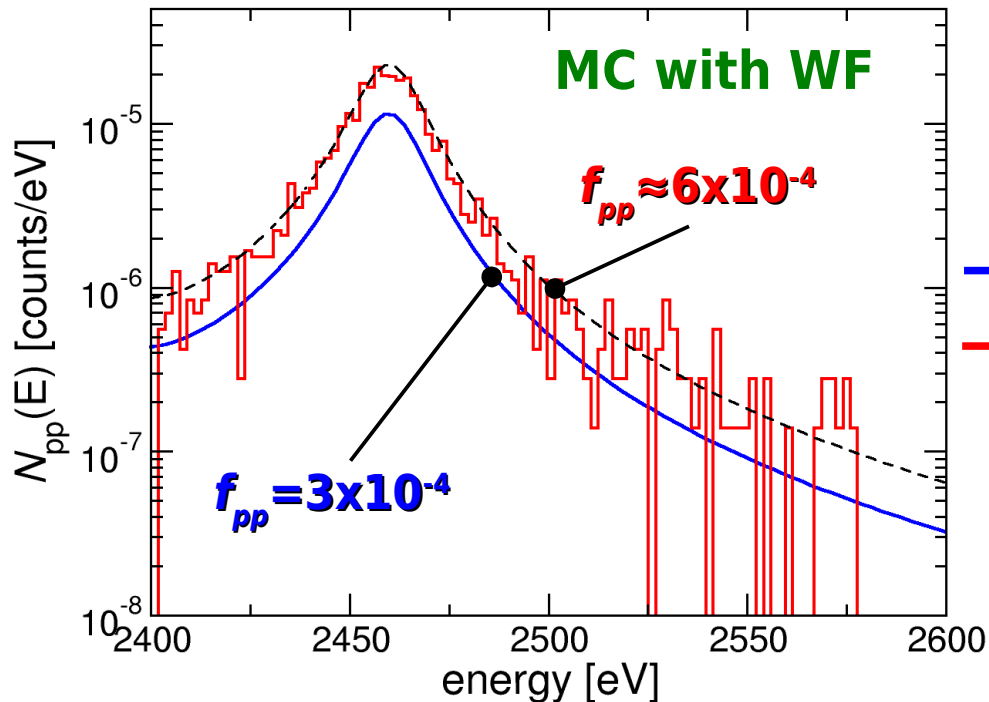
$$N_{pp}(E) = A_{EC} \int_0^{\infty} \tau_R(E, \epsilon) N_{EC}(\epsilon) N_{EC}(E - \epsilon) d\epsilon$$

- Montecarlo pile-up spectrum simulations

- ▷ event pairs with  $E_1 + E_2 \in [2.4 \text{ keV}, 2.6 \text{ keV}]$  (drawn from  $^{163}\text{Ho}$  spectrum),  $\Delta t \in [0, 16 \mu\text{s}]$
- ▷ pulse shape and noise from NIST TES model, sampled with  $f_{\text{samp}}$ , record length, and  $n$  bit
- ▷ process with pile-up detection algorithms:

- **Wiener Filter WF** or **Single Value Decomposition SVD**

- evaluate **effective time resolution  $\tau_{\text{eff}}$**  from **pile-up detection efficiency  $\eta(\Delta t)$**



$$f_{pp} = A_{EC} \Delta t_{max} \left[ 1 - \int_0^{\Delta t_{max}} \frac{\eta(x)}{\Delta t_{max}} dx \right] = A_{EC} \tau_{\text{eff}}$$

- $f_{pp} N_{EC}(E) \otimes N_{EC}(E)$  with  $A = 300 \text{ Bq}$  and  $\tau_R = 1 \mu\text{s}$
- **WF simulation** with  $f_{\text{samp}} = 1 \text{ MHz}$ ,  $\tau_{\text{rise}} \approx 10 \mu\text{s}$ , and  $A_{EC} = 300 \text{ Bq}$

**best time resolution**

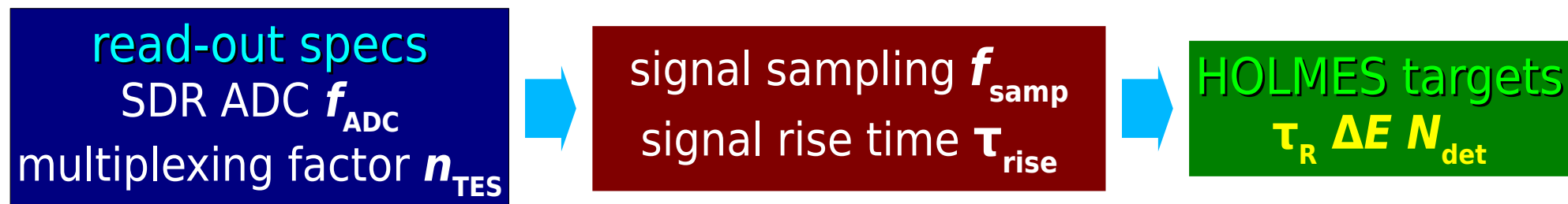
**SVD ( $f_{\text{samp}} = 0.5 \text{ MHz}$ ,  $\tau_{\text{rise}} \approx 10 \mu\text{s}$ )  $\rightarrow \tau_{\text{eff}} \approx 1 \mu\text{s}$**

# HOLMES detector design



design mostly driven by read-out bandwidth requirements

- TES microwave multiplexing with rf-SQUID ramp modulation + Software Defined Radio (SDR)



$$f_{samp} \geq \frac{R_d}{\tau_{rise}} \approx \frac{5}{\tau_{rise}} \quad \text{detector signal sampling (signal BW)}$$

$$f_{res} \geq 2 n_{\Phi_0} f_{samp} \quad \text{flux ramp modulated signal BW (resonator BW)}$$

$$f_n \geq g_f f_{res} = \frac{2 R_d g_f n_{\Phi_0}}{\tau_{rise}} \quad \text{microwave tones separation } (g_f \gtrsim 10)$$

**multiplexing factor**

$$n_{TES} = \frac{f_{ADC}}{f_n} \leq \frac{f_{ADC} \tau_{rise}}{2 R_d g_f n_{\Phi_0}} \approx \frac{f_{ADC} \tau_{rise}}{200}$$

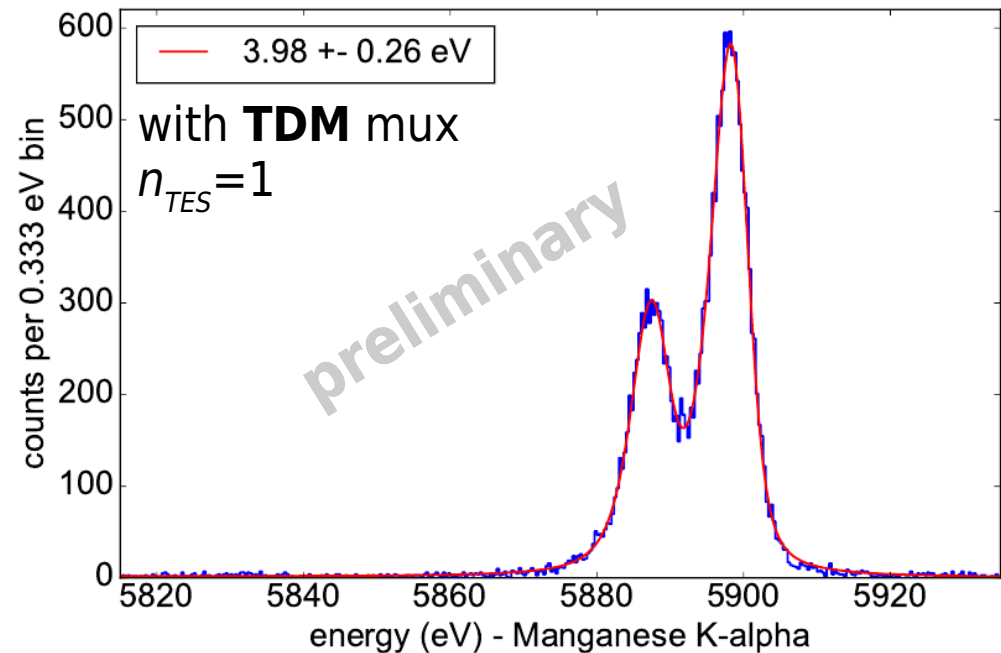
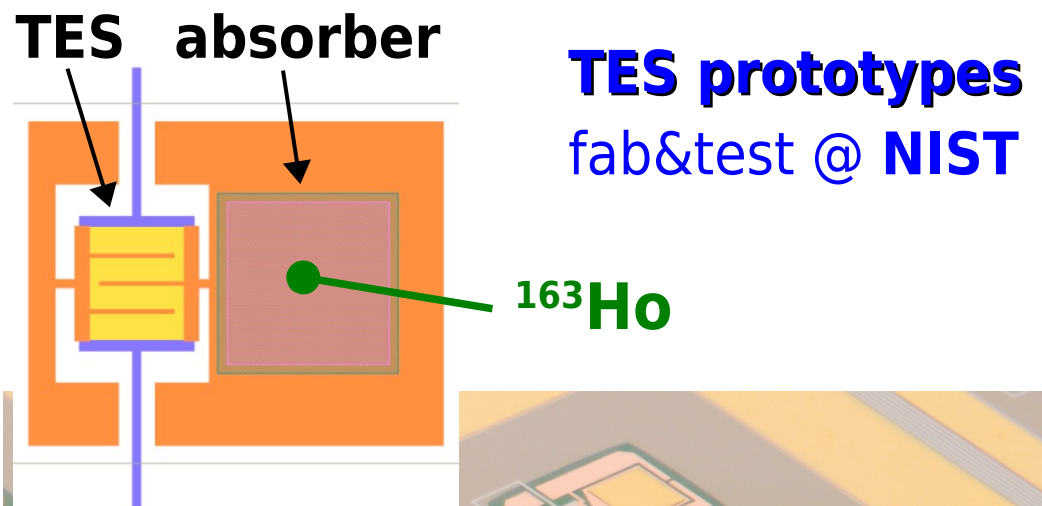
for fixed  $f_{ADC} = 550\text{MHz}$  and  $n_{TES} \approx 30 \Leftrightarrow \tau_{rise} \approx 10\mu\text{s}$  with  $f_{samp} = 0.5\text{MHz}$

→ check for  $\tau_R$  and  $\Delta E...$

# HOLMES pixel design and test

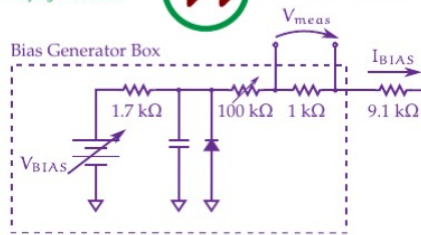
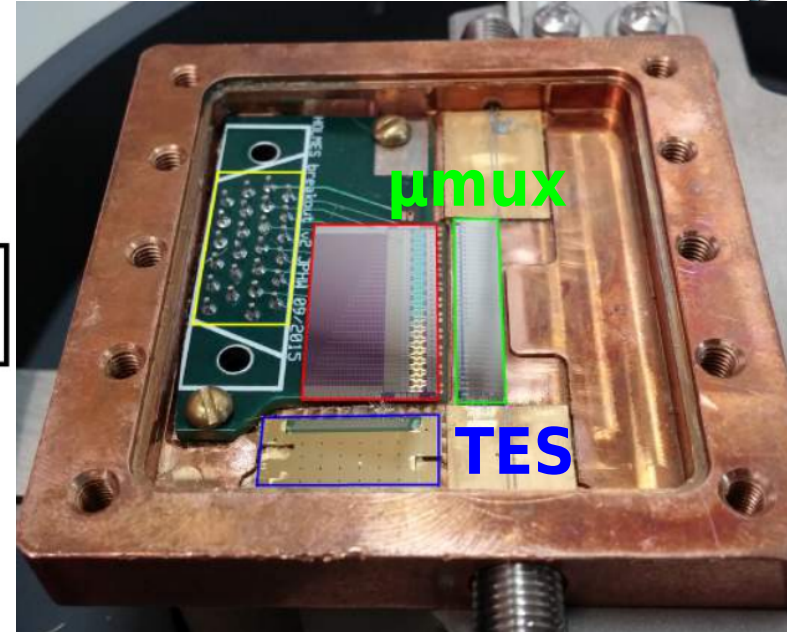
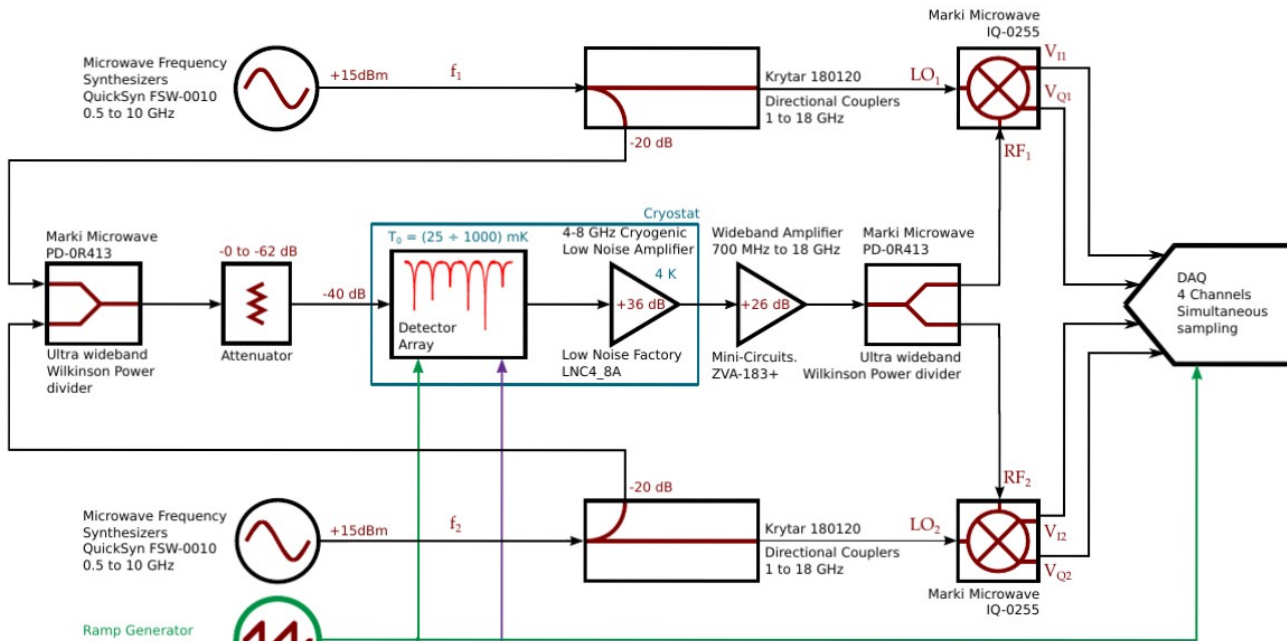


- optimize design for speed and resolution
  - ▷ **specs @3keV** :  $\Delta E_{FWHM} \approx 1\text{eV}$ ,  $\tau_{\text{rise}} \approx 10\mu\text{s}$ ,  $\tau_{\text{decay}} \approx 100\mu\text{s}$
- **2  $\mu\text{m}$  Au** thickness for *full* electron and photon absorption
  - ▷ GEANT4 simulation: **99.99998%** / **99.927%** full stopping for 2 keV **electrons** / **photons**
- **side-car** design to avoid TES proximation and G engineering for  $\tau_{\text{decay}}$  control



- ▷  $\Delta E_{FWHM} \lesssim 4\text{ eV}$  @ 6 keV ( $\rightarrow \approx 3\text{ eV}$  @  $Q_{\text{EC}}$ )
- ▷  $\tau_{\text{rise}} \approx 6\text{ }\mu\text{s}$  (with  $L=38\text{ nH}$   $\rightarrow$  to be slowed)
- ▷  $\tau_{\text{decay}} \approx 130\text{ }\mu\text{s}$  (still tunable)

# Detector testing with homodyne read-out

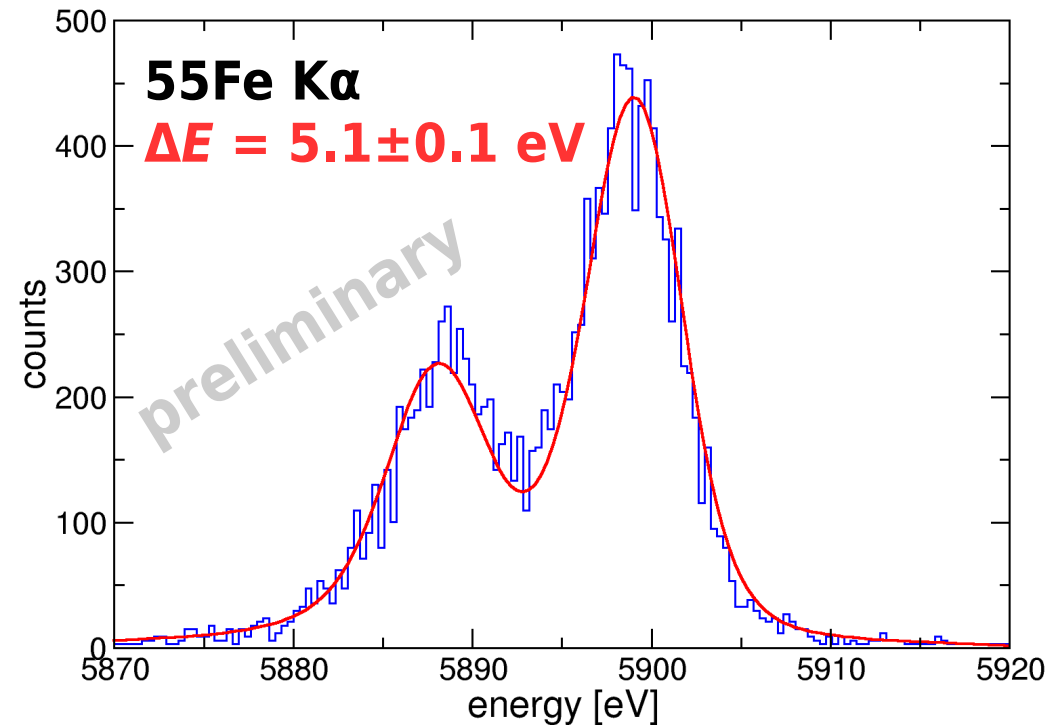


$$f_{\text{samp}} = 400 \text{ kS/s}$$

$$\Delta E_0 = 4.0 \text{ eV}$$

$$\tau_{\text{rise}} = 35 \mu\text{s}$$

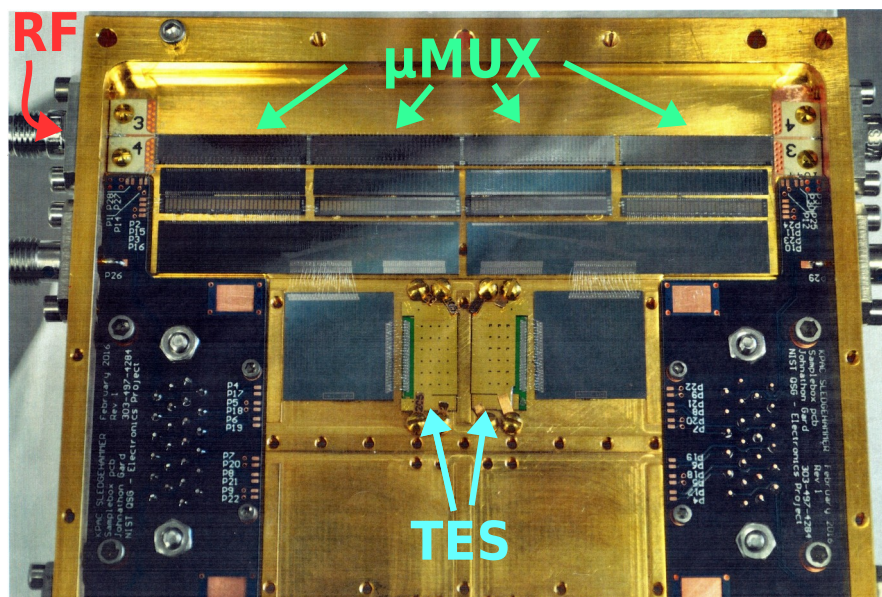
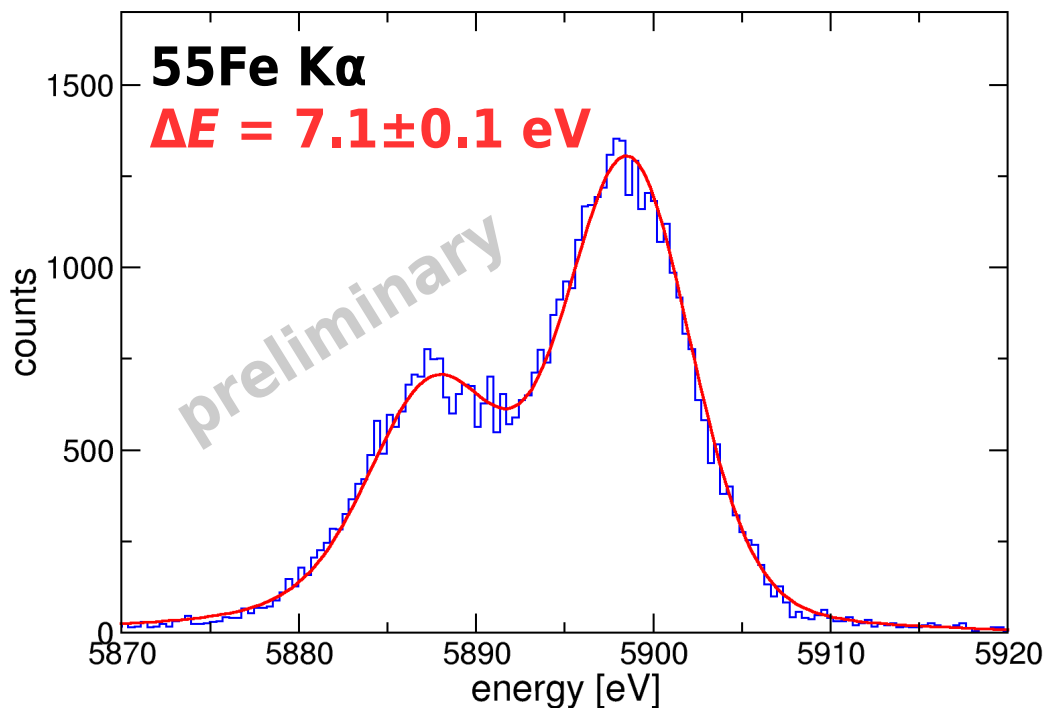
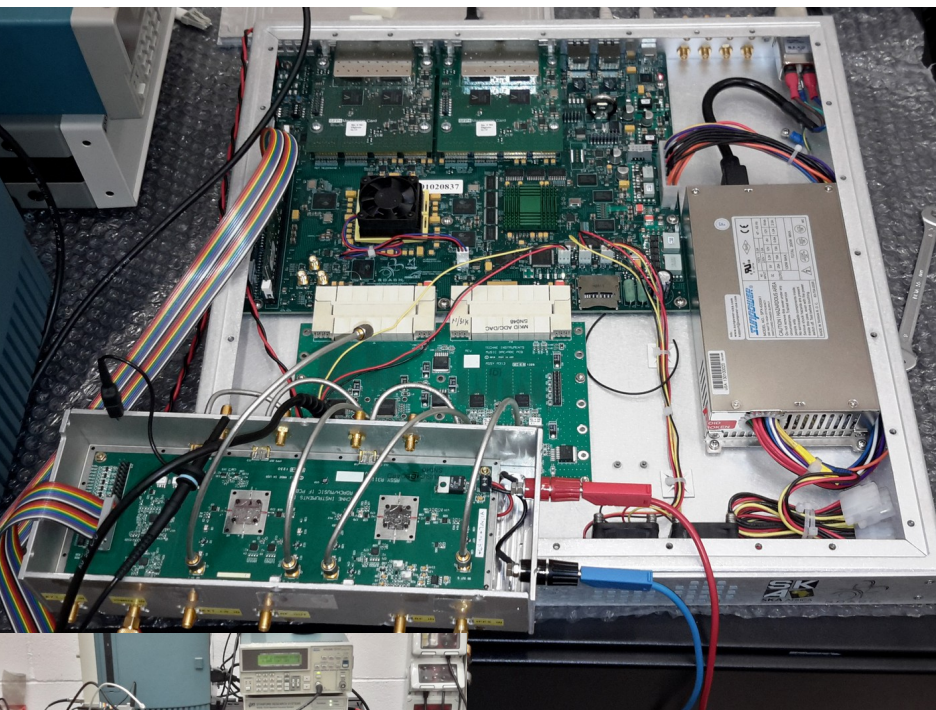
$$\tau_{\text{decay}} = 141 \mu\text{s}$$



# Detector testing with HOLMES DAQ



## ROACH-2 based Software Defined Radio



$$f_{\text{samp}} = 500 \text{ kS/s}$$

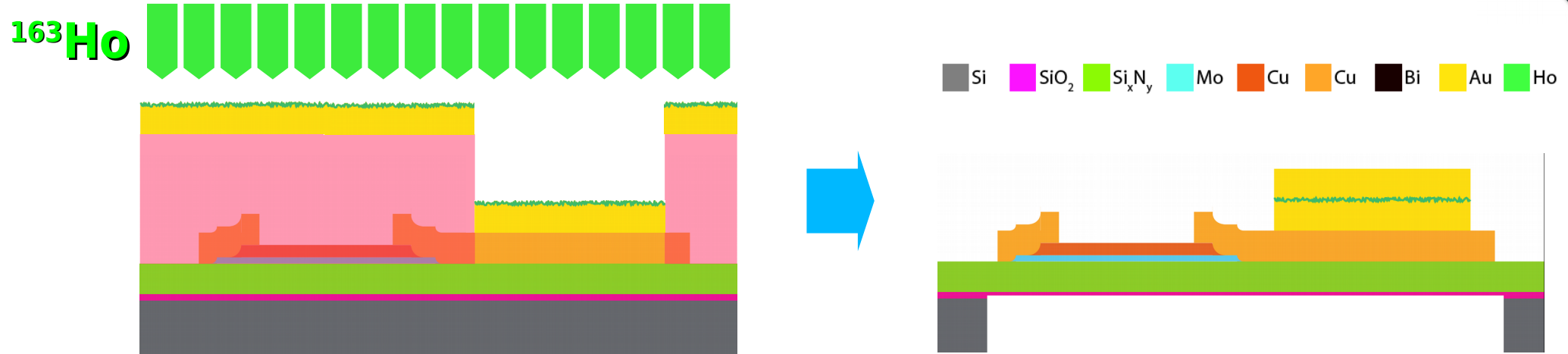
$$\Delta E_0 = 5.6 \text{ eV}$$

$$\tau_{\text{rise}} = 6.5 \mu\text{s}$$

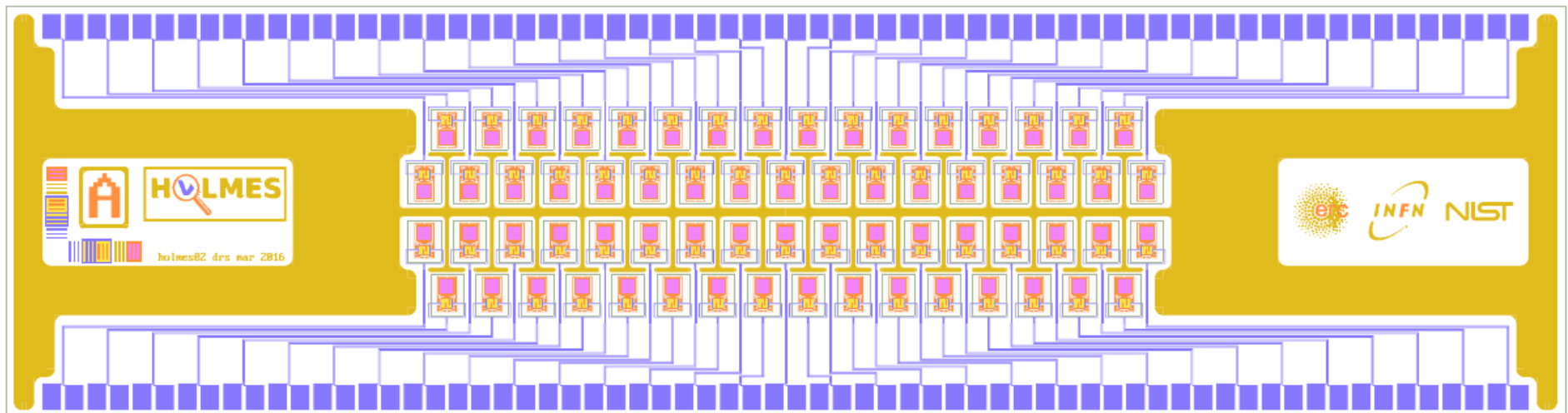
$$\tau_{\text{decay}} = 67 \mu\text{s}$$



# HOLMES detector design and fabrication



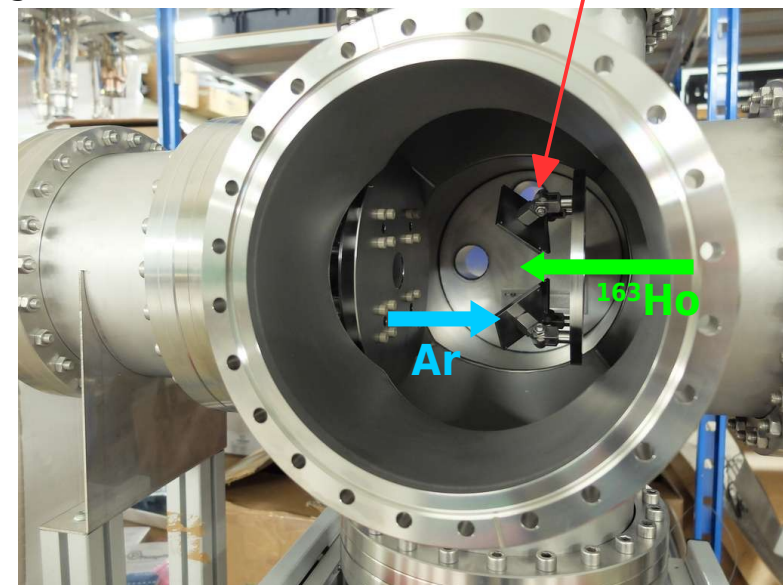
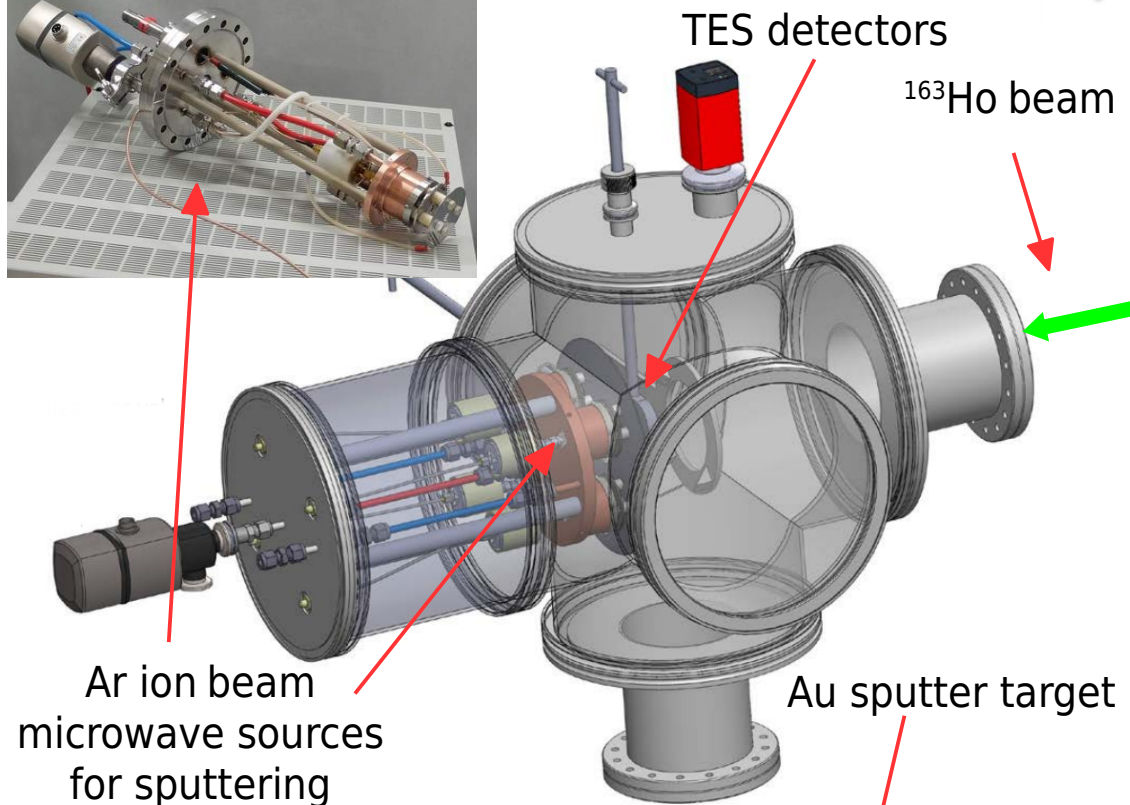
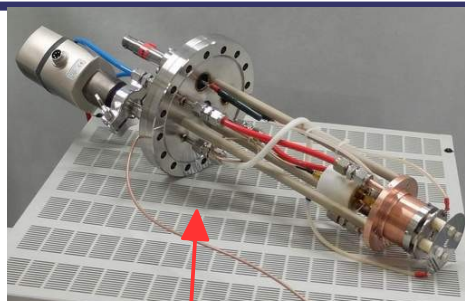
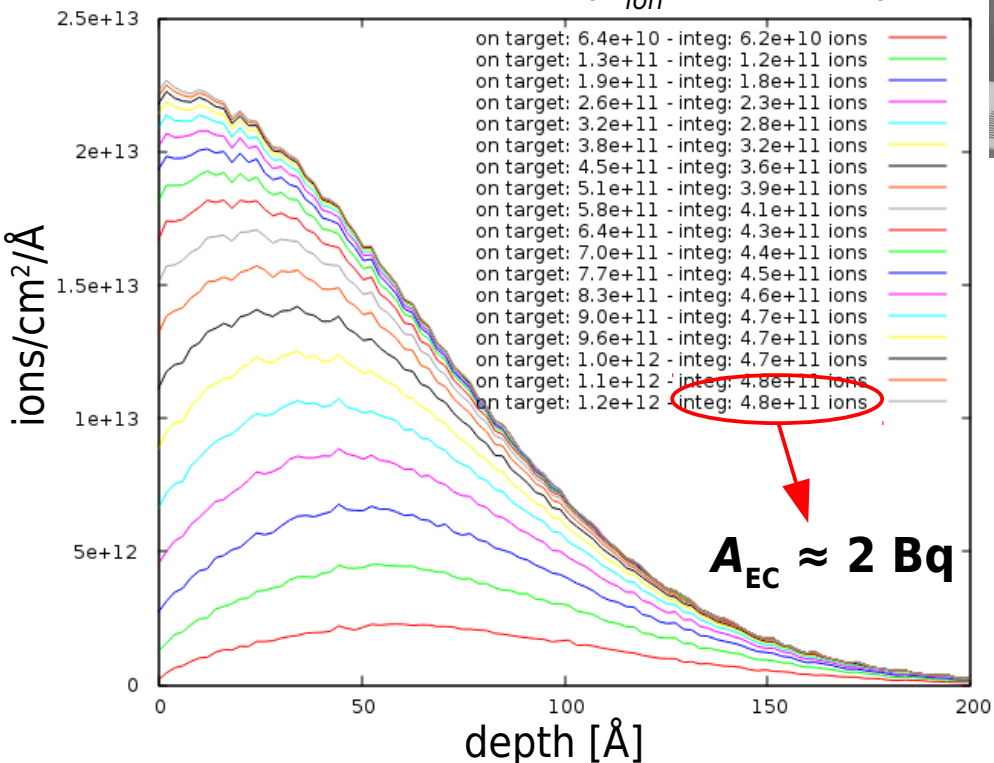
- TES array fabricated at **NIST**, Boulder, CO, USA
- $^{163}\text{Ho}$  implantation at **INFN**, Genova, Italy
- 1  $\mu\text{m}$  **Au** final layer deposited at INFN Genova
- fabrication process definition in progress
- **HOLMES 4×16 linear sub-array** for low parasitic  $L$  and high implant efficiency



# Target chamber for absorber fabrication

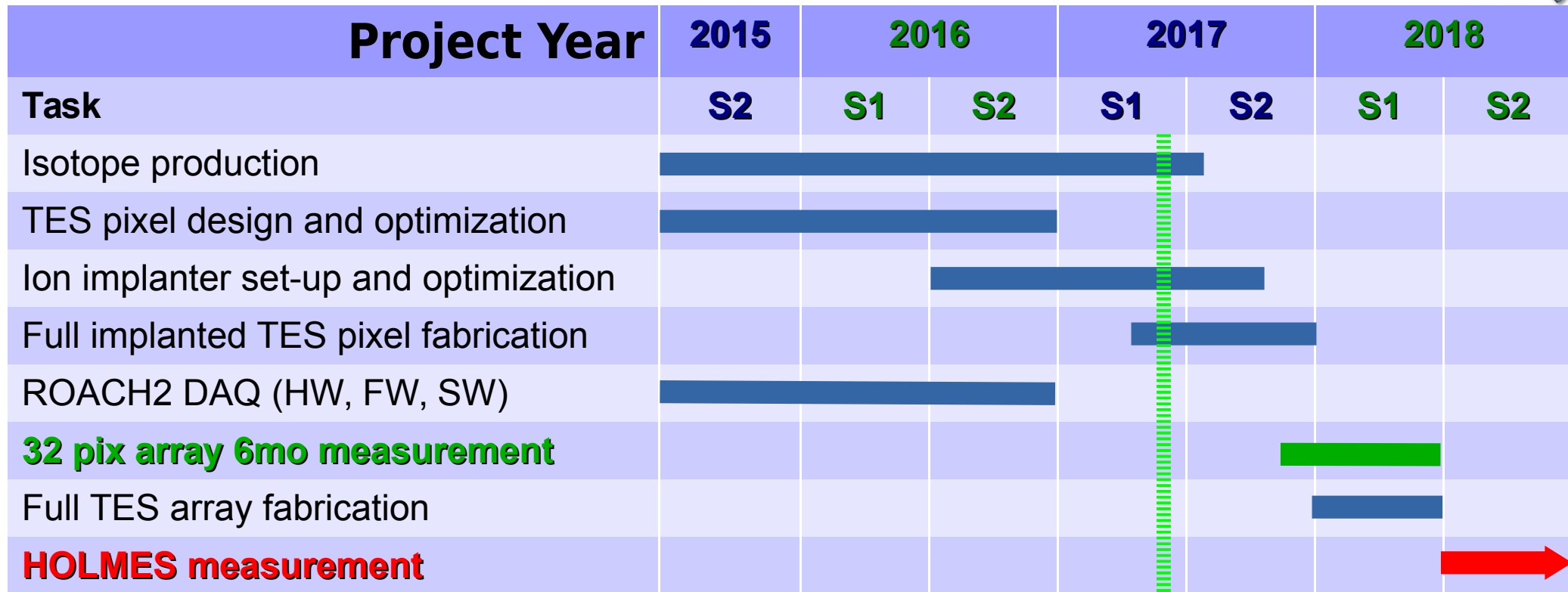


ion implant simulation with SRIM2013  
 $^{163}\text{Ho}$  ions on Au ( $E_{ion} = 50 \text{ keV}$ )



- $^{163}\text{Ho}$  ion beam sputters Au from absorber
  - ▶  $^{163}\text{Ho}$  concentration in absorber saturates
  - ▶ compensate by Au co-evaporation
- final 1  $\mu\text{m}$  Au layer in situ deposition
- tests are in progress

# HOLMES schedule and conclusions



## ■ HOLMES project status

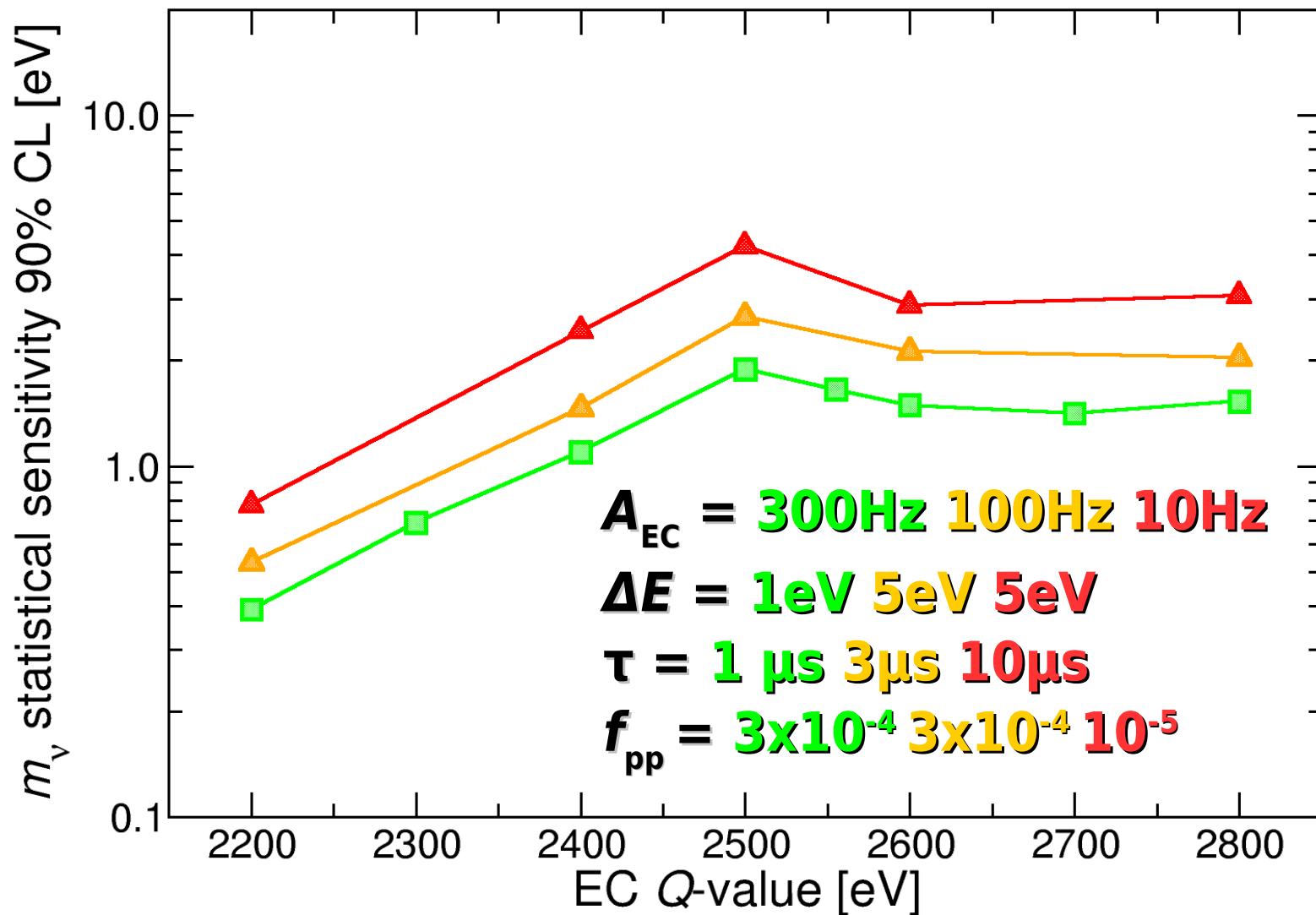
- many technical challenges are being addressed in parallel
- design phase is complete
- ion implanter setting up is in progress
- first  $^{163}\text{Ho}$  implantation coming shortly
- spectrum measurements will begin late in 2017



...



1000 channels  
 $t_M = 3$  years



# $^{163}\text{Ho}$ production and embedding



## ■ $^{163}\text{Ho}$ production by nuclear reaction

- ▶ high yield
- ▶ low by-products contaminations (in particular  $^{166\text{m}}\text{Ho}$ ,  $\beta$   $\tau_{1/2} = 1200\text{y}$ )
- ▶ not all cross sections are well known
  - neutron activation of enriched  $^{162}\text{Er}$  (nuclear reactor)
  - $^{163}\text{Dy}(p,n)^{163}\text{Ho}$   $E_p > 10$  MeV (direct, low yield → PSI?)
  - $^{\text{nat}}\text{Dy}(\alpha,xn)^{163}\text{Er}$  and  $^{159}\text{Tb}(^7\text{Li}, 3n)^{163}\text{Er}$

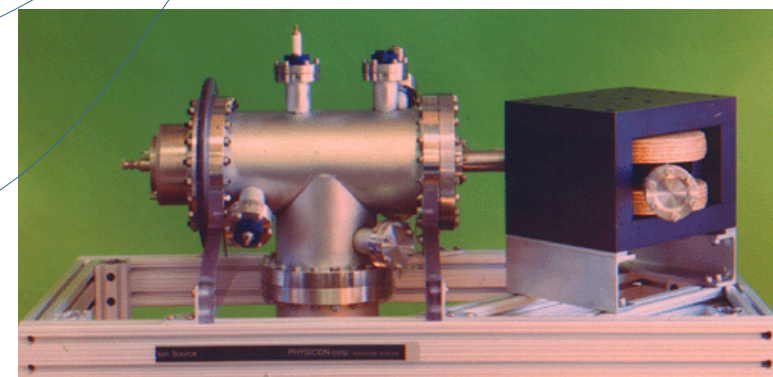
**HOLMES baseline**

## ■ $^{163}\text{Ho}$ Separation from Dy, Er and more ...

- ▶ radiochemistry (before and/or after irradiation)
- ▶ magnetic mass separation
- ▶ resonance ionization laser ion source (RILIS)?

## ■ $^{163}\text{Ho}$ embedding in detector absorber

- ▶ implantation (+magnetic separation)
- ▶ Au film deposition for full containment

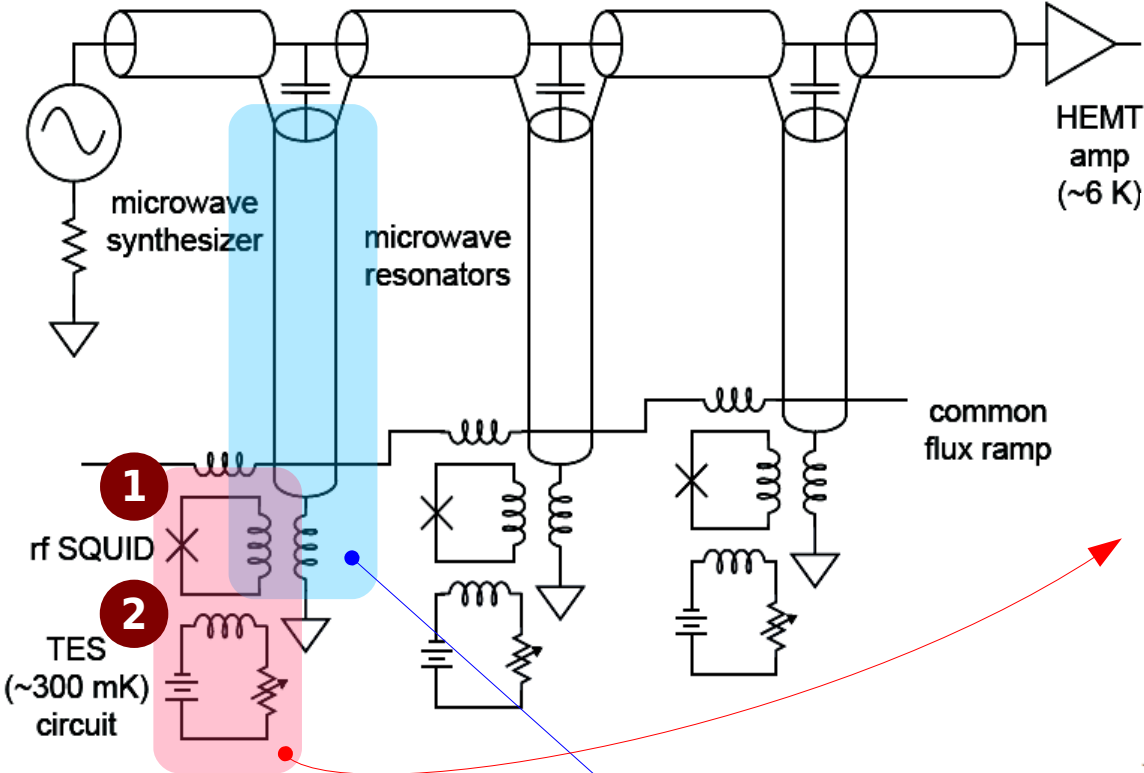


**ECHO**

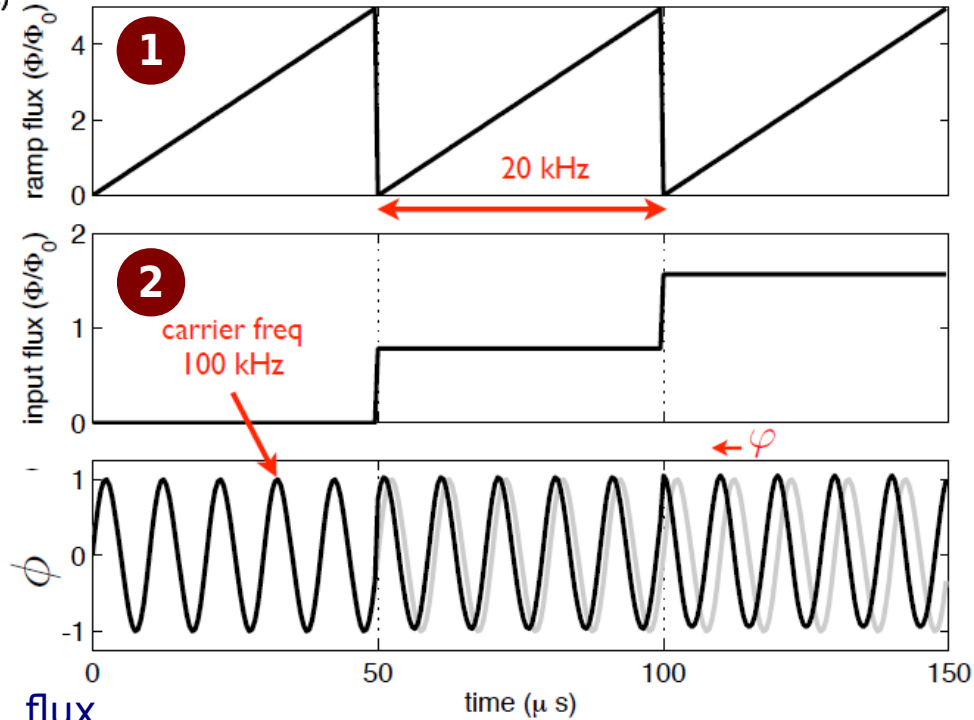
J.W. Engle et al., NIM B 311 (2013) 131-138

particle	$p$	$n$ $10^{14}$ n/cm <sup>2</sup> /s	$p$ 16 MeV 80 $\mu\text{A}$	$p$ 24 MeV 240 $\mu\text{A}$	$\alpha$ 40 MeV 30 $\mu\text{A}$
target	W/Ta	$^{162}\text{Er}$ (40%)	$^{\text{nat}}\text{Dy}$ 200mg/cm <sup>2</sup>	$^{\text{nat}}\text{Dy}$ 20g	$^{\text{nat}}\text{Dy}$ "thick"
$^{163}\text{Ho}$ prod rate [nuclei/h]	$10^{14}$	$10^{13-15}$ / mg $^{162}\text{Er}$	$10^{14}$	$10^{15}$	$10^{13}$

# rf-SQUID microwave multiplexing

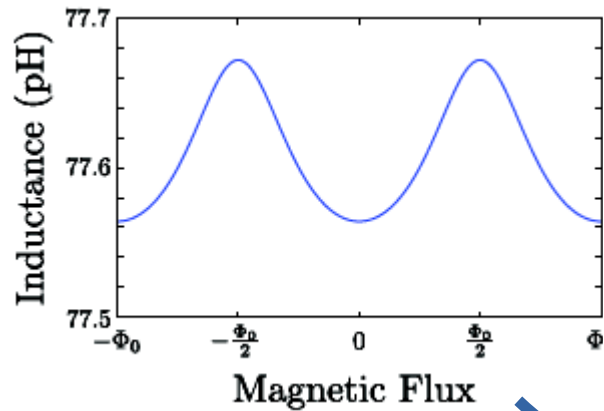


## MHz flux ramp modulation

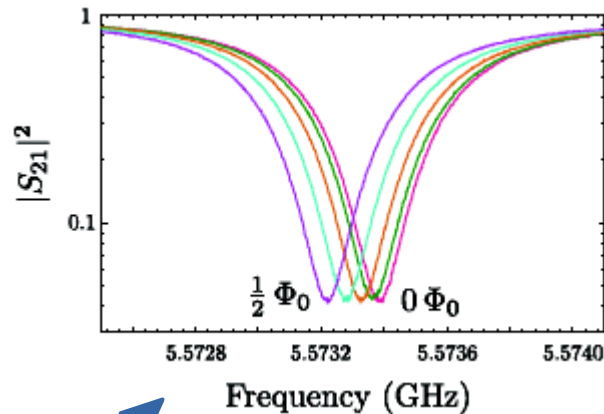


## GHz LC resonator

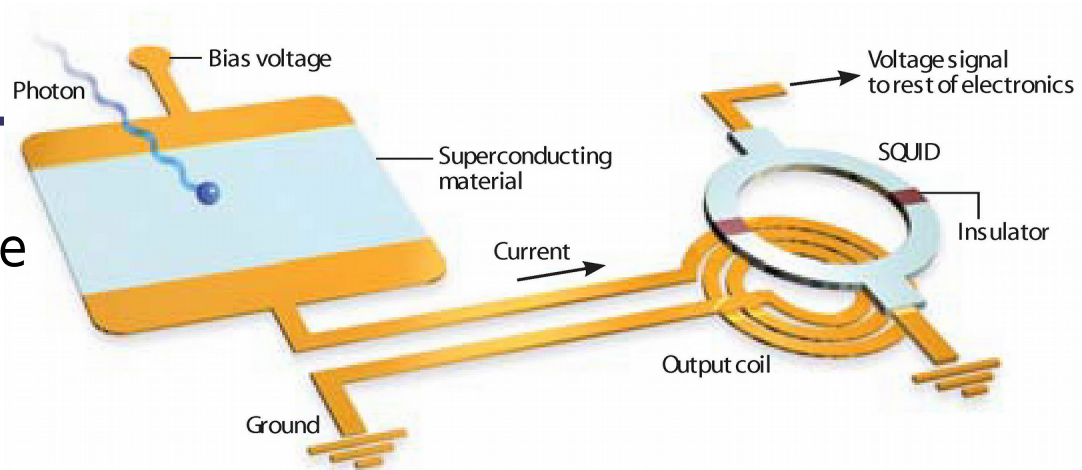
rf-SQUID inductance vs. flux



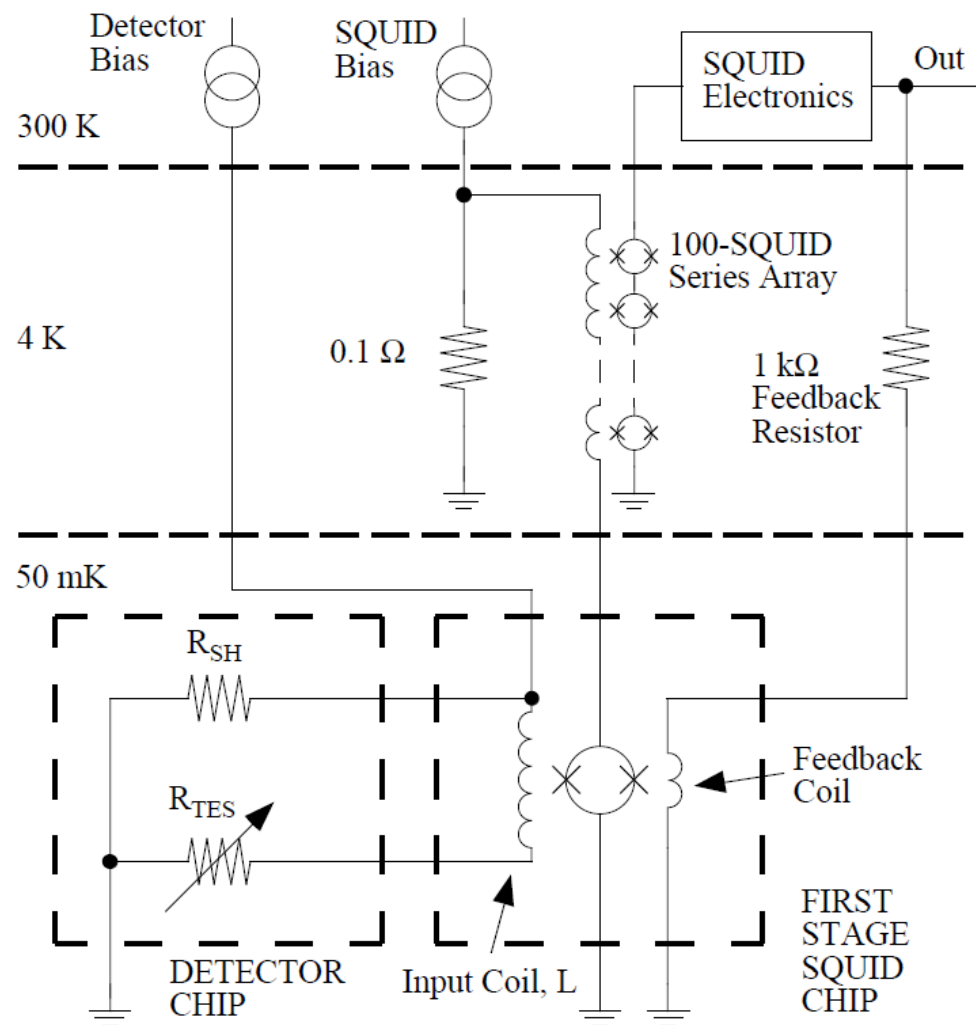
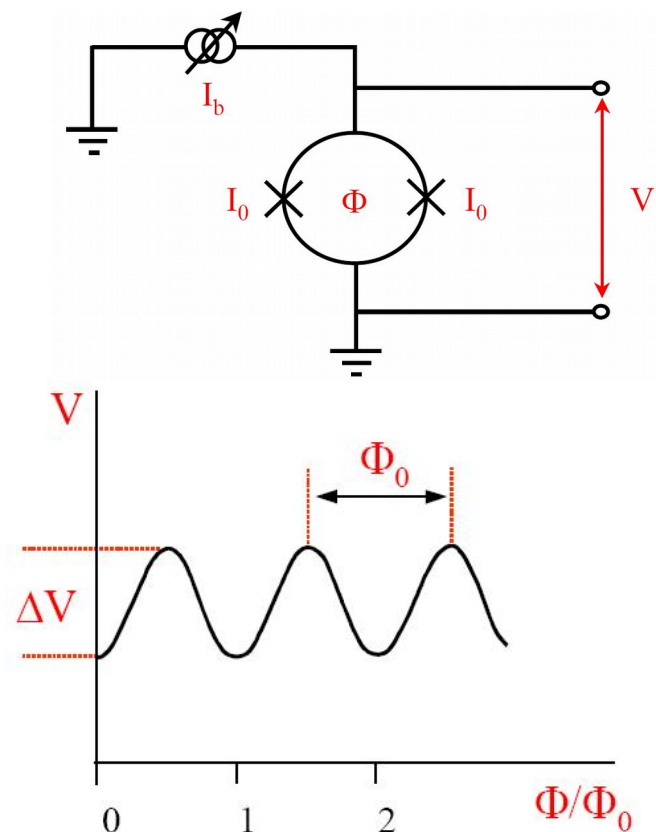
resonance frequency vs. flux



# TES read-out: SQUID



- low impedance suitable for multiplexable dc-SQUID magnetometers
- current amplifier configuration
  - ▷  $\Delta I \rightarrow \Delta \Phi \rightarrow \Delta V$
- feedback linearized response





# The holmium experiments



	ECHo	HOLMES	NUMECS
$^{163}\text{Ho}$ production	$^{162}\text{Er} (n, \gamma)$	$^{162}\text{Er} (n, \gamma)$	Dy ( $p, nx$ )
Absorber	Gold	Gold	Nanoporous gold
Sensor	Au:Er magnetic	TES Mo/Cu	TES Mo/Cu
Present status			
$\Delta E$ at M1 peak [eV]	12	—	43 (incl. $\Gamma_{M1}$ )
$\tau_{\text{rise}}$ [ $\mu\text{s}$ ]	0.13	—	—
$A_{\text{EC}}$ [Bq]	0.2	—	0.1
Projected ( $E_0 = 2800$ eV)			
$N_{\text{det}}$	100	1000	4096
$\Delta E$ [eV]	<5	1	—
$\tau_{\text{rise}}$ [ $\mu\text{s}$ ]	<1	1	—
$A_{\text{EC}}$ [Bq/detector]	10	300	100
$f_{\text{PP}}$	$10^{-6}$	$3 \times 10^{-4}$	—
$t_M$ [y]	1	3	1
$\Sigma_{90}(m_{\nu_e})$ [eV]	10	1.5	1



## The ECHo Experiment

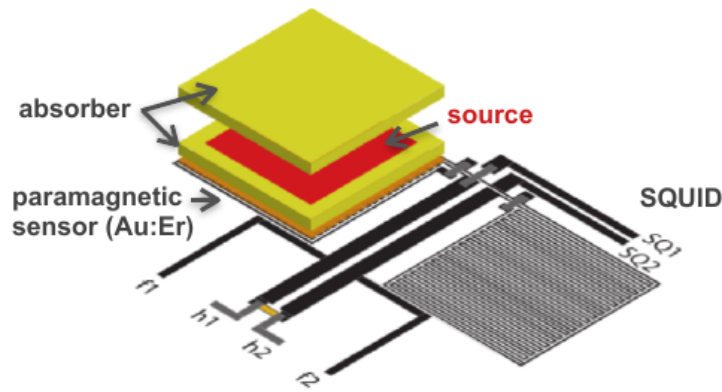


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PNPI St Petersburg, U Bratislava,  
IIT Roorkee, Saha Inst. Kolkata

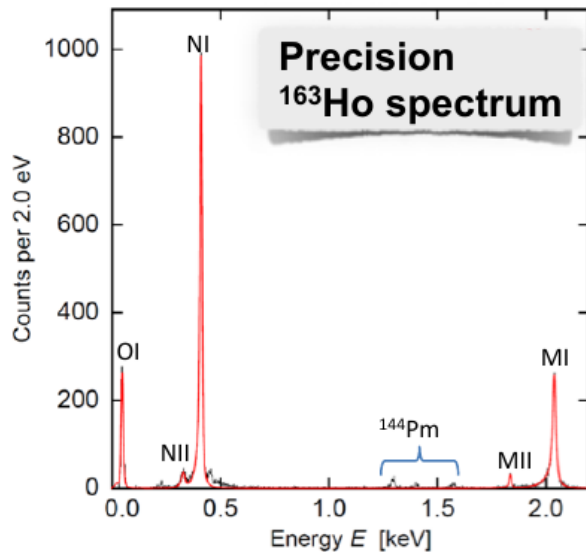
[Fleischmann et al. 2009; Gastaldo et al. 2013]



### Technology

- magnetic micro-calorimeter (MMC) arrays with microwave squid multiplexing readout
- fast rise time ( $\sim 130$  ns) and excellent linearity & resolution ( $\Delta E \sim 5$  eV)
- isotope production:  $^{162}\text{Er}(n,\gamma)^{163}\text{Ho}$  offline mass separation

[Ranitzsch et al., arXiv:1409:0071; Gastaldo et al. 2014]



**Precision  $^{163}\text{Ho}$  spectrum**

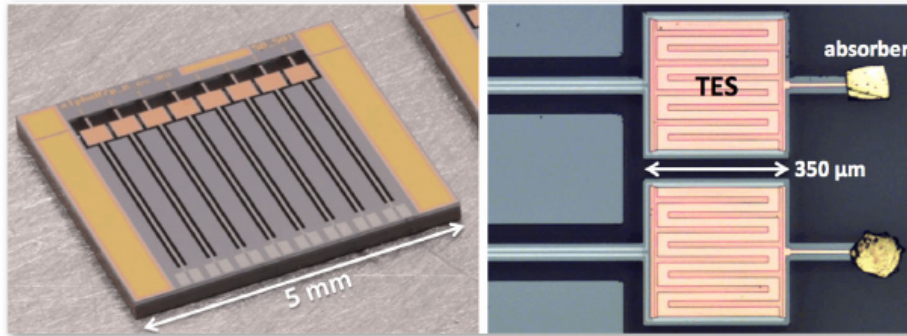
- new improved detectors
- improved implantation with purified source
- proof of multiplexed readout
- first underground meas.

### Timeline

- **Phase I: ECHo-1k**  
to be completed by 2018  
2 x 50 pixel x 10 Bq,  
4 months:  $m(\nu_e) < 10$  eV
- **Phase II: ECHo-1M**  
array of  $10^5$  detectors  
50 x 2000 pixel x 10 Bq,  
2 years: sub-eV sensitivity

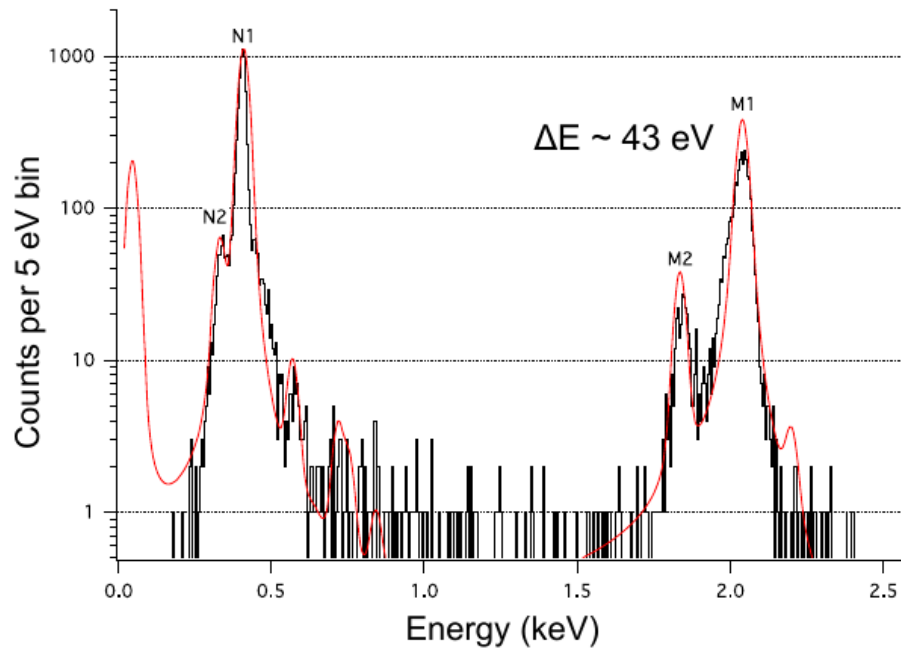


## The NuMECS Experiment



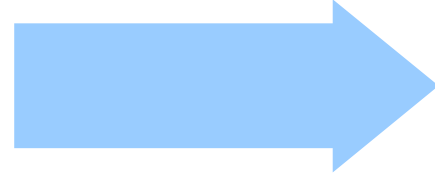
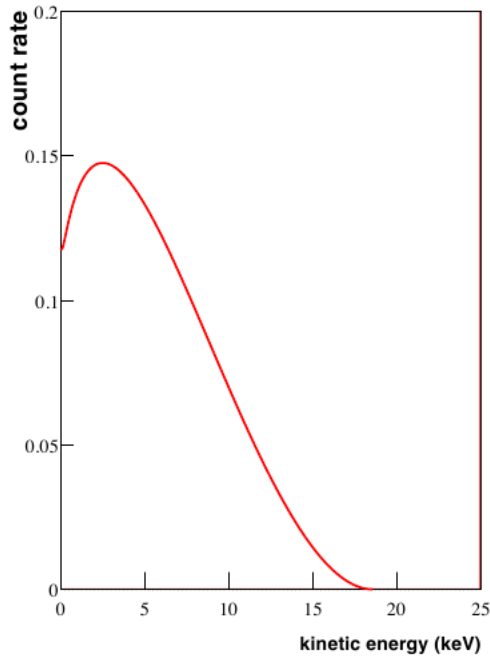
### Technology

- transition-edge sensors (TES, Mo-Cu bilayer)
- gold foil absorbers with dried solution containing  $^{163}\text{Ho}$
- $^{163}\text{Ho}$  production by proton irradiation of natural dysprosium

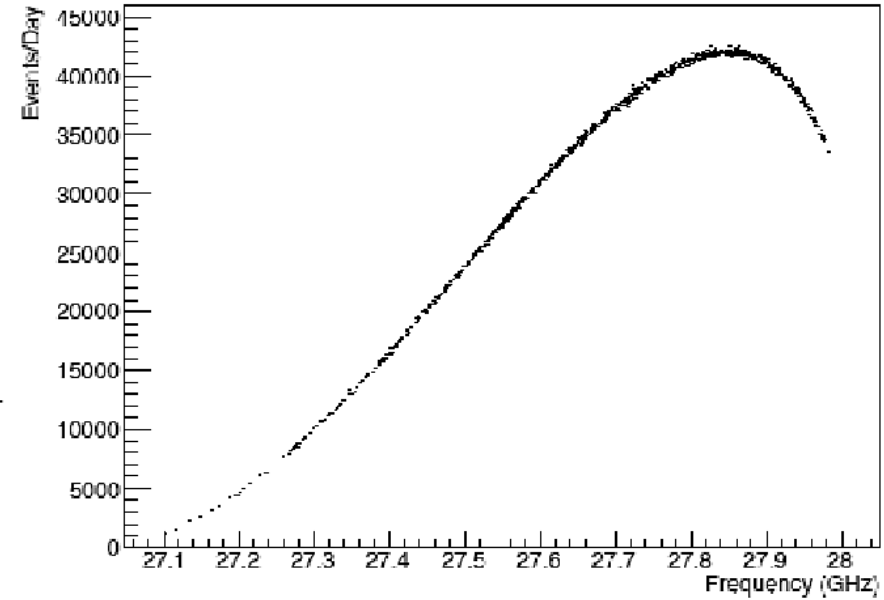


### $^{163}\text{Ho}$ spectrum

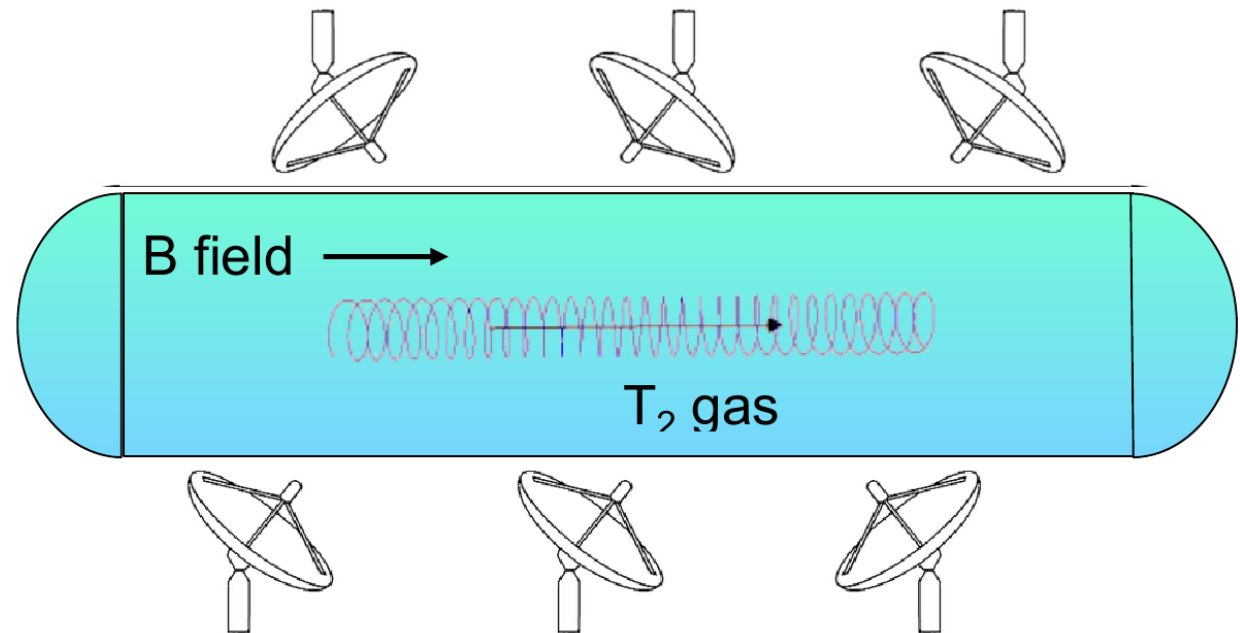
- obtained after systematic improvement of absorber production
- still limited statistics (40 hrs, 0.1 Bq) and resolution



$$\omega(\gamma) = \frac{\omega_0}{\gamma} = \frac{eB}{K + m_e}$$



## GHz cyclotron radiation detection to measure $K$



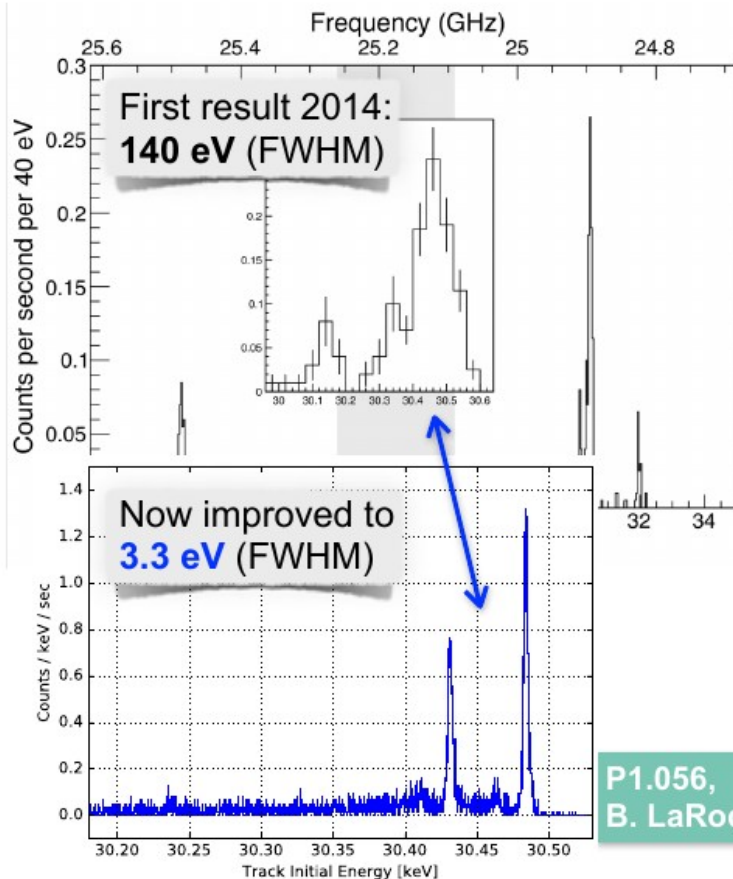
uniform B field + low pressure T2 gas



## Project 8 – next goals

- **Phase I (2010-2016)**

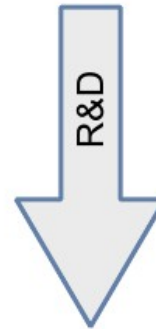
- Demonstration of CRES method
- Conversion electron lines from  $^{83m}\text{Kr}$



- **Phase II (2015-2017)**

- Spectroscopy of continuous  $T_2$  spectrum
- Systematics, energy resolution

P1.057,  
N. Oblath



- **Phase III (2016-2020)**

- 10-20  $\text{cm}^3$  eff. source volume (1 yr)
- phased-array antenna
- sensitivity goal: **2 eV (90% CL)**

P4.047,  
B. VanDevender

- **Phase IV**

- Large-scale exp., with atomic tritium source,  
for sub-eV sensitivity (hierarchy scale)

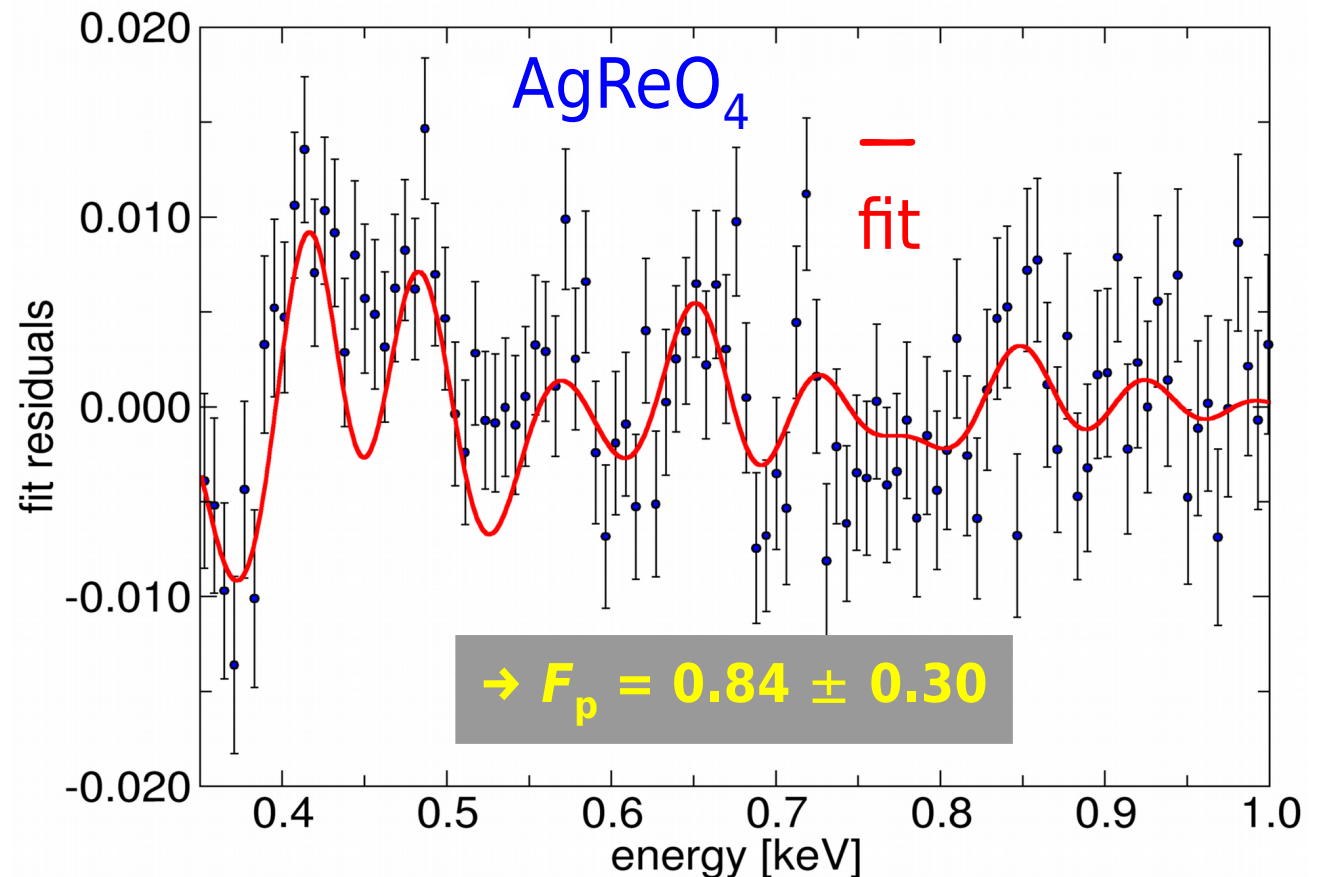
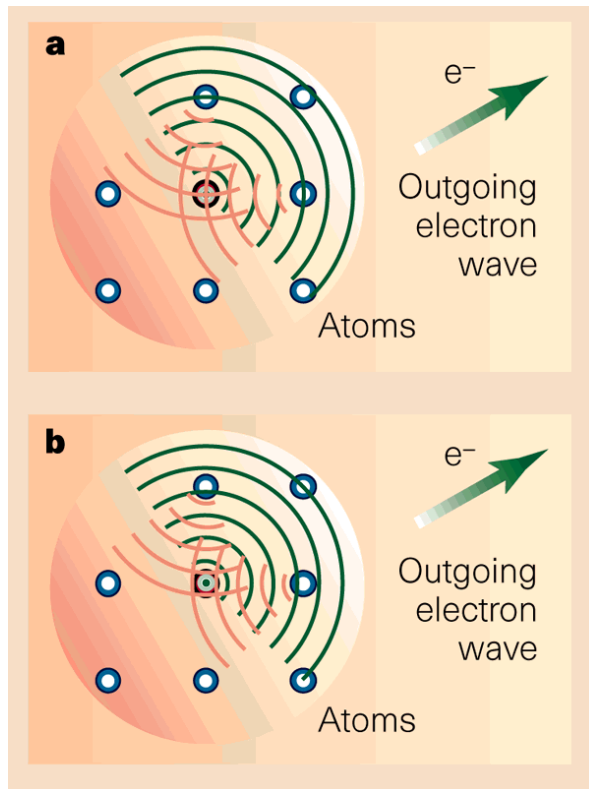
# BEFS: Beta Environmental Fine Structure



Modulation of the electron emission probability due to the atomic and molecular surrounding of the decaying nucleus: it is explained by the wave structure of the electron (analogous of EXAFS)

$$\chi_{BEFS}(k_e) = F_s \chi_{EXAFS}^{l=0} + F_p \chi_{EXAFS}^{l=1}$$

$$\chi_{EXAFS}^l(k_e) = (-1)^l \sum_{n=1}^N B_{nl}(k_e, R_n) e^{-2k_e^2 \sigma_n^2} \sin(2k_e R_n + \delta_{0l} + \delta_{nl})$$

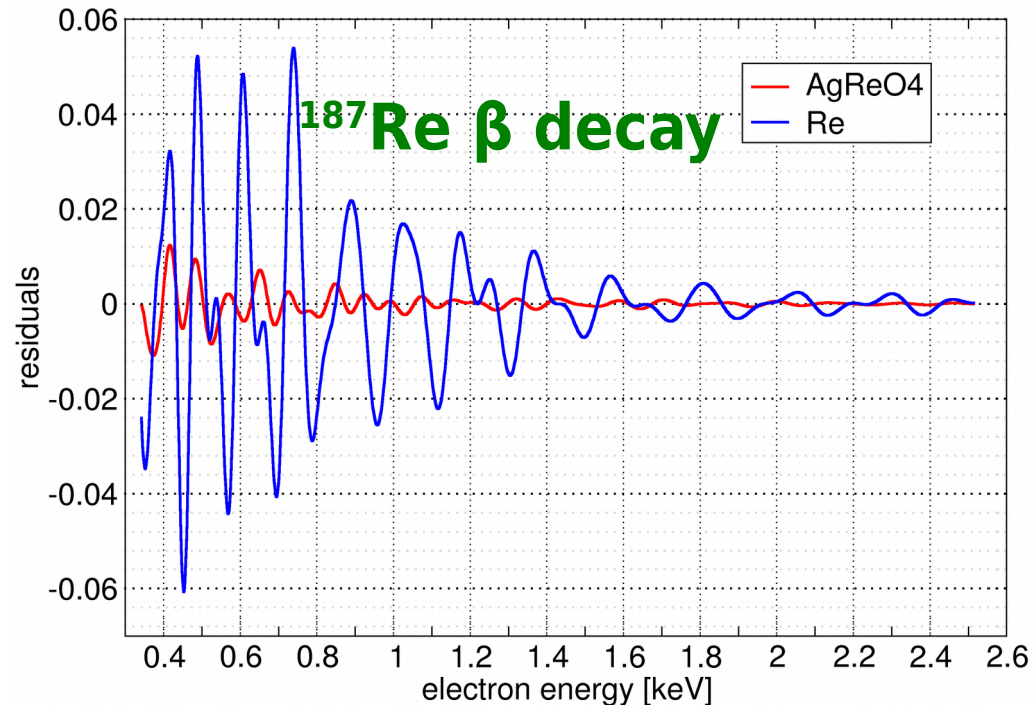
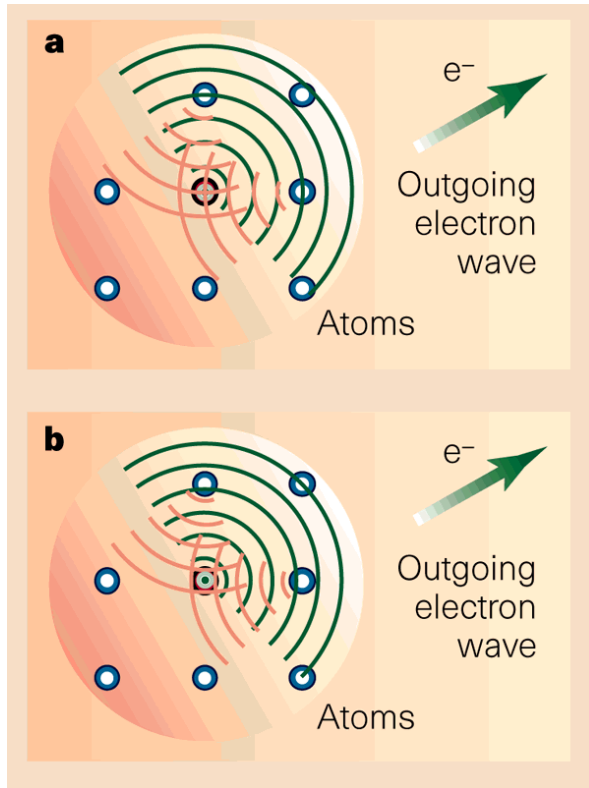


# Beta Environmental Fine Structure in $^{163}\text{Ho}$ ?



$$\chi_{BEFS}(k_e) = F_s \chi_{EXAFS}^{l=0} + F_p \chi_{EXAFS}^{l=1}$$

$$\chi_{EXAFS}^l(k_e) = (-1)^l \sum_{n=1}^N B_{nl}(k_e, R_n) e^{-2k_e^2 \sigma_n^2} \sin(2k_e R_n + \delta_{0l} + \delta_{nl})$$

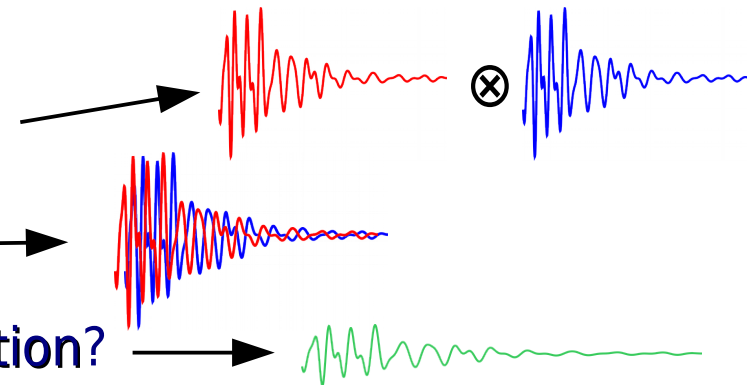


## • what about **BEFS** in $^{163}\text{Ho}$ spectra?

▷  $E_c$  deposited by cascade processes → **convolution?**

▷ different transition sequences → **cancellation?**

▷ smeared position of  $^{163}\text{Ho}$  in host lattice → **attenuation?**



# Resolution limit: LTD vs. ionization detectors

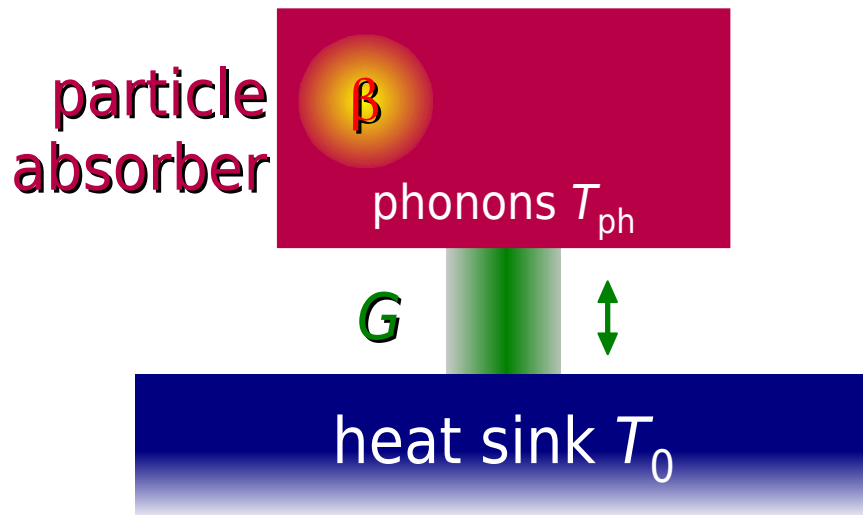


## Ionization detectors

- measure only the energy that goes into ionization ( $\sim 1/3$ )
  - ▶ in semiconductors: energy to create an e-h pair  $W_0 \approx 3 \text{ eV} \Rightarrow N_{eh} = E/W_0$
  - ▶ statistical fluctuations on  $N_{eh}$  limit the energy resolution:  $\sigma_E = \sqrt{F N_{eh}} W_0 = \sqrt{F E W_0}$
  - ▶ in practice:  $\Delta E_{FWHM} \approx 115 \text{ eV}$  at 6 keV for silicon
- other limitations from electron transport properties (material restriction, purity...)

## Cryogenic detectors

- measure the energy that goes into heat (100%)
  - ▶ no branching  $\Rightarrow$  no statistical fluctuations
  - ▶ resolution limit: random energy flow through  $G$
  - ▶ statistical fluctuations of internal energy  $U = \langle U \rangle \pm \Delta U_{rms}$



$$N_{ph} = \frac{\langle U \rangle}{\langle E_{ph} \rangle} = \frac{CT}{k_B T}$$

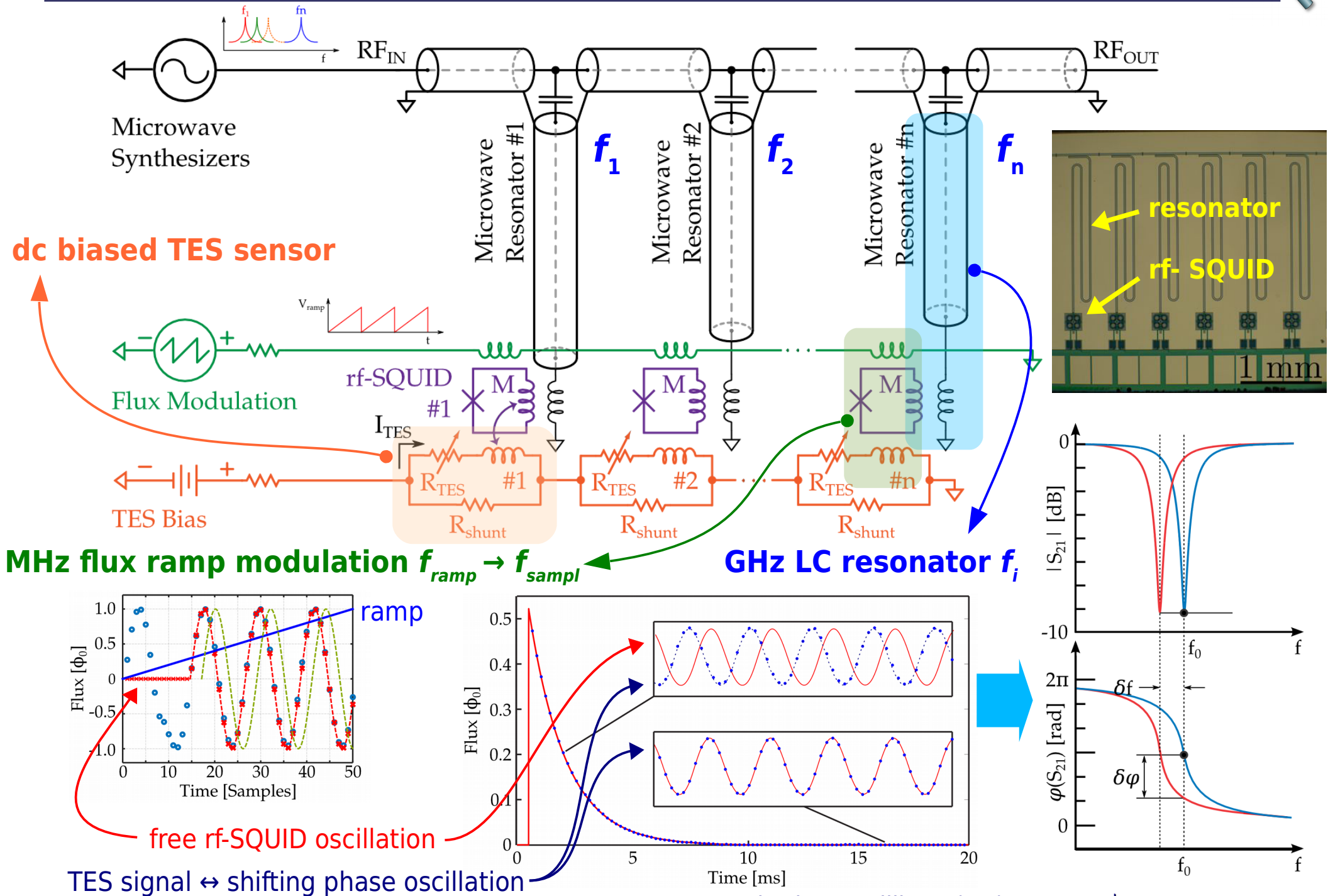
$$\Delta U_{rms} = \sqrt{N_{ph}} (k_B T) = \sqrt{k_B T^2 C}$$

1 mg of Re @ 100 mK

$$C \sim 10^{-13} \text{ J/K} \Rightarrow \Delta U_{rms} \sim 1 \text{ eV}$$



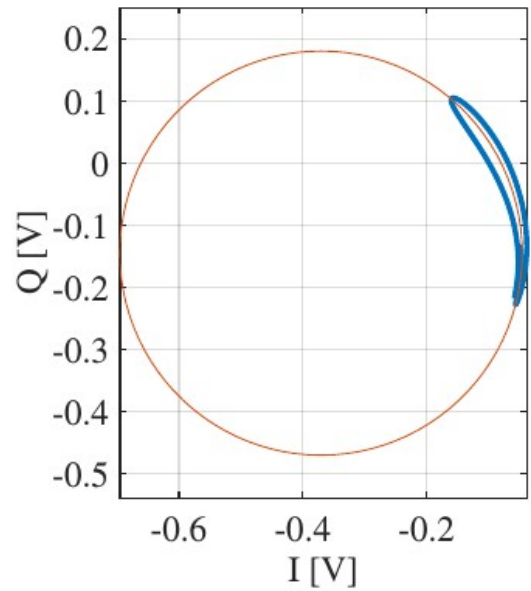
# HOLMES array read-out: rf-SQUID $\mu$ wave mux



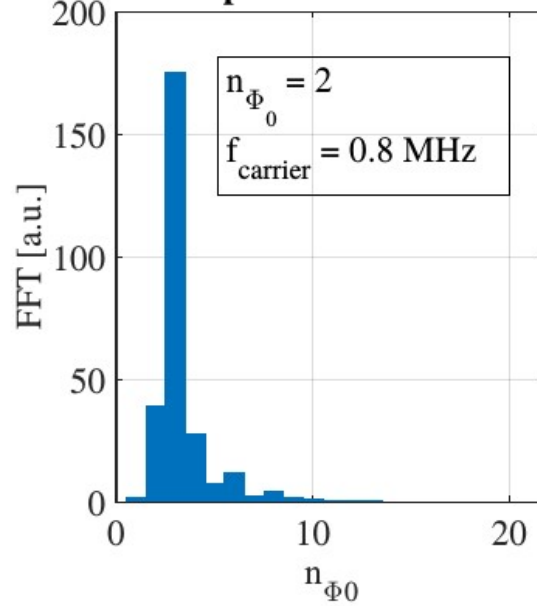
# Ramp demodulation



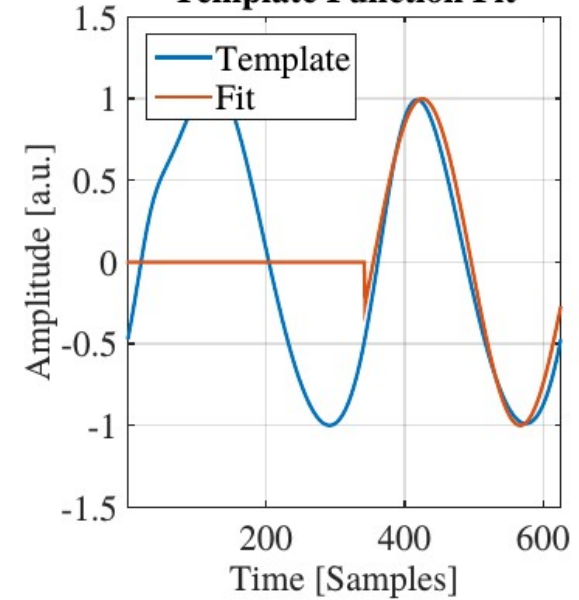
**IQ Circle -  $f_{LO} = 5.947300$  GHz**



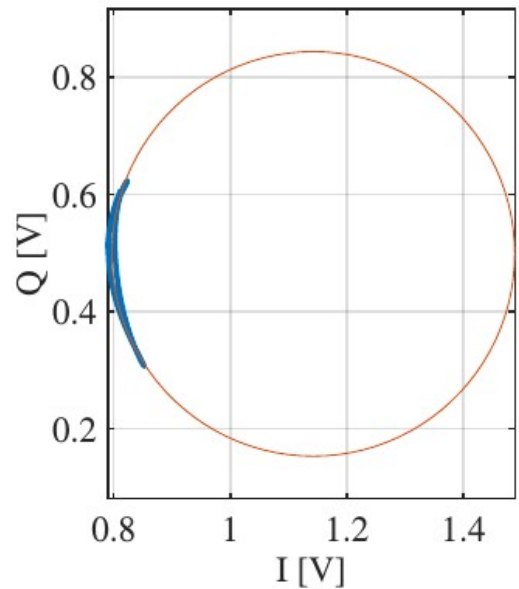
**Template function FFT**



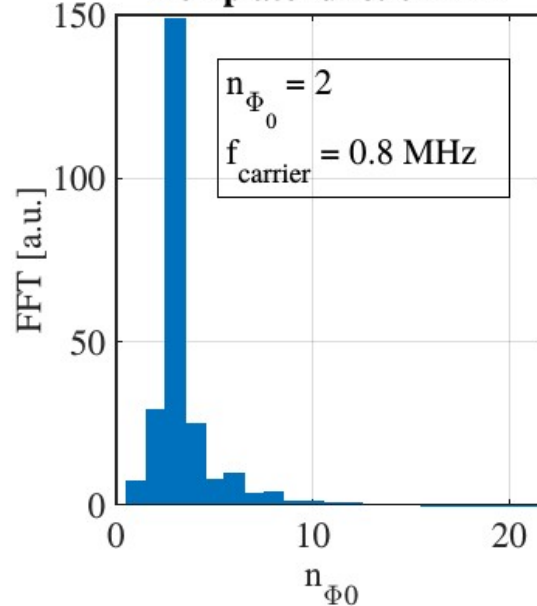
**Template Function Fit**



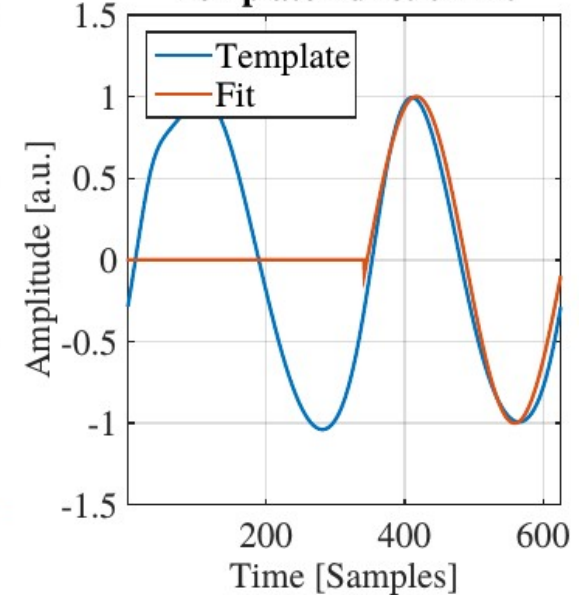
**IQ Circle -  $f_{LO} = 6.021400$  GHz**



**Template function FFT**



**Template Function Fit**

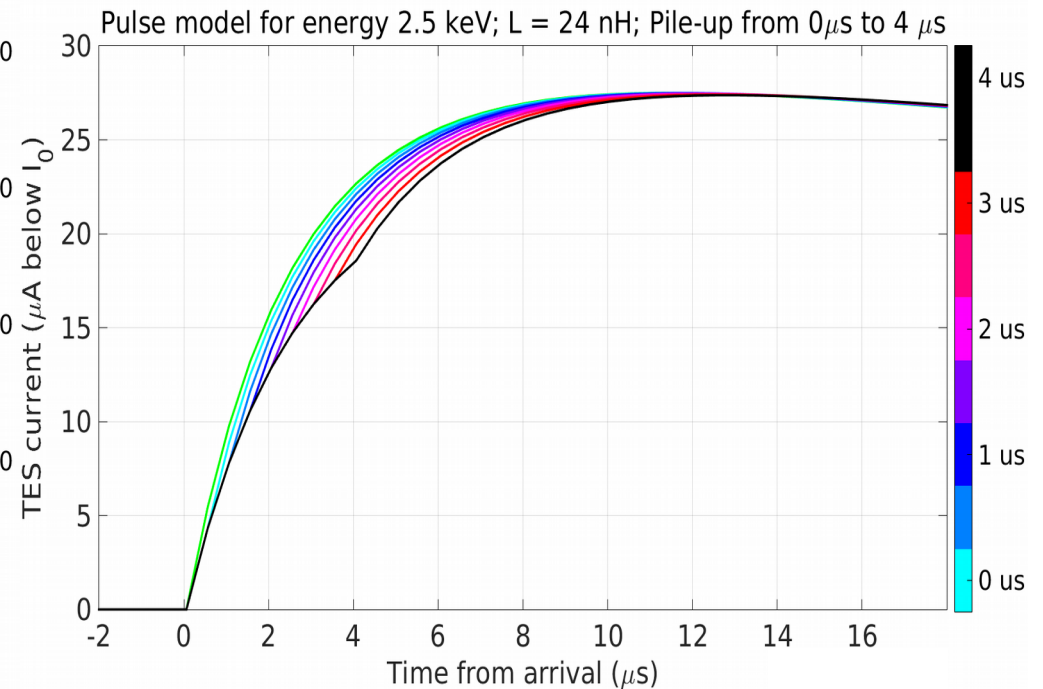
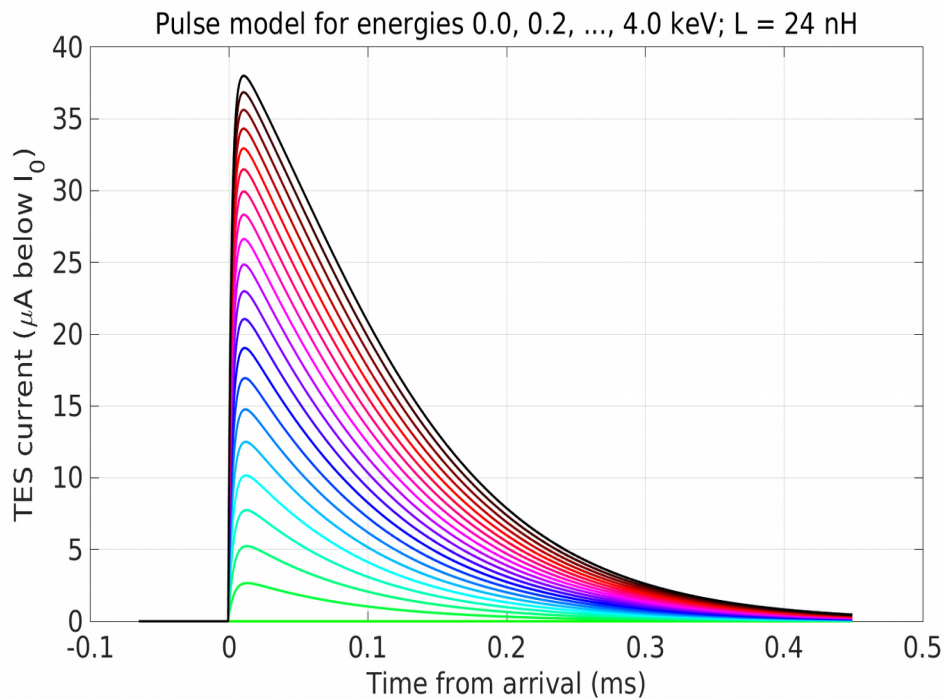




## 2 pulses with:

- $\tau_{\text{rise}} = 1.5 \text{ ms}$
- $\tau_{\text{decay}} = 10 \text{ ms}$
- $A_2/A_1 = 0.5$

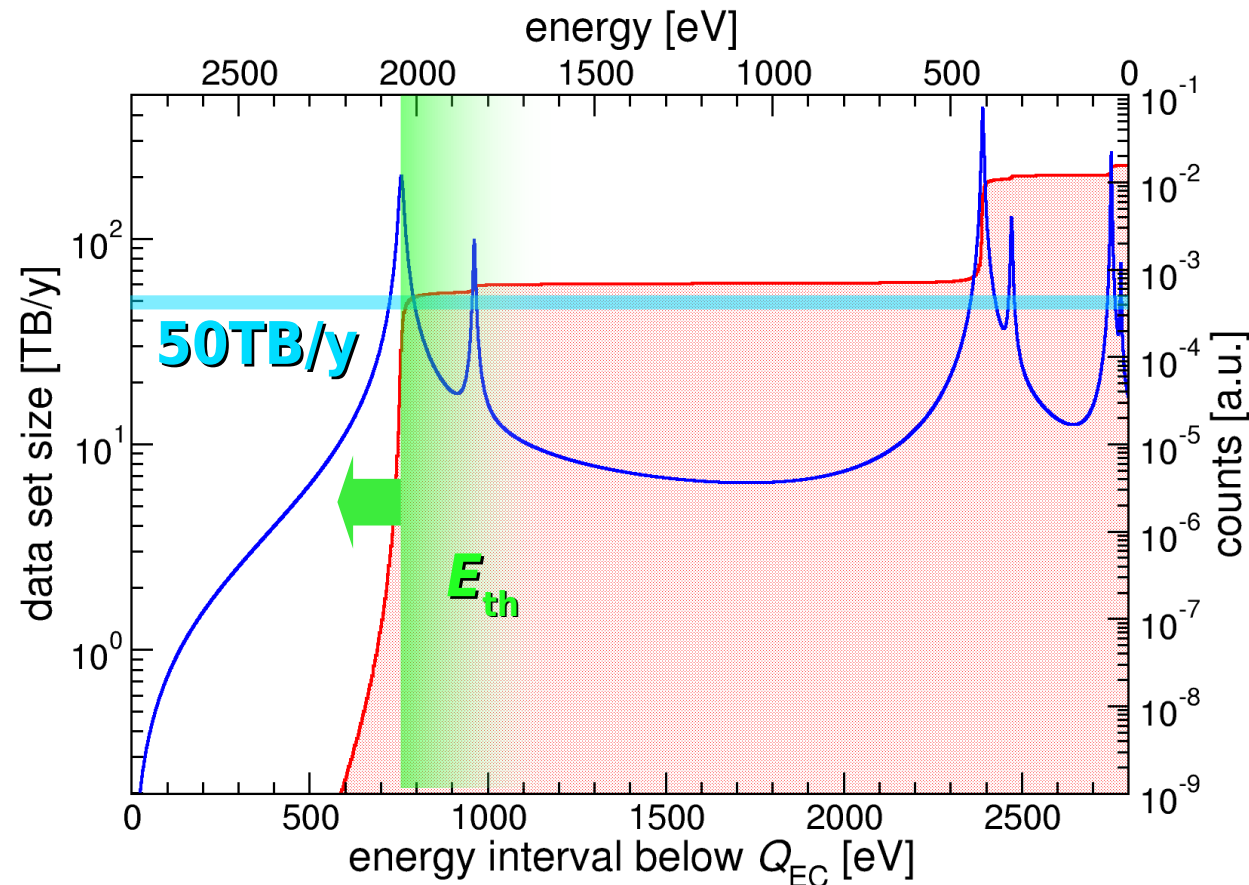
$$A(t) = A \left( e^{-t/\tau_{\text{decay}}} - e^{-t/\tau_{\text{rise}}} \right)$$



# HOLMES signal processing and in-line analysis



- normal data taking (permanent RAID storage) \* hypothetical configurations
  - ▶ save only  $n$ -tuples (6 × 4 byte words) \*
  - ▶ high threshold ( $E_{th} \approx 2.022\text{keV}$ ,  $E_{M1} = 2.041\text{keV}$ ,  $Q_{EC} = 2.8\text{keV}$ , 21% of spectrum) \*
  - ▶ **about 150TB in 3 years** (un-compressed)
- periodic minimum bias samples (temporary storage)
  - ▶ tune parameters for real time pulse processing
  - ▶ full waveform (512 samples at 12 bit) for immediate off-line analysis \*
  - ▶ full spectrum → **20TB/day**
  - ▶ combined with high threshold data
- lower threshold is possible with compression



## ROACH2 FW real-time

pulse processing:

- threshold cut

• ...

## SERVER quasi real-time

pulse processing:

- OF analysis →  $n$ -tuples

- pile-up detection

• ...

# $^{166m}\text{Ho}$ background



Geant4 + LowEnergyEM

$2 \cdot 10^5$  events

